# POSSIBLE ORIGIN OF EVENTS pp $\rightarrow \mathrm{pp}+\mathrm{n} \pi$ WITH ANOMALOUS MULTIPLISITY, 

OBSERVED AT INSIDENT PROTON ENERGY 50 GeV (PROT E-190)<br>(Yad.Phys. 75 (3), 343 (2012) )

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"E-190" data pp $\rightarrow$ pp+n $\pi \quad$ (Yad.Phys. 75 (3), 343 (2012) )


Рис. 7. Сразненне топологиесквх сетений с МГД [11], модетью ИФВЭ [12] и NBD [13].
"Anomalous" observed probabilities for large $n \pi$

## plane

- Considered data.
- "Black balls" model for NN scattering.
- Non-equilibrium short-life rotational states.
- "Forced" emission of mesons.
- Estimates for peripheral collisions with $\mathrm{n}_{\pi}=36$.

Considered data $p p \rightarrow p p+n \pi \quad\left(u p\right.$ to $\left.n_{\pi}^{\max }=36\right)$

$$
\begin{aligned}
\mathrm{P}_{0}=50 \mathrm{GeV} / \mathrm{c}, & \mathrm{E}_{0}=50,947 \mathrm{GeV}, \quad\left(\mathrm{v}_{\text {s.c.m. }}=0.981 \mathrm{c}\right) \\
& \mathrm{E}_{0}^{\prime}=9.78 \mathrm{GeV}, \quad \mathrm{~T}_{0}^{\prime}=7.90 \mathrm{GeV},
\end{aligned}
$$

$\mathrm{n}_{\pi}{ }^{\text {max }}=36$ with mean energy $\sim 70 \mathrm{MeV}, \mathrm{E}_{36 \pi}^{\prime}=7.56 \mathrm{GeV}$
(7.56 / $7.90=96 \%$ of pp kin. energy into $36 \pi$ emission)

Consistent theory is absent for the present.
"Special" hypotheses: "active" gluons in q-g plasma ( central collisions ), "clan" structure of interaction, ...

## Possible mechanism in "black balls" model

Emission of pairs of $\pi$-mesons in $n_{\pi} / 2$ short-life rotary states


$$
L_{p}=b P_{p}
$$

$$
\Delta \mathrm{P}_{\mathrm{p}}=\delta \mathrm{P}_{\mathrm{p}^{\prime}}+\mathrm{P}_{\sigma}=\Delta \mathrm{L}_{\mathrm{p}} / \mathrm{b}
$$

$$
\Delta L_{p}=L_{\sigma}=b_{\sigma} P_{\sigma}(=12 \eta)
$$

$\mathrm{n}_{\sigma}=\mathrm{n}_{\pi} / 2$ short-life rotary states appear during interact.
$n \pi$ appear far away $\sim 2 R \sim 1 f$ from "interaction point" in result of $n_{\pi} / 2$ transitions with $\Delta L_{p}=L_{\sigma}=12 \eta$.

Empirical ground of "black balls" model of NN interact.

- "Geometric" cross-sections of NN scattering ( $\sigma_{\text {el }} \sim 8 \mathrm{mb}$ and $\sigma_{\text {inel }} \sim 31,5 \mathrm{mb}$ at $\mathrm{P} \sim 5-1000 \mathrm{GeV} / \mathrm{c}$ )
- Data $n p \rightarrow n p \pi^{+} \pi^{-}$and $n p \rightarrow n p K^{+} K^{-}$at $P_{n}=5.2 G e V / c$
( Yu.A.Troyan et al.,
Proc. XVIII ISHEPP, 2006, V.1, p. 114 and V.2, p. 186 )


## ( $\mathrm{p}, \mathrm{p}$ ) and ( $\mathrm{p}^{-\quad, \mathrm{p}}$ ) scattering data



 energy. Correepcoding ccaputer-readable dats files may be found at http://pdg.161.gov/curront/xeoct/. (Courtesy of the COMPAS group,
IHEP, Protvino, August 2005 ) IHEP, Protvino, August 2005)

