

St. Petersburg State University  
Laboratory of Ultra-High Energy Physics

# A new look on signals of collective effects in AA and pA at LHC based on Modified Glauber Model.

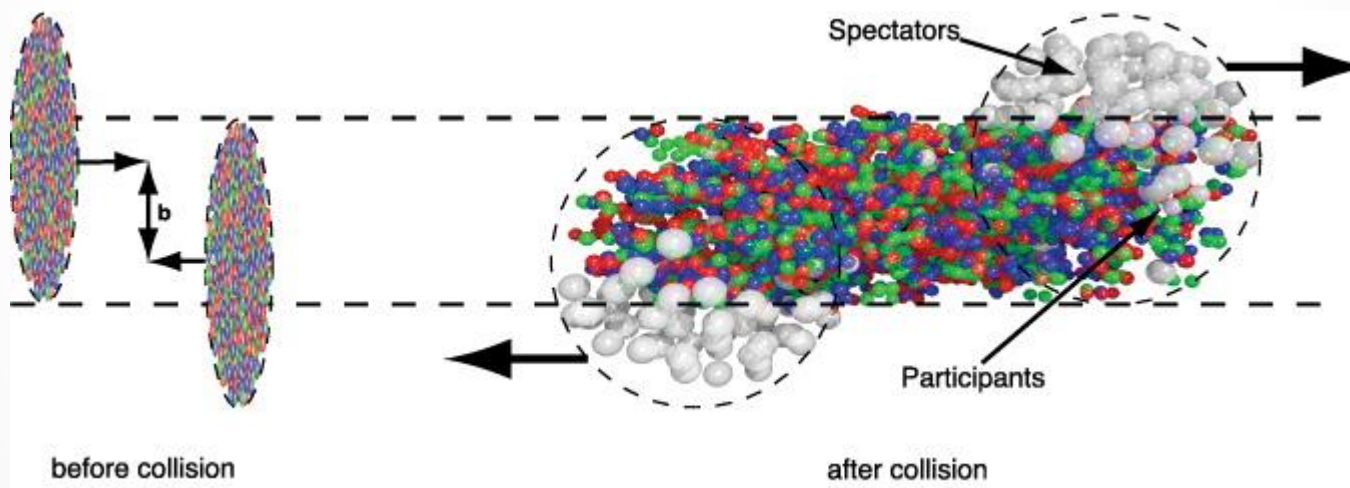
Grigory Feofilov and Andrey Seryakov  
seryakov@yahoo.com





# Terminology

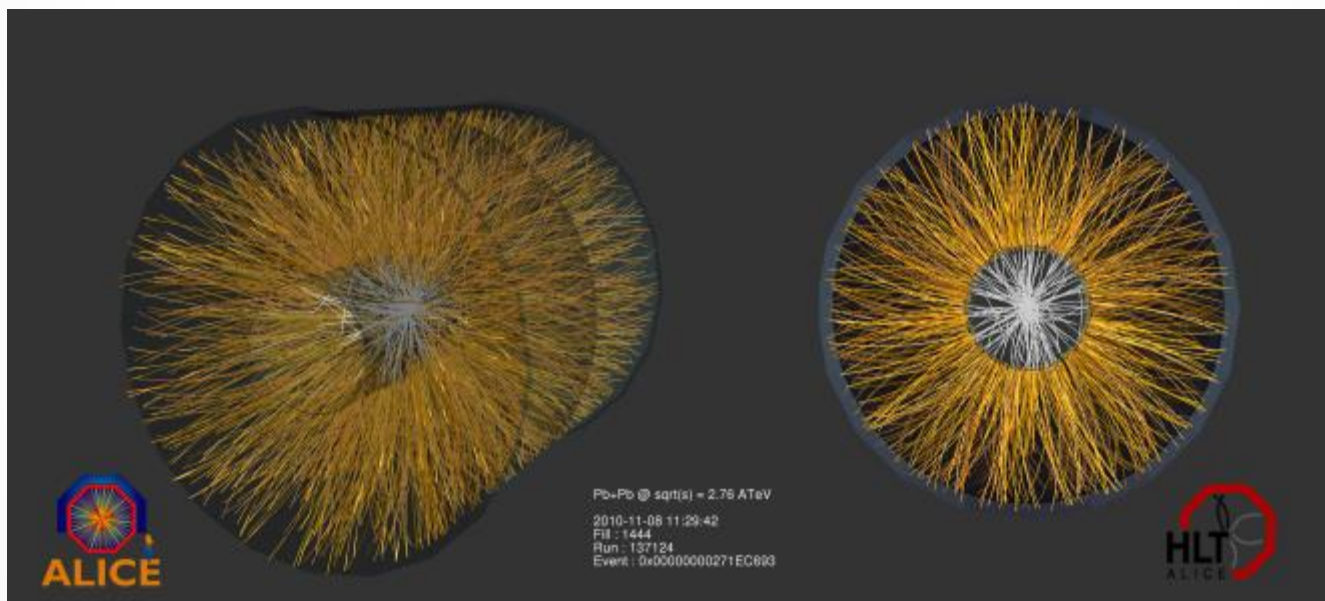
- $N_{part}$  - number of nucleons in both nucleus with were interacted
- $N_{coll}$  - number of binary nucleon-nucleon collisions in AA
- $b$  - impact parameter





# Collider experiment possibilities

- $N_{part}$  - number of nucleons in both nucleus with were interacted
- $N_{coll}$  - number of binary nucleon-nucleon collisions in AA **can not be measured**
- $b$  - impact parameter **can not be measured**



- $N_{ch}$  - multiplicity of charged particles (number of charged tracks)
- $\vec{p}_i$  - momentum of each charged particle
- $\eta_i(\theta_i)$  - pseudorapidity of each charged particle



# Signals of collectivity

## Nuclear modification factor

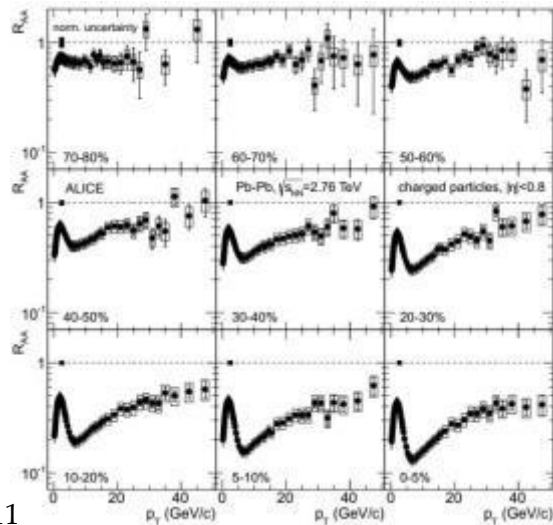
Multiplicity in AA

$$R_{AA} = \frac{d^2 N_{ch}^{AA} / dp_t d\eta}{\langle N_{coll}^{AA} \rangle d^2 N_{ch}^{pp} / dp_t d\eta}$$

Multiplicity in pp

Number of nucleon collisions

ALICE arXiv:1208.2711





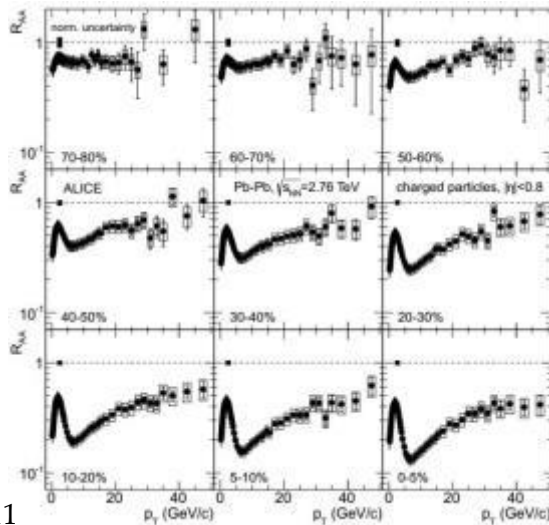
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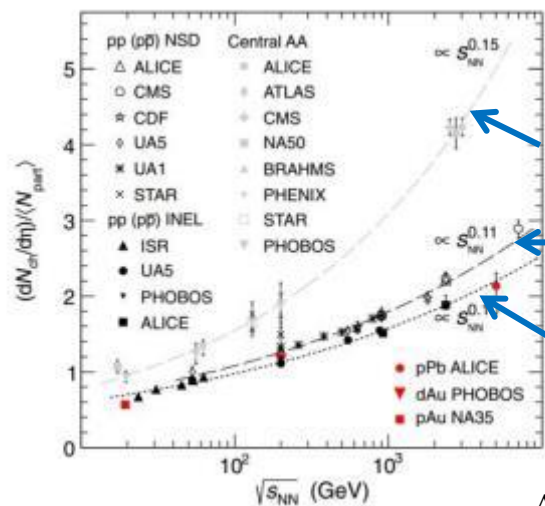
Multiplicity in pp



ALICE arXiv:1208.2711

Number of nucleon collisions

## Pseudorapidity density of charged particles



The most central AA

pp

pA

ALICE arXiv:1210.3615



# Signals of collectivity

## Nuclear modification factor

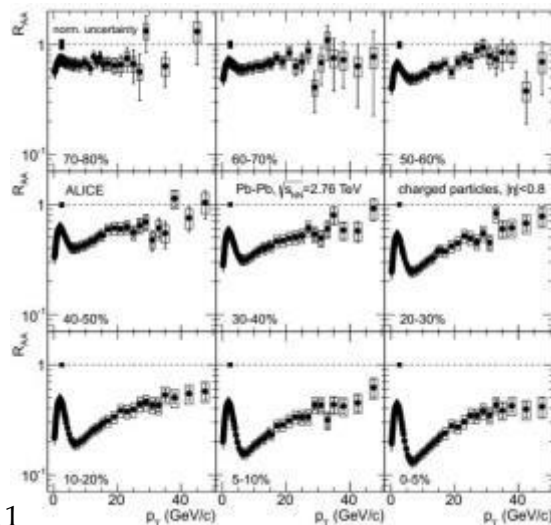
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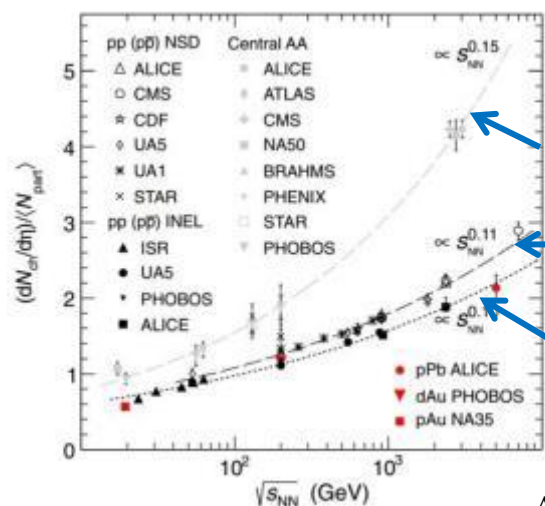
Multiplicity in pp

Number of nucleon collisions

ALICE arXiv:1208.2711



Is it the experimental data?



