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The Search and Study of Low-Mass Scalar σ_0 -meson

at the Impulse of Neutron Beam $P_n = 3.83$ GeV/c

The investigation has been performed at the Veksler and Baldin Laboratory of High Energies, JINR.

Dear colleagues, it is the twentieth ISHEPP and, at previous seminars our group presented works, devoted to different physical problems. It is a tradition to speak about our researches at Baldin's Autumn and also in our tradition to do it in Russian

Introduction

This work is devoted to the study of scalar $0^+[0^{++}] \sigma_0$ - mesons in the $\pi^+\pi^-$ - system from the reaction $np \rightarrow np\pi^+\pi^-$

Investigation of light scalar mesons is important both for understanding of the mechanism of realization of chiral symmetry for corresponding Lagrangians and for an adequate description of an attractive part of the nucleon-nucleon interaction potential. It was noted by dr. Pennington that light scalar mesons constitute Higgs sector of strong interactions and that ensures finite masses of all kinds of light hadrons. They are interesting because they are fundamental.

The low-mass σ_0 -mesons can become a powerful tool to study of new state of matter. Predictions about varying of the σ_0 -meson properties in intermediate conditions are obtained in some papers (Volkov). **Reaction** $np \rightarrow np\pi^+\pi^-$

The study was carried out using the data obtained in an exposure of 1-m HBC of LHE (JINR) to a quasimonochromatic neutron beam with $\Delta P_n / P_n \approx 2.5\%$, $\Delta \Omega_n \approx 10^{-7}$ sterad. due to the acceleration of deuterons by synchrophasotron of LHE The accuracy of the momenta of secondary charged particles from the reaction $np \rightarrow np\pi^+\pi^-$ are: $\Delta P/P \approx 2\%$ for protons and $\Delta P/P \approx 3\%$ for π^+ and π^- . The angular accuracy was $\leq 0.5^{\circ}$. The channels of the reactions were separated by the standard χ^2 -method taking into account the corresponding coupling equations. There is only one coupling equation for the parameters of the reaction $np \rightarrow np\pi^+\pi^-$ (energy conservation law) and the experimental χ^2 -distribution must be the same as the theoretical χ^2 -distribution with one degree of freedom.

Reaction n

 $np \rightarrow np\pi^+\pi^-$ at $P_n = 3.83 \text{ GeV/c}$





Red line - up to 9th power Legendre polynomials. It describes this experimental distribution with $\overline{\chi^2} = 0.85 \pm 0.19$ and $\sqrt{D} = 1.41 \pm 0.13$ (without region of resonance)

Green line - the superposition of Legendre polynomials background and resonance curve taken in the Breit-Wigner form.

Blue line - calculated by means of OPER model

The results of approximation

$M_{\rm Res} \pm \Delta M_{\rm Res}, \\ MeV/c^2$	$\Gamma_{\rm Res} \pm \Delta \Gamma_{\rm Res},$ MeV/c ²	S.D.	$\sigma_{\mu b}$
404 ± 3	14 ± 3.8	4.2	86 ± 32

The first column contains

the experimental values of the resonance masses and their errors.

The second column contains

the experimental values of the total width of the resonances.

The third column contains

the statistical significances of the resonances, determined by

formula: S.D. = $N_{Res.} / \sqrt{N_{back.}}$.

The fourth column contains

the resonance cross-sections.

For the cross sections errors, we have taken into account the cross section error for the reaction $np \rightarrow np\pi^+\pi^-$ at $P_n = 3.83 GeV/c$

 $(\sigma_{np \to np\pi^+\pi^-} = (6.46 \pm 0.32) mb)$

The mass resolution function grows with increasing mass as: $\Gamma_{\text{res}}(M) = 4.2 \left[\left(M - \sum_{i=1}^{2} m_i \right) / 0.1 \right] + 2.8$,

where: M – the mass of the resonance, m_i – the rest mass of the particles composing this resonance, M and m_i are in GeV/c²; coefficients 4.2 and 2.8 are in MeV/c². The mass resolution for the resonance is 7.8 MeV/c².

The true width of the resonance, obtained by formula: $\Gamma_{\text{Res}}^{\text{true}} = \sqrt{\left(\Gamma_{\text{res}}^{\text{exp}}\right)^2 - \left(\Gamma_{\text{res}}\right)^2}$, is 10.4 MeV/c².

We have tried to estimate the quantum numbers for the observed resonance in $\pi^+\pi^-$ -system



The distribution is isotropic

The most probable spin for the resonance is **J**=**0** **G** - parity

G=(-1)ⁿ, where n is a number of rotations in charging space. For the $\pi^+\pi^-$ -system n=2 and G=+1

P - parity

The spin of the resonance J=0 => the orbital moment l=0 and P=(-1)(-1)(-1) l=+1

C – parity

At performance of conditions of the CP – invariance, with positive parity, C=+1

Isotopic spin I

 $G=C(-1)^{I}$, where I – isotopic spin of the system. This way, for our system, I=0 or I=2.

But there are no corresponding signal in the $\pi^-\pi^-$ -system from the reaction np \rightarrow pp $\pi^+\pi^-\pi^-$, which also have been

studied by us. The peak with $M_{\pi^-\pi^-}=0.397$ GeV/C² has J ≥ 6 and doesn't match a resonance observable now. Isotopic spin of the resonance is I=0



Thus, the peculiarity observed in our experiment, with a high probability, has quantum numbers $I^{G}(J^{PC}) = 0^{+}(0^{++})$ and may be identified as σ_0 –meson

Conclusion

We have observed the resonance in the system π⁺π⁻ mesons from the reaction np→npπ⁺π⁻ at P_n=(3.83±0.08) GeV/c
with M_{π'π'} = 404±3MeV/c², Γ=14±3.8 MeV/c², statistical significance S.D.= 4.2 and quantum numbers of σ₀ - meson 0⁺(0⁺⁺)
This effect corresponds to resonance with M_{π'π'} = 408 MeV/c² from the reaction np→npπ⁺π⁻ at P_n=(5.20±0.12)GeV/c, presented at ISHEPP-XIX
The main problem of this research is lack of statistics
but these results is the good instruction for other experiments, such as HADES and NICA/MPD, considering necessity to study also other decay modes of σ₀ - meson.
The study of σ₀ - mesons of hot and dense matter will give much information about the properties of this matter.

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