## Proton-proton cross-sections $\sigma_{\text {inel }}=4 \sigma_{\text {el }}$


$\mathrm{E} \sim 5-100 \mathrm{GeV}: \quad \sigma_{\mathrm{el}} \sim 8 \mathrm{mb}=\pi \mathrm{R}^{2}, \quad \mathrm{R}=0.50 \mathrm{fm}$,
$\sigma_{\text {tot }} \sim 40 \mathrm{mb}=5 \pi R^{2}, \quad \sigma_{\text {inel }} \sim 4 \sigma_{\text {el }}=4 \pi R^{2}$

## "Geometrical" view of NN cross-sections

Empirical equality $\sigma_{\text {el }}=\sigma_{\text {inel }} / 4$ is "black balls" ratio with $\sigma_{\text {el }}=\pi R^{2}$ and $\sigma_{\text {inel }}=4 \pi R^{2}$.


$$
\sigma_{e l}=\sigma_{i n e l} / 4
$$

$$
\sigma_{\mathrm{el}}=\sigma_{\mathrm{inel}}
$$

Present theory is not suited for "black balls" scattering.
( This is variant of Fraunhofer theory of diffraction )

Empirical ratio $\sigma_{\text {tot }}=5 \pi R^{2}\left(E / E_{0}\right)^{1 / 5}, R=0.50 f, E_{0}=70 \mathrm{GeV}$
( $E$ is $s^{1 / 2}$ ), for $E=7 \mathrm{TeV}$ this expression gives

$$
5 \pi(0.5 \mathrm{f})^{2}(100)^{1 / 5}=39,3 \mathrm{mb} * 2.51=98.7 \mathrm{mb}
$$

coincides with value LHC (2011) $\sigma_{\text {tot }}=98.5 \mathrm{mb}(\mu 2$ 2?)
"Black balls" model can explain dependence $\left(E / E_{0}\right)^{1 / 5}$
( $c \eta / 2 E=r-$ "size" of virtual inner events with $\tau \sim r / c$ )
$\left(2 E_{0} \sim 140(\mu 10) \mathrm{GeV}\right.$ as mass of free real particle )

## Unobserved properties of "free" particles

Observed interacted particles - with non-equilibrium inner states.
"Equilibrium" state of free particle is unobserved and therefore unknown.

Non-equilibrium nucleons states in NN scattering are similar to "black balls".

## Non-equilibrium inner states of interacted nucleons

Nucleon as probability distribution of constituent virtual events. Distributions of interacted nucleons turn into compressed to b/2 Probability is a possibility of some event, it is abstract notion. If transfer of energy or momentum is absent, all probabilities of considered distributions may be redefined instantaneously, without effects of lateness,


Boundary $\mathrm{b}=2 \mathrm{R}$ of inelastic NN interaction, "thickness" $\Delta b_{\text {el-inel }}=\eta / P$ separates elastic and inelastic events

## Instability of non-equilibrium distributions $R<R=0,50 f$

$100 \%$ probability of reactions for collision with $b<2 R$ can not be probability of some casual local events,
this is nonrandom "regular" result - "surface" of compressed to $R<R$ distribution becomes unstable:
due to violation of indistinguishability of possible ev.?
( or other condition of keeping of stable distribution? )
$n p \rightarrow n p \pi^{+} \pi^{-}$at $P_{n}=5.2 \mathrm{GeV} / \mathrm{c},\left(\pi^{+} \pi^{-}\right)$in state $\mathrm{J}^{\pi}=0^{+}$ Final proton moves forward in c.m.s., 7647 events $\sigma^{\prime} \sim 2 \mathrm{mb}$ Theory allows only $17 \%$ of observed events. Forbids $\sim 83 \% \sigma$ '