## Pseudorapidity density of charged particles

The most central AA

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# Signals of collectivity

## Nuclear modification factor

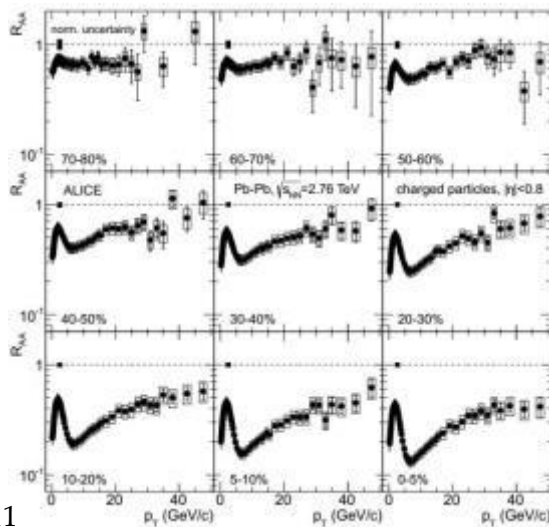
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ALICE arXiv:1208.2711

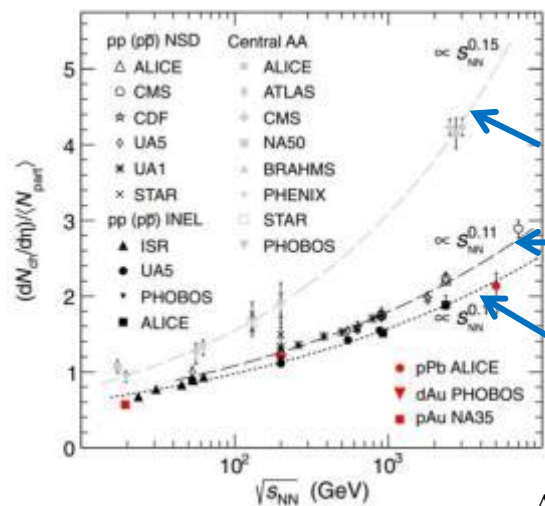


Is it the experimental data?

Not exactly!

$N_{part}, N_{coll}$  - were not measured in the experiment

## Pseudorapidity density of charged particles



The most central AA

pp

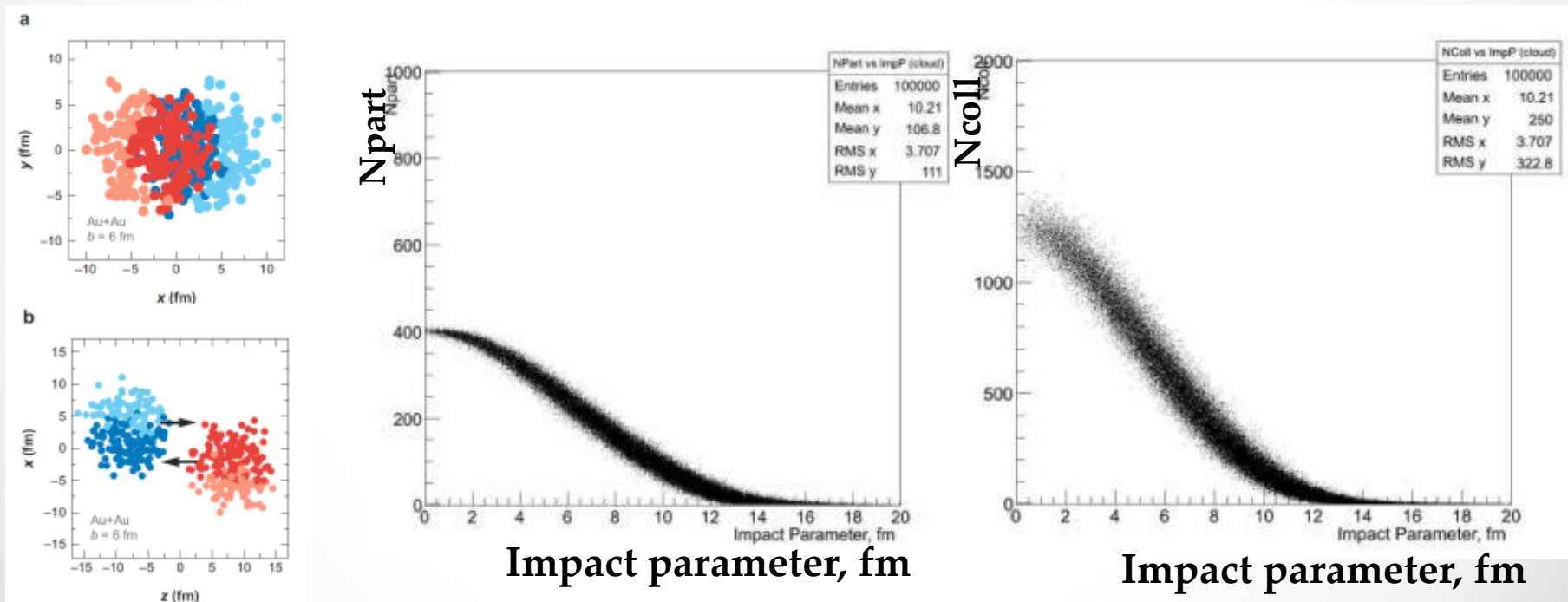
pA

ALICE arXiv:1210.3615



# Standard Glauber Model

- AA collision is a superposition of independent nucleon-nucleon collisions.
- Nucleon density and  $\sigma_{inel}^{NN}$  are taken from experimental data
- Optical limit: all nucleon trajectories are linear  
 $\sigma_{inel}^{NN} = const$  rot each nucleon-nucleon collision



M.Miller, arXiv:nucl-ex/0701025v1, 2007.

PbPb 200GeV





# Standard Glauber Model

Problem:

how to make a connection between Glauber model and experimental multiplicity?

Native solution:

use multiplicity from experimental pp data as we take  $\sigma_{inel}^{NN}$  for given  $\sqrt{s}$

$$N_{ch}^{AA} = N_{coll} N_{ch}^{pp}$$



# Standard Glauber Model

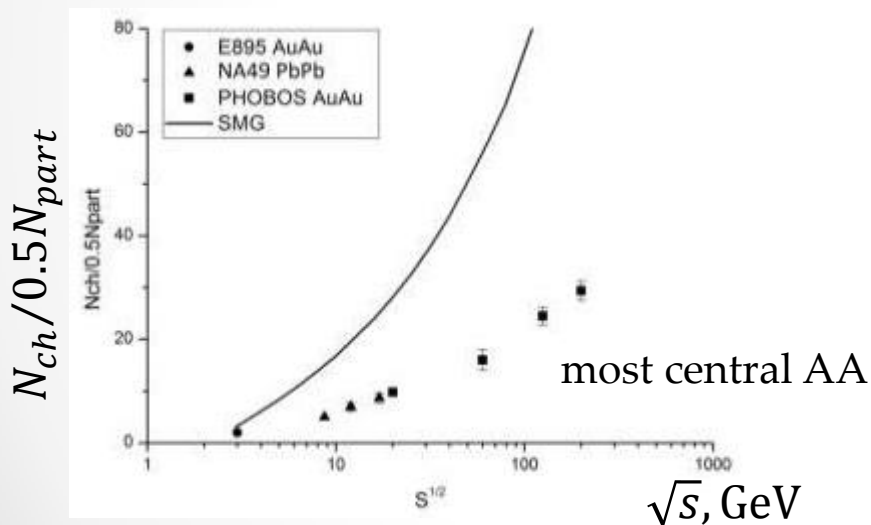
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PHOBOS Collaboration, arXiv:nucl-ex/0301017.



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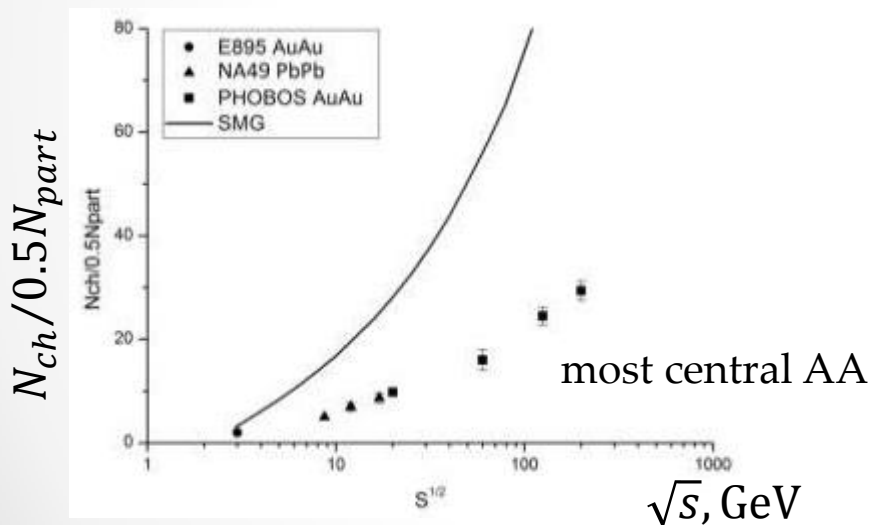
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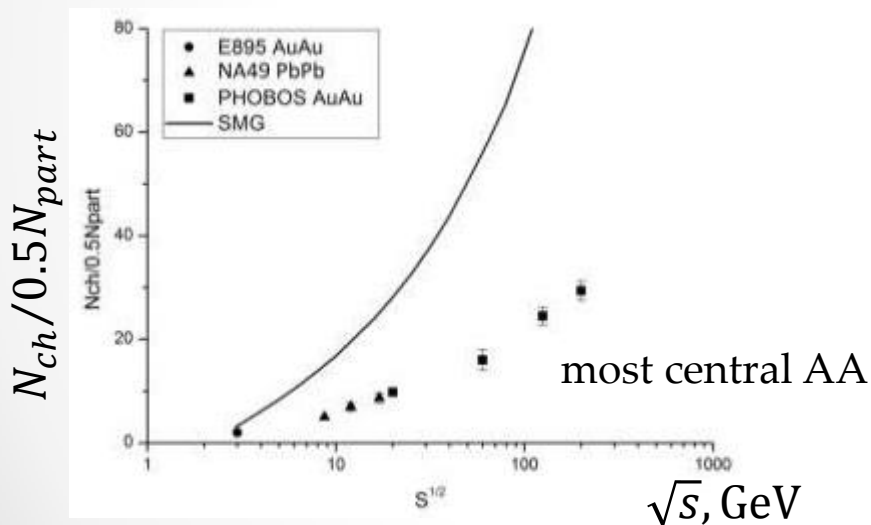
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~~$N_{ch}^{AA} = N_{coll} N_{ch}^{pp}$~~       **does not work**



PHOBOS Collaboration, arXiv:nucl-ex/0301017.