$\mathrm{M}_{\pi i}{ }^{(\mathrm{i})} \mathrm{C}^{2}=\mathrm{V}\left(2 \mathrm{~L}_{1}{ }^{(\mathrm{i})}-1\right), \quad \mathrm{V}=\eta^{2} /\left(6 \mathrm{mR} \mathrm{R}^{2}\right), \quad \mathrm{m}$ of nucleon, $\mathrm{R}=0.50 \mathrm{fm}$
$n p \rightarrow n p K^{+} K^{-}$at $P_{\mathrm{n}}=5.2 \mathrm{GeV} / \mathrm{c}$
3138 K+K-events: $\sim(1-0.17) 7647 / 2=3173$ - half of forbidden $\pi^{+} \pi^{-}$events Two transitions $n p \rightarrow(n+2 \pi)(p+2 \pi) \rightarrow n p K^{+} \boldsymbol{K}^{-}$, it explains $N_{2 K^{\prime}} \sim 1 / 2 N_{2 \pi}\left(0^{+}\right)$


$$
M_{n k}{ }^{(i)} c^{2}=m+2 m_{\pi}+V\left(L_{1}^{(i)}-1 / 2\right), \quad V=\eta^{2} /\left(6 m R^{2}\right), \quad R=0.50 f m
$$

"Black balls" description of $\mathrm{np} \rightarrow \mathrm{np} \pi^{+} \pi^{-}$and $\mathrm{np} K^{+} K^{-}$data
Quantization of angular momentum $\mathrm{L}_{1}=\mathrm{bp}_{\mathrm{n}}$ of two-nucleons rotating system and its transition into state with $\mathrm{L}_{\mathrm{f}}=\mathrm{L}_{1}-2$


Parameter $R$ is defined by data: $R=L_{1}(\max ) / p_{0} \sim 26 \eta / p_{0}=0.50 f m$

Description of spectra by rotary model of two-nucleon system
( ISHEPP XIX,
v.1, p. 208 )
(black line) $\mathrm{M}_{\pi \pi}{ }^{(\mathrm{i})}=2 \mathrm{~V}\left(\mathrm{~L}_{1}{ }^{(\mathrm{i})}-1 / 2\right) / c^{2},\left(\right.$ even $\left.\mathrm{L}_{0}{ }^{(\mathrm{i})}=\mathrm{L}_{1}{ }^{(\mathrm{i})}\right)$
(blue line) $\quad \mathrm{M}_{n K^{(\mathrm{i})}=}=\mathrm{V}\left(\mathrm{L}_{1}{ }^{(\mathrm{i})}-1 / 2\right) / c^{2}+\mathrm{m}+2 \mathrm{~m}_{\pi},\left(\right.$ odd $\left.\mathrm{L}_{0}{ }^{(\mathrm{i})}=\mathrm{J}^{(\mathrm{i})}=\mathrm{L}_{1}{ }^{(\mathrm{i})}-1\right)$ $V=\eta^{2} /\left(6 m R^{2}\right), \quad m$ of nucleon, $R=(0.50 \mu 0.01) f m$


Events $n p \rightarrow n p \pi^{+} \pi^{-}$at $\mathrm{P}_{\mathrm{n}}=5.2 \mathrm{GeV} / \mathrm{c}$ with $\mathrm{M}_{\pi \pi}{ }^{(\max )} \sim 1.4 \mathrm{GeV} / \mathrm{c}^{2}$
in lab. system final momentum $\mathrm{L}^{\prime}{ }_{n}+\mathrm{L}^{\prime}{ }_{p}+\mathrm{L}^{\prime}{ }_{\pi \pi}=\mathrm{L}_{1}{ }^{\max }-2 \sim 24 \eta$ created by $n$ ' and $\mathrm{M}_{\pi \pi}$ :