Two other possibilities:

1. Traditional way

Glauber model is correct, but

$$N_{ch}^{AA} \sim f N_{part} + (1 - f) N_{coll}$$

~ Soft | Hard processes

ALICE: arXiv:1301.4361  
ATLAS: arXiv:1108.6027  
PHOBOS: arXiv:nucl-ex/0403033

2. Another way

Glauber model is not correct



# Modified Glauber Model

## «Energy conservation law»

The momentum of each nucleon after each nucleon-nucleon collision in the center of mass system:

$$\mathbf{p}' = k\mathbf{p}$$

A Ivanov, G Feofilov, Journal of Physics Conference Series, 5, 2005

$k$  – is a fraction of momentum loss

as a result every next collision of each nucleon will pass with less energy and correspondingly with less  $\sigma_{inel}^{NN}$  and multiplicity.

$$N_{ch}^{AA} = \sum_{i=1}^{N_{coll}} N_{ch}^{pp}(\sqrt{s_i})$$



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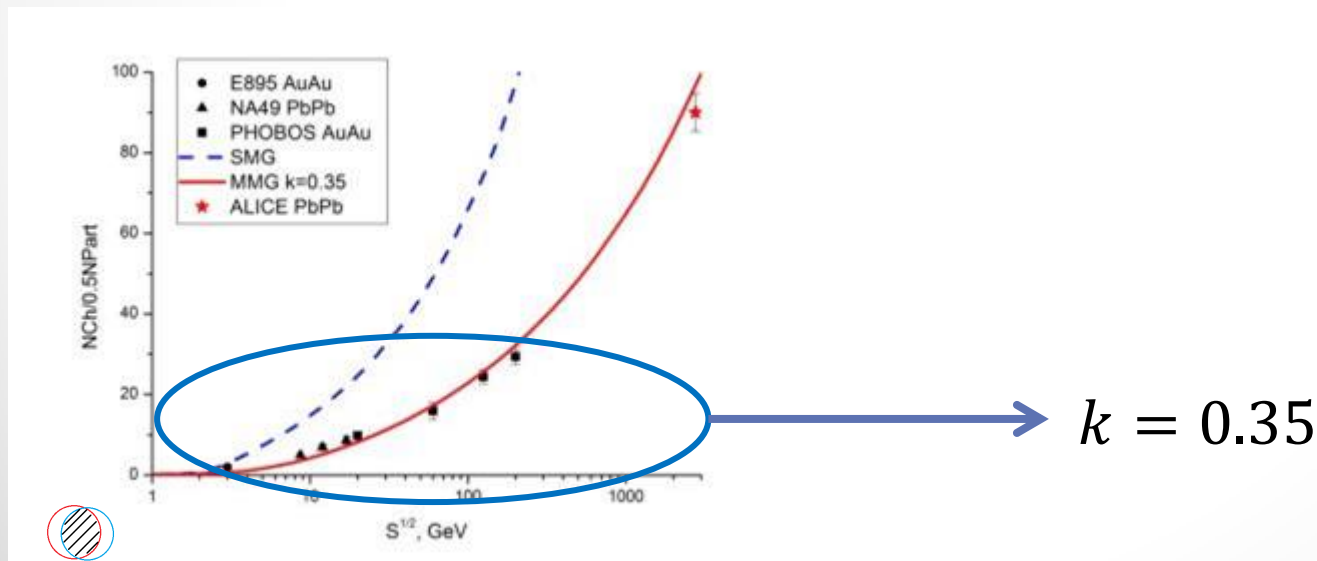
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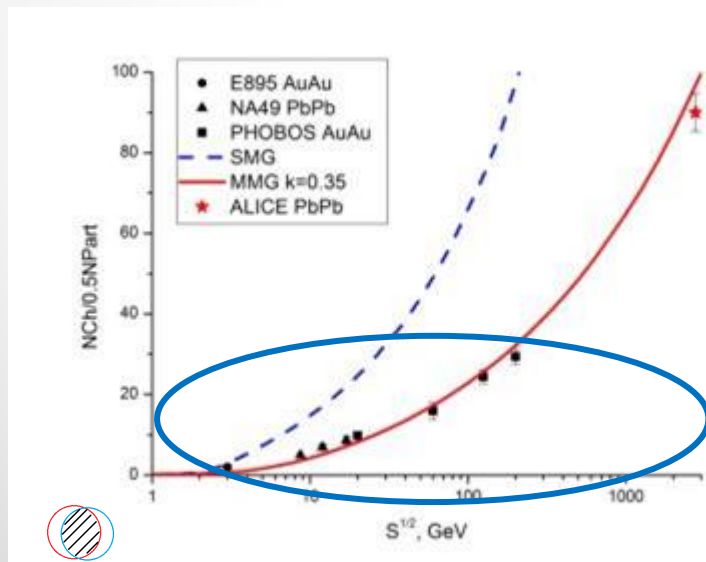
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This point was obtained by integration of ALICE pseudorapidity distributions

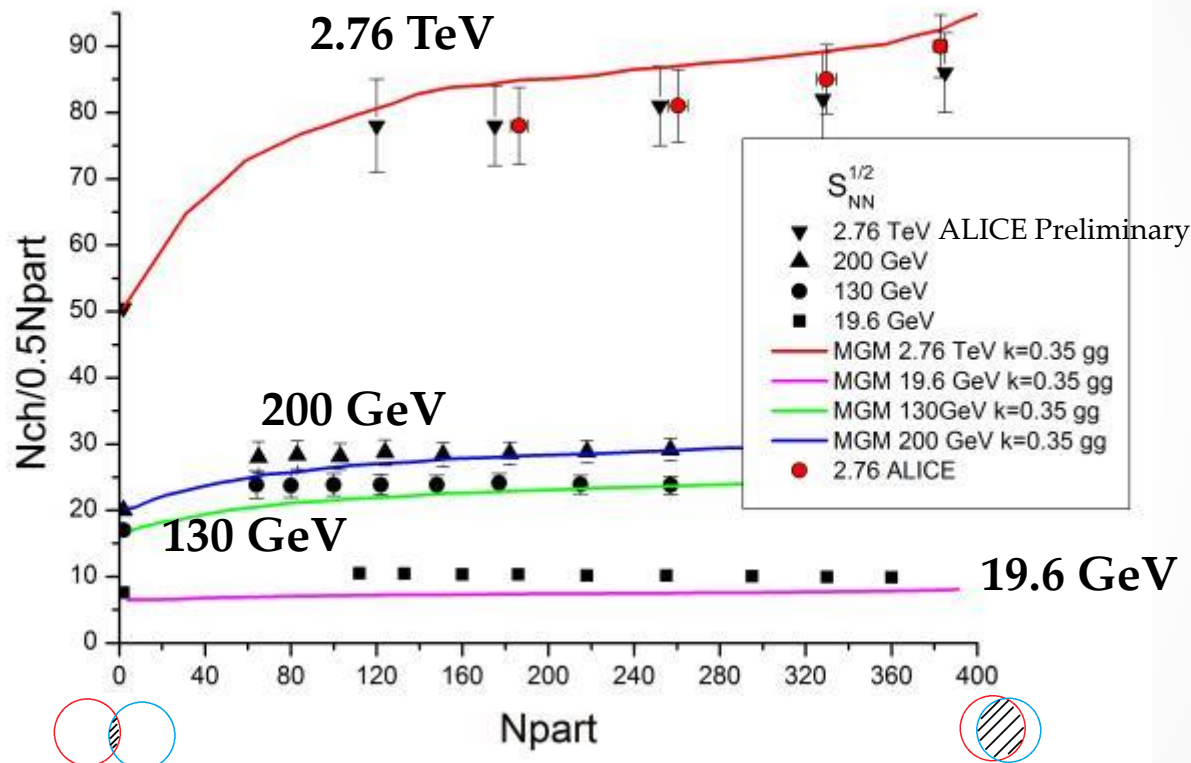
T.Drozhhova, G.Feofilov, V.Kovalenko, A.Seryakov, PoS(QFTHEP 2013)053, 2013.

$k = 0.35$



# Modified Glauber Model

$$k = 0.35$$



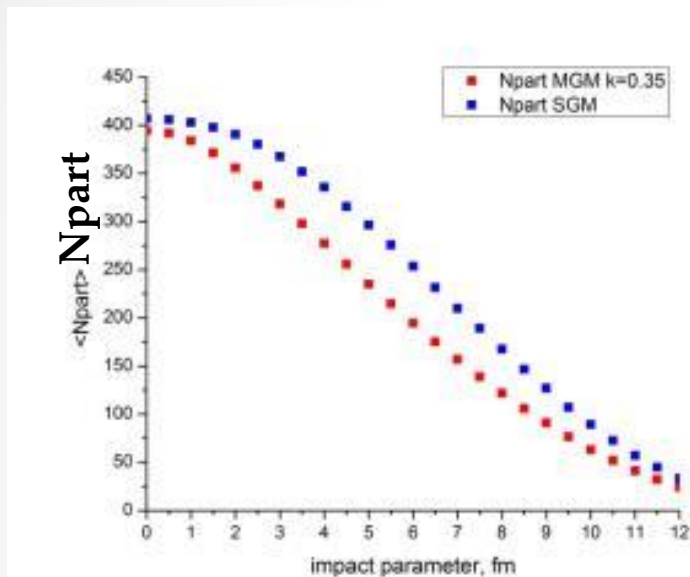
T.Drozhdzova, G.Feofilov, V.Kovalenko, A.Seryakov, PoS(QFTHEP 2013)053, 2013.

$k$  is const for all energy and types of system



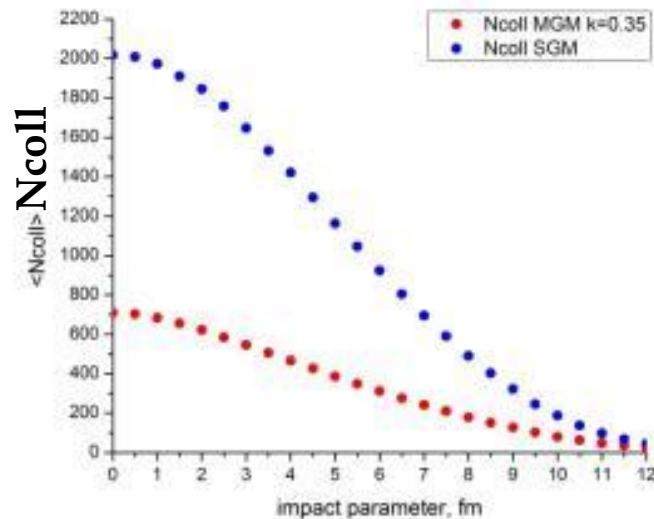
# Comparison of the models: AA case.

PbPb 2.76TeV



Impact parameter, fm

SGM  
MGM



Impact parameter, fm

$$N_{part}^{MGM} \approx N_{part}^{SGM}$$

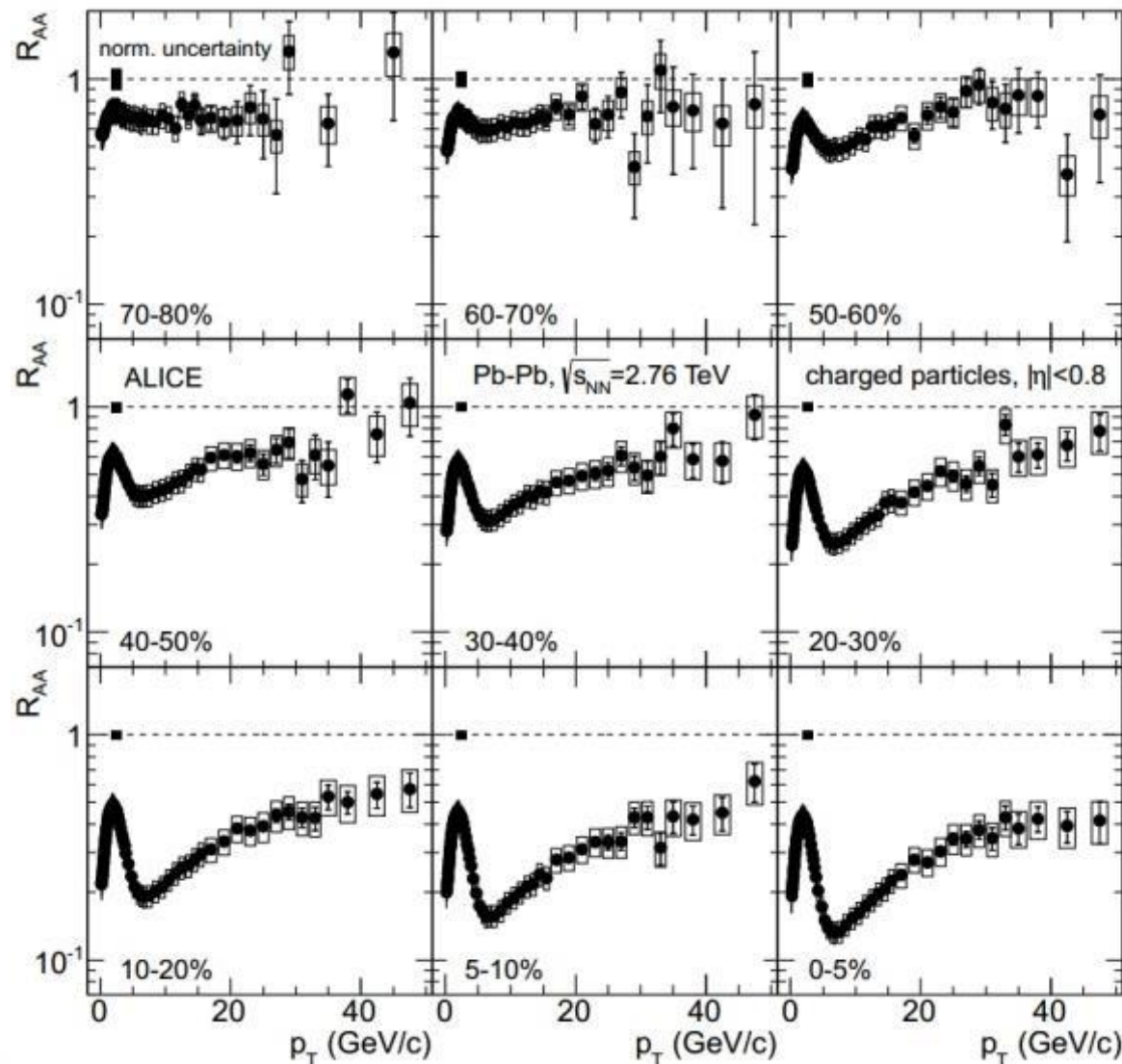
$$N_{coll}^{MGM} \approx \frac{1}{3} N_{coll}^{SGM}$$



# Nuclear modification factor and Ncoll

$$R_{AA} = \frac{d^2 N_{ch}^{AA} / dp_t d\eta}{\langle N_{coll}^{AA} \rangle d^2 N_{ch}^{pp} / dp_t d\eta}$$

Can we just multiply each point by  $\langle N_{coll}^{SGM} \rangle / \langle N_{coll}^{MGM} \rangle$ ?