$L_{1}$ and $L^{\prime}$ are angular momenta of movement relatively point $C$

Borders of spectra $\mathbf{M}^{(\max )}{ }_{\pi+\pi-}, \mathbf{M}^{(\max )}{ }_{\mathrm{nK}}^{+}, ~ a n d ~ r a d i u s ~ R$
$\mathbf{M}^{(\max )}{ }_{\pi+\pi-}=1.42 \mathrm{GeV} / \mathrm{c}^{2}$ and $\quad \mathbf{M}^{(\max )_{\mathrm{nK}}^{+}} \boldsymbol{}=1.96 \mathrm{GeV} / \mathrm{c}^{2}$

$$
\text { give } \quad L_{1}{ }^{(\max )}=26.4 \mu 0.5 \quad(\eta)
$$

and $\quad 2 R=b^{(\max )}=\eta L_{1}{ }^{(\max )} / p_{n}=1.00 \mu 0.02 \mathrm{f}$.
$\pi(2 R)^{2}=31.4 \mathrm{mb}$ conforms to empirical value $\sigma^{N N_{\text {inel }}} \sim 32 \mathrm{mb}$.
"Tangential" collision $b=2 R, P_{0}=50 \mathrm{GeV} / \mathrm{c}$

moment of inertia $Y=2 m_{p} R \quad(R=0.50 f)$,
$E_{\text {rot }}=L^{2} / 2 Y \sim 2700 G e V \gg E_{0}$
$E_{\text {rot }}=L^{2} / 2 Y \sim 2700 \mathrm{GeV} \gg \mathrm{E}_{0}$ must be compensated by potential energy $\Delta \mathrm{U} \sim-\mathrm{E}_{\text {rot }}$ of non-equilibr. interaction

## Short-life rotational states of pp system ()

$\mathrm{L}=2 R \mathrm{P}_{0}=253 \eta, \mathrm{E}_{\text {rot }}=\mathrm{L}^{2} / 2 \mathrm{Y} \sim 2700 \mathrm{GeV} \gg \mathrm{E}_{0}$,

Shifted on $\Delta \mathrm{E} \sim \mathrm{E}_{\text {rot }}$ rotary state may exist $\tau_{\text {rot }} \sim \eta / \Delta \mathrm{E}$.

Minimum time of inelastic interaction $\tau_{\text {int }} \sim \Delta \mathrm{b} / 2 \mathrm{c} \sim \eta / 2 \mathrm{E}_{0}$

$$
\tau_{\text {int }} / \tau_{\text {rot }} \sim \mathrm{E}_{\text {rot }} / 2 \mathrm{E}_{0} \sim 25 \gg 1
$$

## Decelerated rotation and forced emission of mesons

Each appearance of rotary state and interaction $\Delta \mathrm{U}$ with transfer of $\delta \mathrm{P}_{\mathrm{p}}$, to proton-target leads to decreasing of angular momentum of pp-system.

Total angular momentum can keep, if simultaneously with momentum decrease $\delta \mathrm{P}_{\mathrm{p}^{\prime}}$ meson will be emitted with such values $b_{\text {mes }}>b$ and longit. momentum $P_{\text {mes }}$, that $\Delta L_{p}=b\left(\delta P_{p^{\prime}}+P_{\text {mes }}\right)=b_{\text {mes }} P_{\text {mes }}=L_{\text {mes }}$.

Parity of $L_{p}-L_{\text {mes }}$ must be kept for repeated rot. states.
This is fulfilled for $\sigma$-meson $0^{+}\left(0^{+}\right)$emission, and $\sigma \rightarrow 2 \pi$

## Possible increase of soft photons bremsstahlung

In event with $\mathrm{n}_{\sigma}$ emission $\mathrm{n}_{\sigma}$ sudden accelerations are.

Addition of bremsstahlung amplitudes may increase probability of soft photon radiation with $\Delta>\eta / 50 \mathrm{MeV}$,
which is more than expected from other hypotheses.