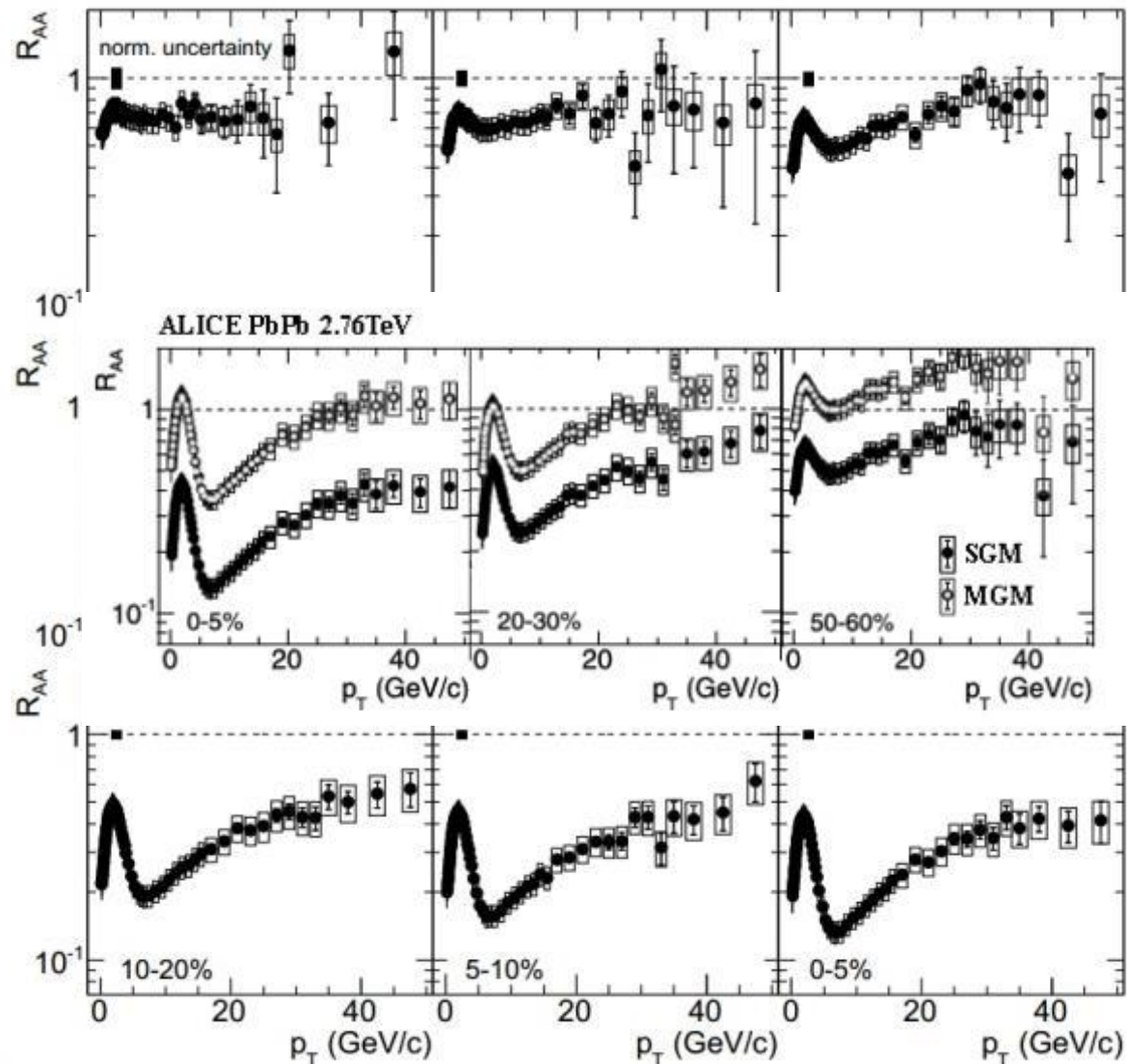




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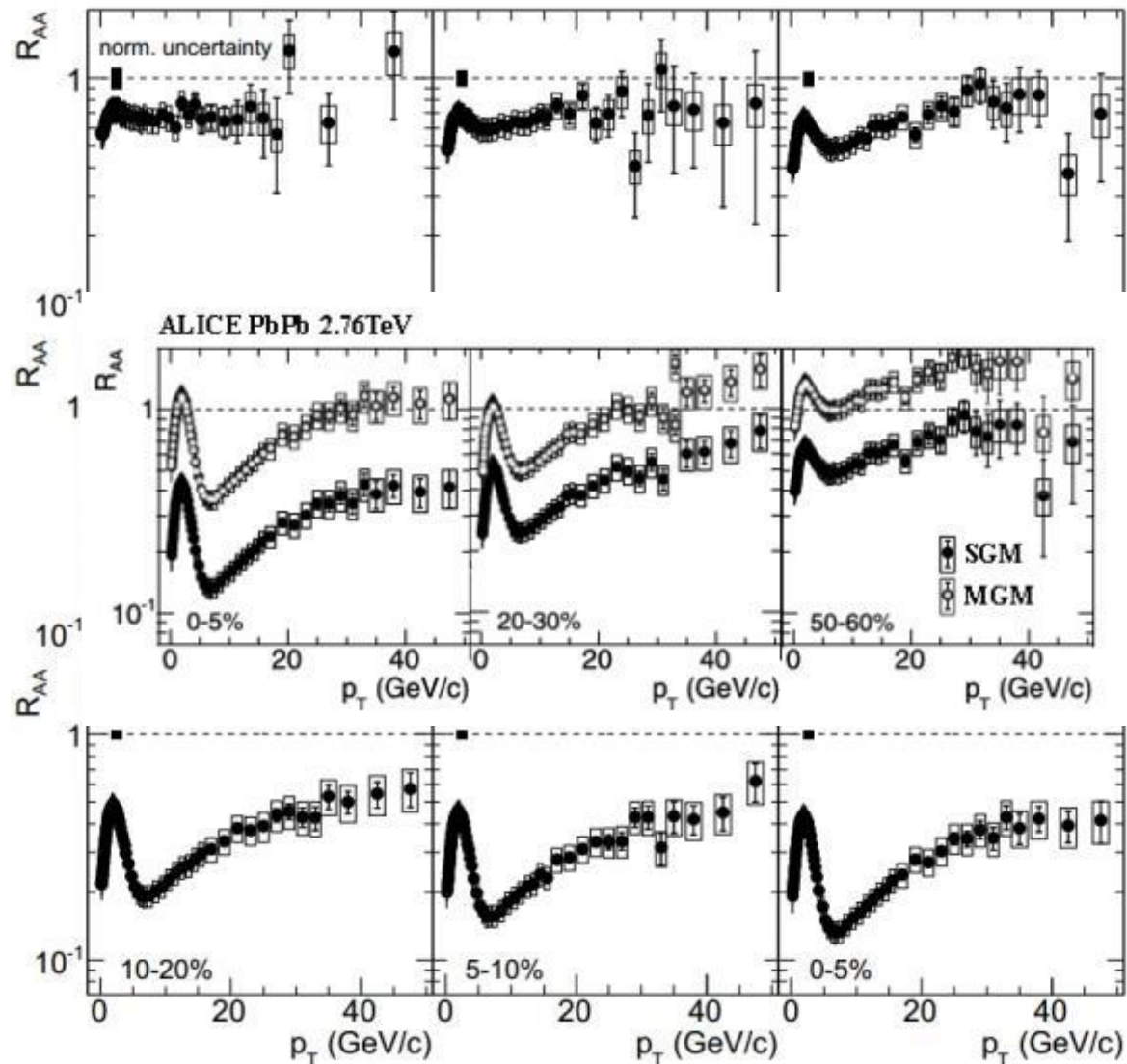
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**No.**

99% of particles has  $p_t < 2 \text{ GeV}/c$







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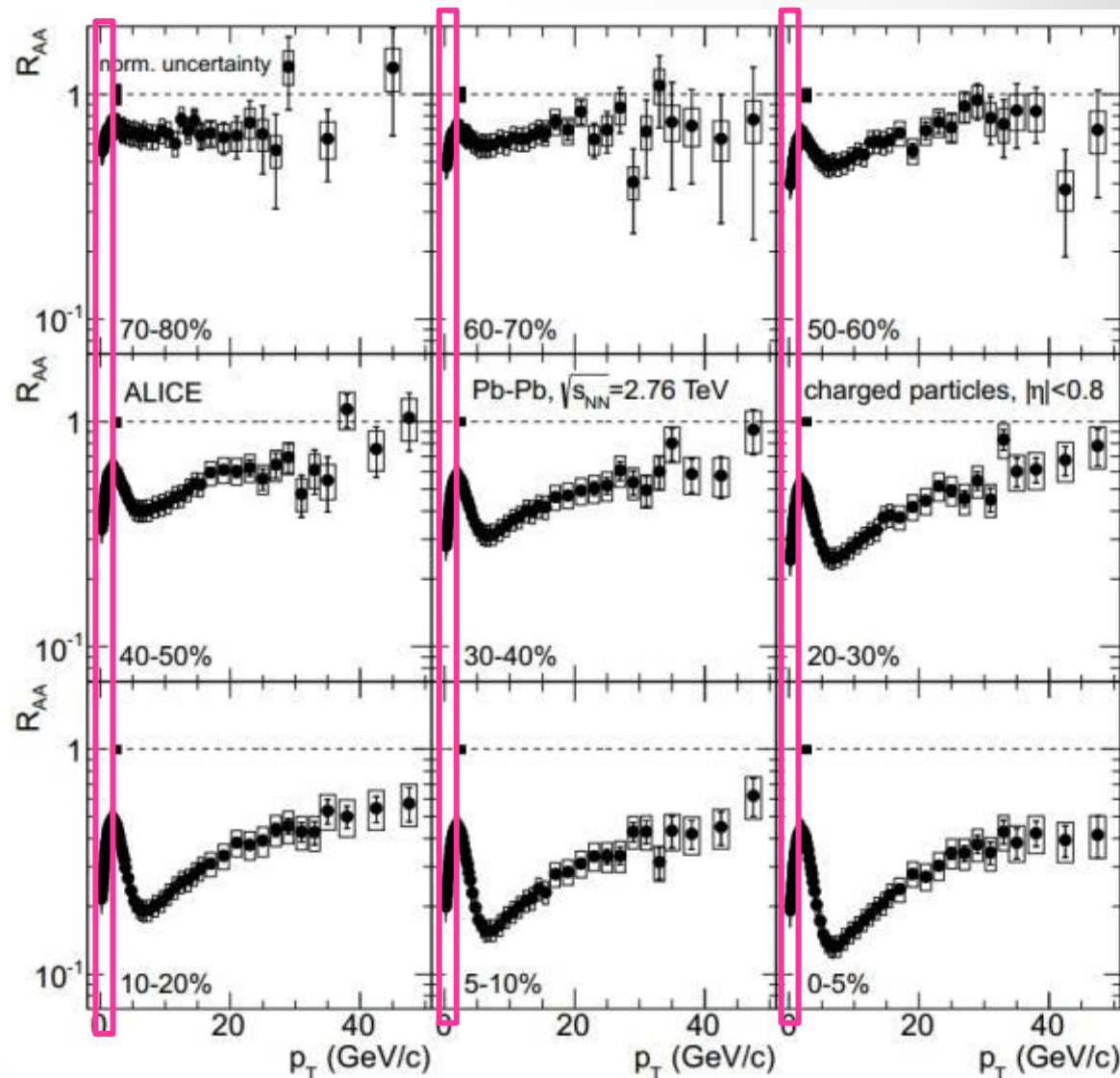
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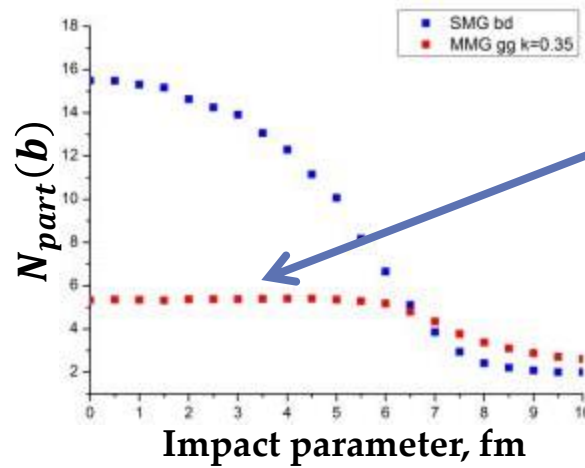
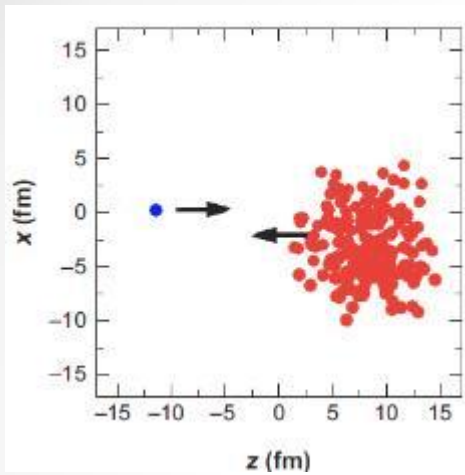
we can move up only soft part of  $p_t$  spectra.

The problem is still open ...





# Comparison of the models : pA case

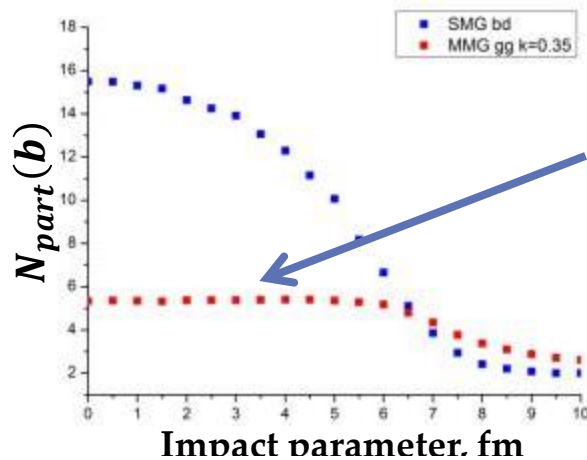
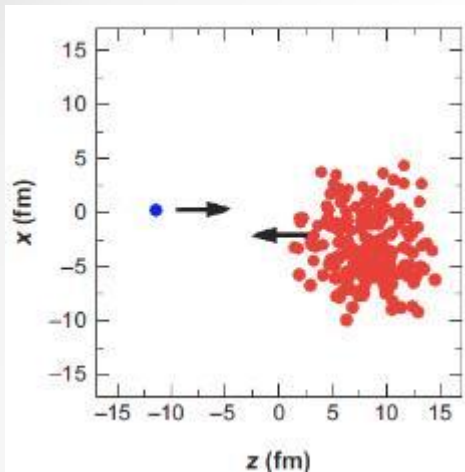


Proton totally losses his momentum

$$\langle N_{part} \rangle = \langle N_{coll} \rangle + 1$$



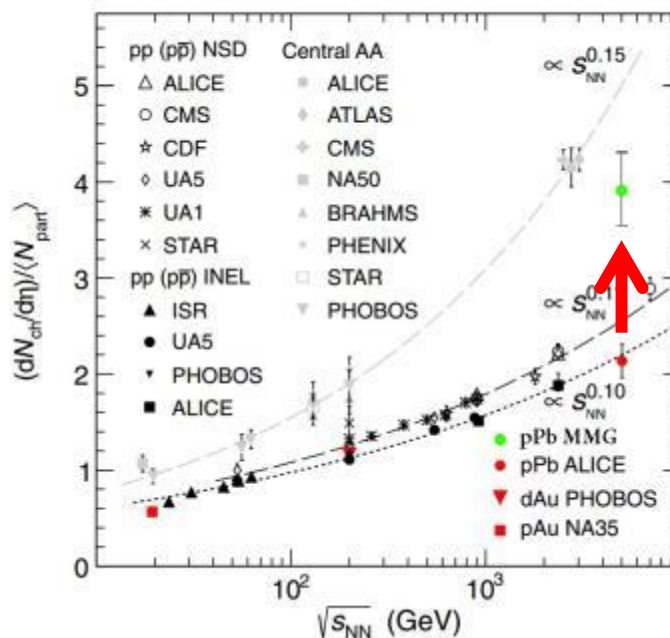
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Pseudorapidity density of charged particles

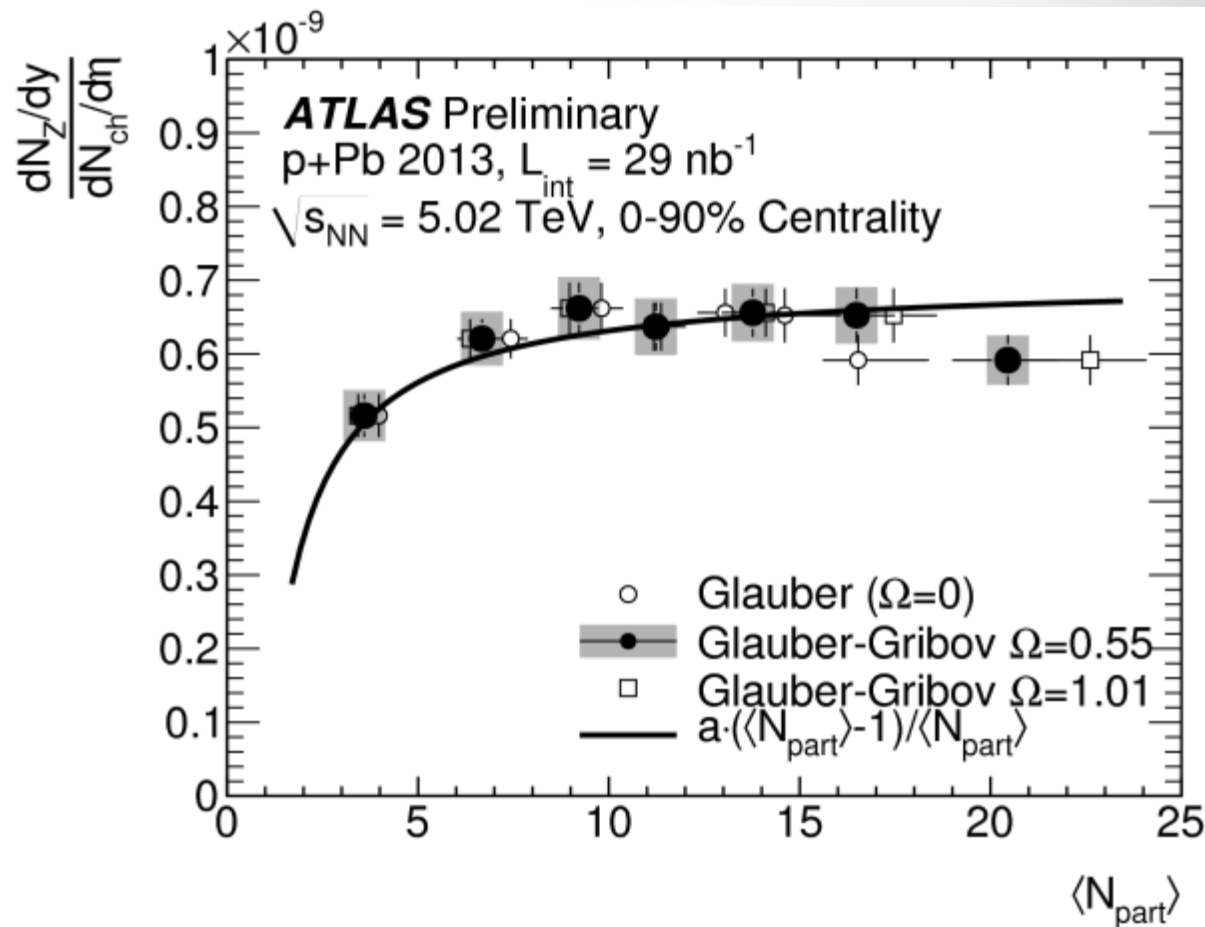




# Model comparison: pA case

ATLAS-CONF-2014-020

The ratio of Z-bosons and full multiplicity is independent of  $\langle N_{part} \rangle$



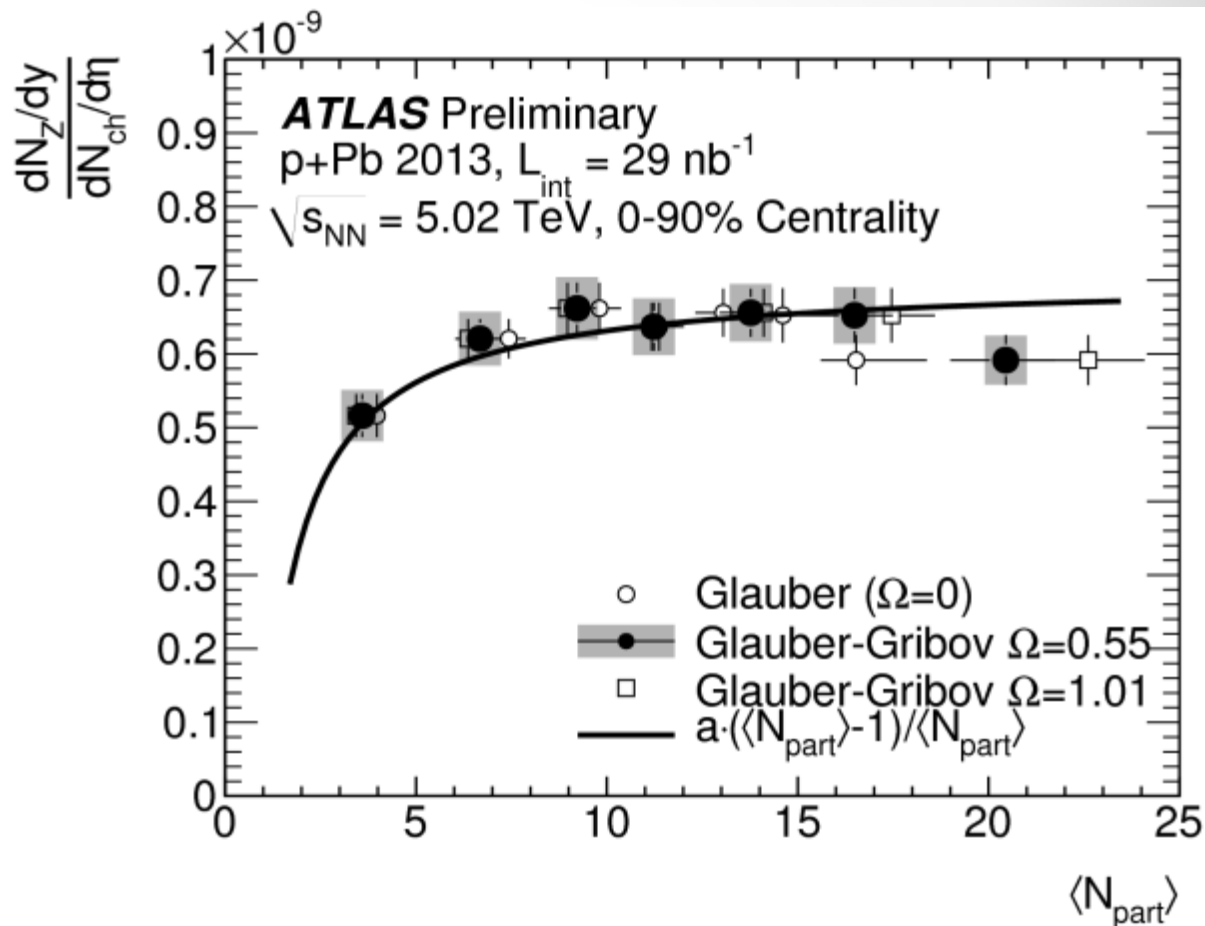
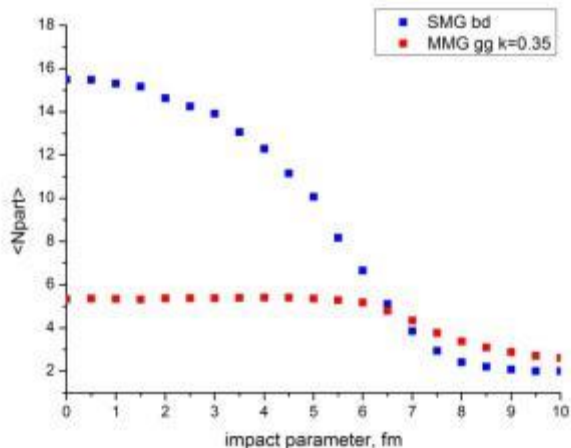
<https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/CONFNOTE/S/ATLAS-CONF-2014-020/>