Estimates for tang. collision $b=2 R$ with $36 \pi$ emission In the case of $L_{0}=253 \eta$ and even $L_{\sigma}$ of $18 \sigma$-mesons only $L_{\sigma}=12 \eta$ is suitable value for meson momentum.

Equality $\Delta \mathrm{L}_{\mathrm{p}}=\mathrm{L}_{\sigma}$ gives $\Delta \mathrm{P}_{\mathrm{p}}=\Delta \mathrm{L}_{\mathrm{p}} / 2 \mathrm{R}=2.36 \mathrm{GeV} / \mathrm{c}$ and final longitud. momentum $P_{p}=P_{0}-18 \Delta P_{p}=7.3 \mathrm{GeV} / \mathrm{c}$ of incident proton after $18 \sigma$-mesons emission.

Final angular momentum of this proton $L_{p}=2 R P_{p}=$ $37 \eta$
(it is value $L_{0}-18 L_{\sigma}=(253-216) \eta=37 \eta$ ).

Values $P_{\sigma}$ and $\delta P_{p}=\Delta P_{p}-P_{\sigma}$ depend on parameter $b_{\sigma}$.

Estimates for $P_{\sigma}$ and momentum of proton-target $P_{p}$,
In the case of maximum value $b_{\sigma}=3 R=1.5 \mathrm{f}$
$P_{\sigma}=12 \eta / b_{\sigma}=1.58 \mathrm{GeV} / \mathrm{c}, \delta \mathrm{P}_{\mathrm{p}^{\prime}}=\Delta \mathrm{P}_{\mathrm{p}}-\mathrm{P}_{\sigma}=0.78 \mathrm{GeV} / \mathrm{c}$.
Final p-target momentum $\mathrm{P}_{\mathrm{p}^{\prime}}=18 \delta \mathrm{P}_{\mathrm{p}^{\prime}}=14.22 \mathrm{GeV} / \mathrm{c}$

Difference of velocities of mesons and protons system
$P_{p}+P_{p^{\prime}}=21.56 \mathrm{GeV} / \mathrm{c}=\mathrm{P}_{\mathrm{pp}} \quad \quad$ (longitudinal)
$\mathrm{E}_{\mathrm{pp}}$ ~ 21.65 GeV (without transverse momentum)

$$
\mathrm{v}_{\mathrm{pp}}{ }^{\prime} \sim 0.995 \mathrm{c}, \quad \gamma_{\mathrm{pp}}{ }^{\prime}=\left(1-\mathrm{v}^{2}{ }_{\mathrm{pp}}{ }^{\prime} / \mathrm{c}^{2}\right)^{-1 / 2} \sim 10
$$

$$
\left(v_{c . m}=0.981 \mathrm{c}, \quad \gamma_{\mathrm{c} . \mathrm{m} .}=5.21\right)
$$

$\mathrm{P}_{18 \mathrm{c}}=28.44 \mathrm{GeV} / \mathrm{c}$ (long.)
$\mathrm{E}_{18 \sigma}=\mathrm{E}_{0}-\mathrm{E}_{\mathrm{p}}-\mathrm{E}_{\mathrm{p}^{\prime}}=29.30 \mathrm{GeV}$
$v_{\sigma} \sim 0.971 c, \quad \gamma_{\sigma} \sim 4.2$

$$
\mathrm{v}_{\mathrm{pp}}{ }^{\prime}>\mathrm{v}_{\text {c.m. } .} \quad \quad \mathrm{v}_{\sigma}<\mathrm{v}_{\text {c.m. }} .\left(\text { Mean }<\mathrm{v}_{\pi}>=\mathrm{v}_{\sigma}\right)
$$

## Possible view of events with $36 \pi$ in s.c.m.

Possible movement of final particles relative to s.c.m.


If this effect exists it may be observed and treated as confirmation of "black balls" model for NN interaction.

## Thank you

for attention !