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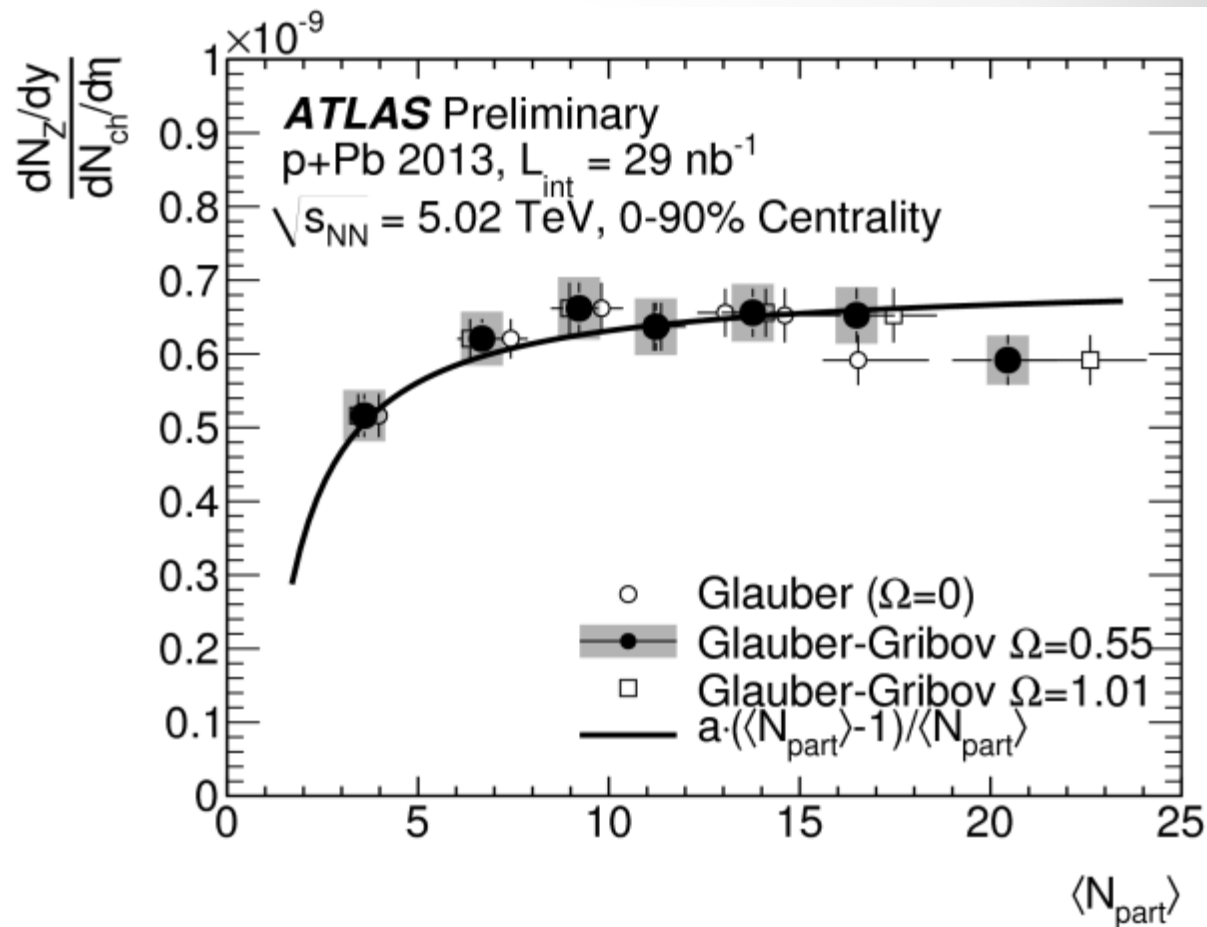
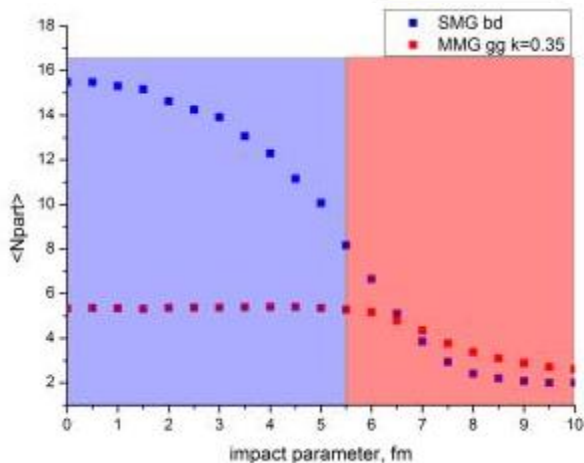
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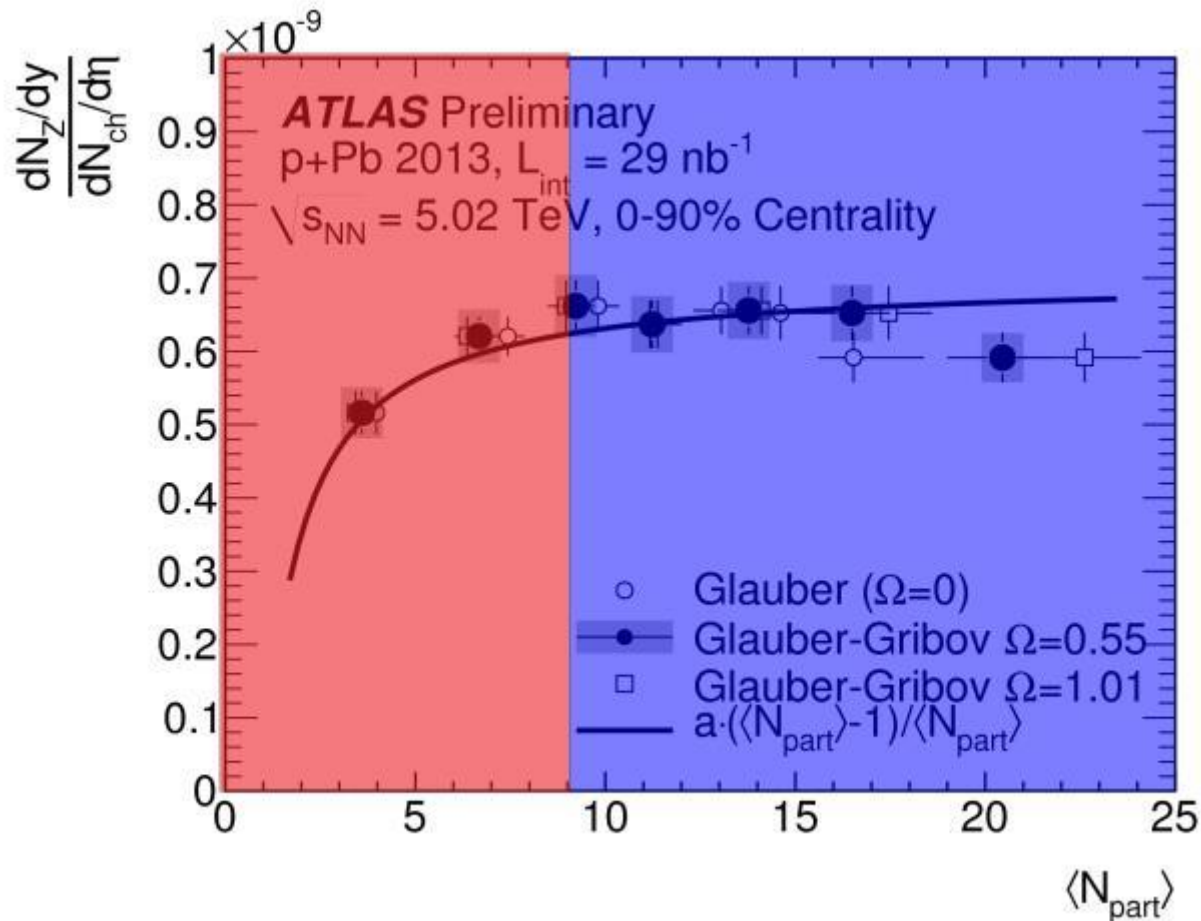
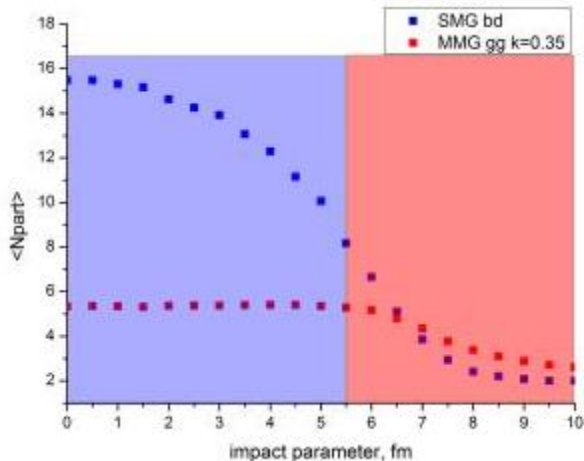




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ATLAS-CONF-2014-020

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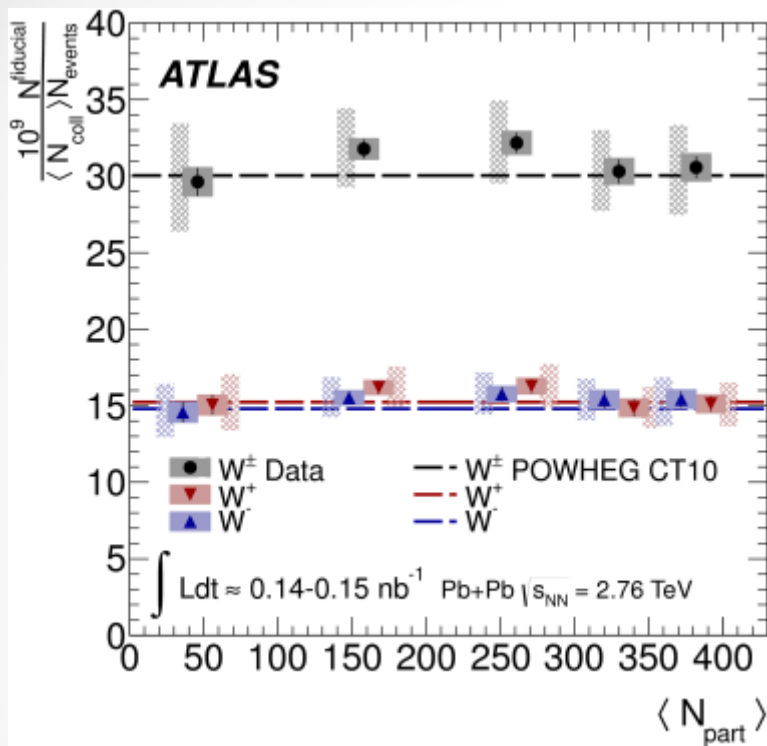


In MGM we do not have  $N_{part} > 6$

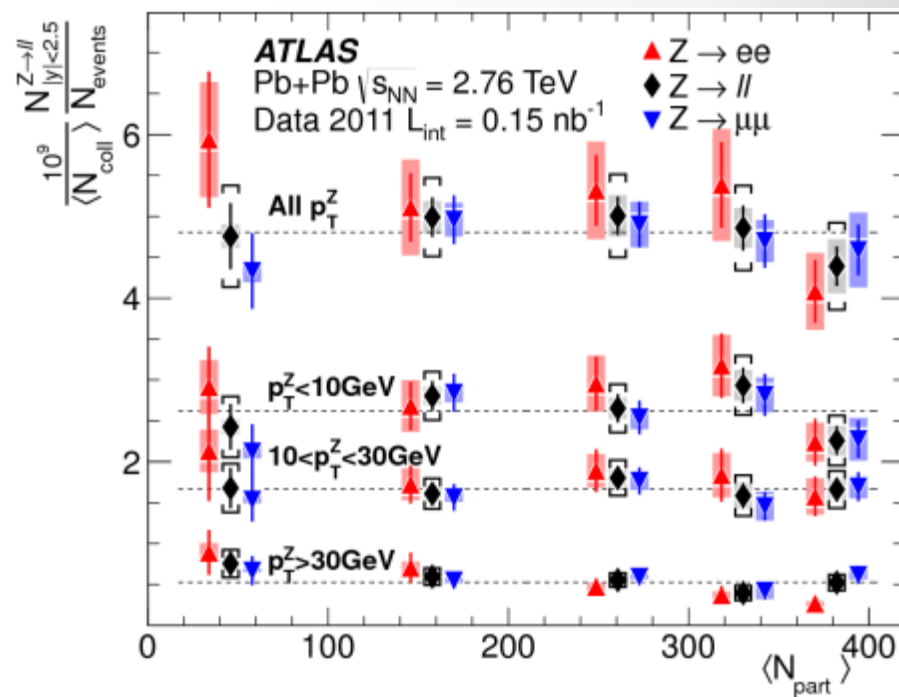
In terms of MGM the points with  $N_{part}$  (SGM)  $> 9$  are just a one stretched point.



# Rare processes



ATLAS arXiv:1408.4674

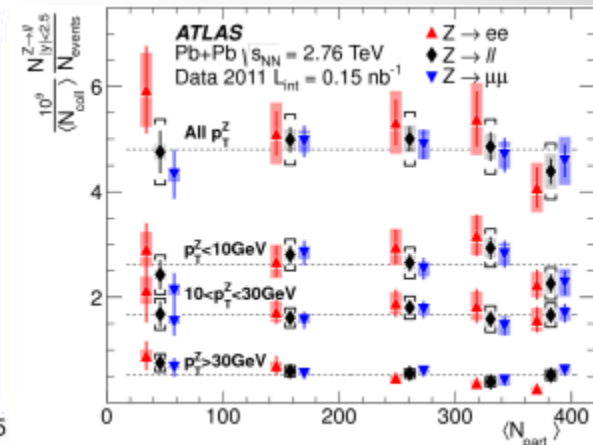
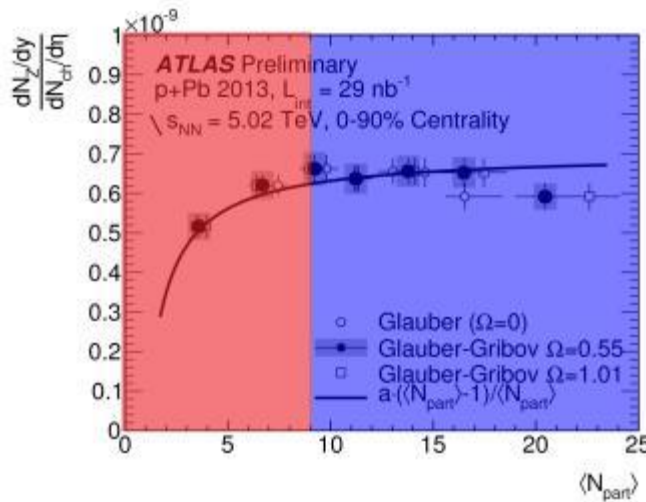
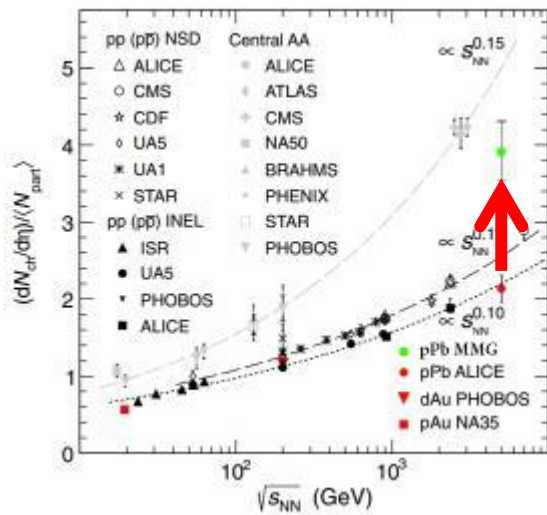


ATLAS arXiv:1210.6486

Standard Glauber model is correct for rare processes



# Conclusions



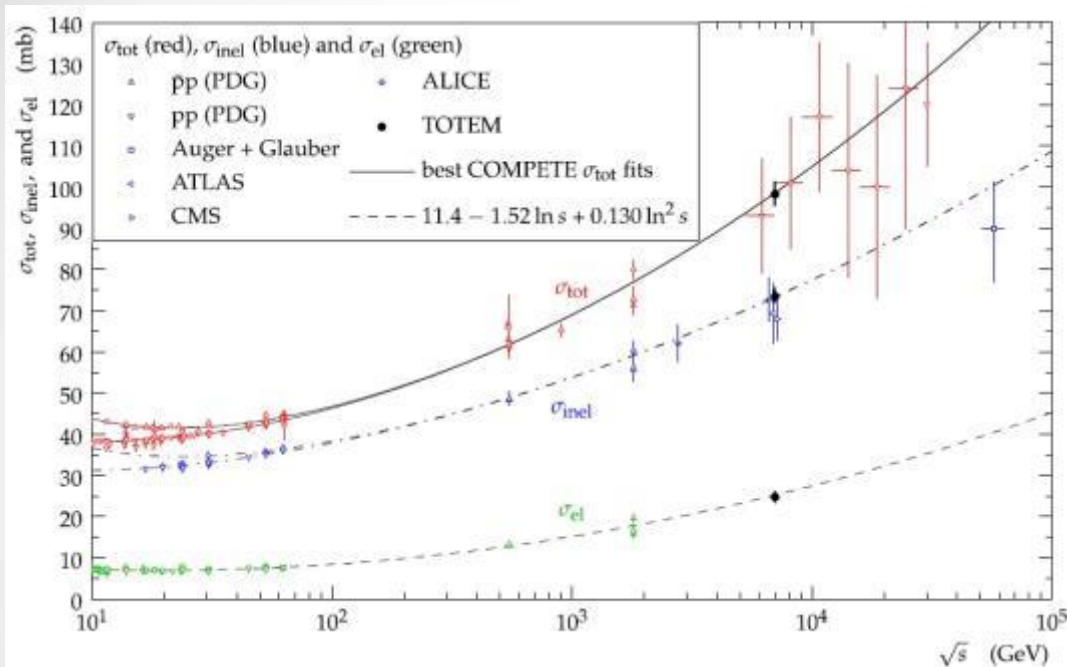
- Number of nucleon-nucleon collision (and  $N_{part}$  for pA) is not the same for soft and hard processes
- We have to be very careful with dividing experimental data by values which were obtained from theoretical models, because this results may be misleading



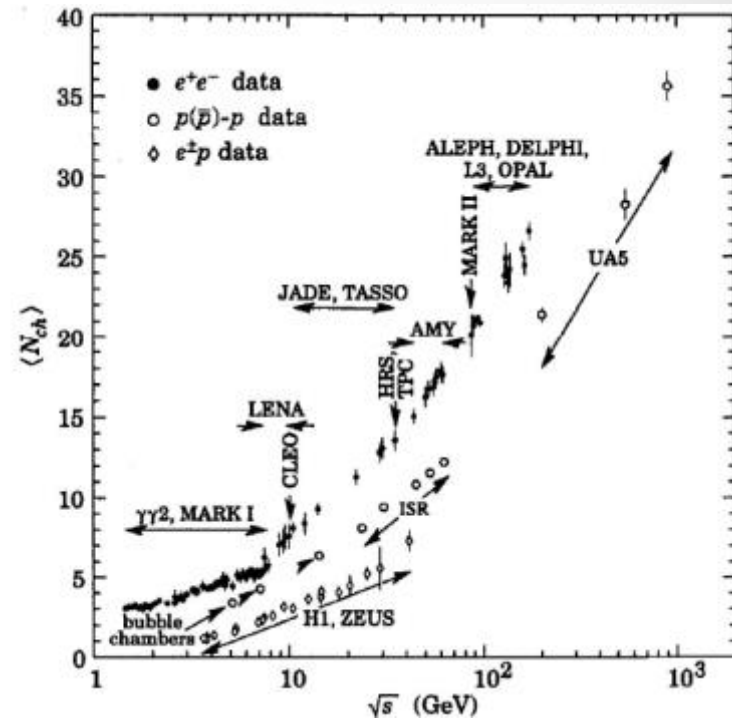
# Backup



# Proton-proton data



cross-section



multiplicity



# Introduction

