

Centrality determination for the MPD@NICA

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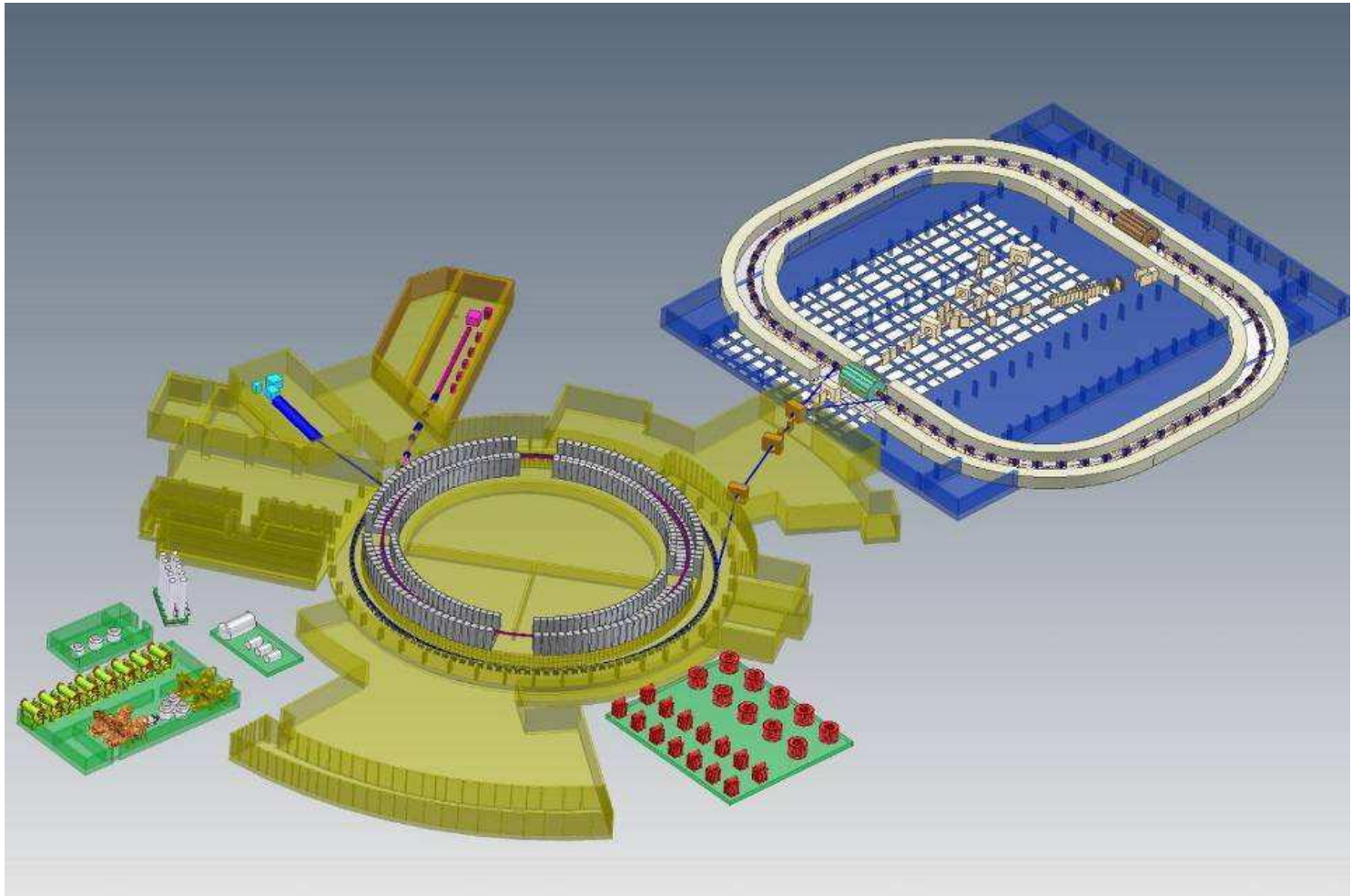
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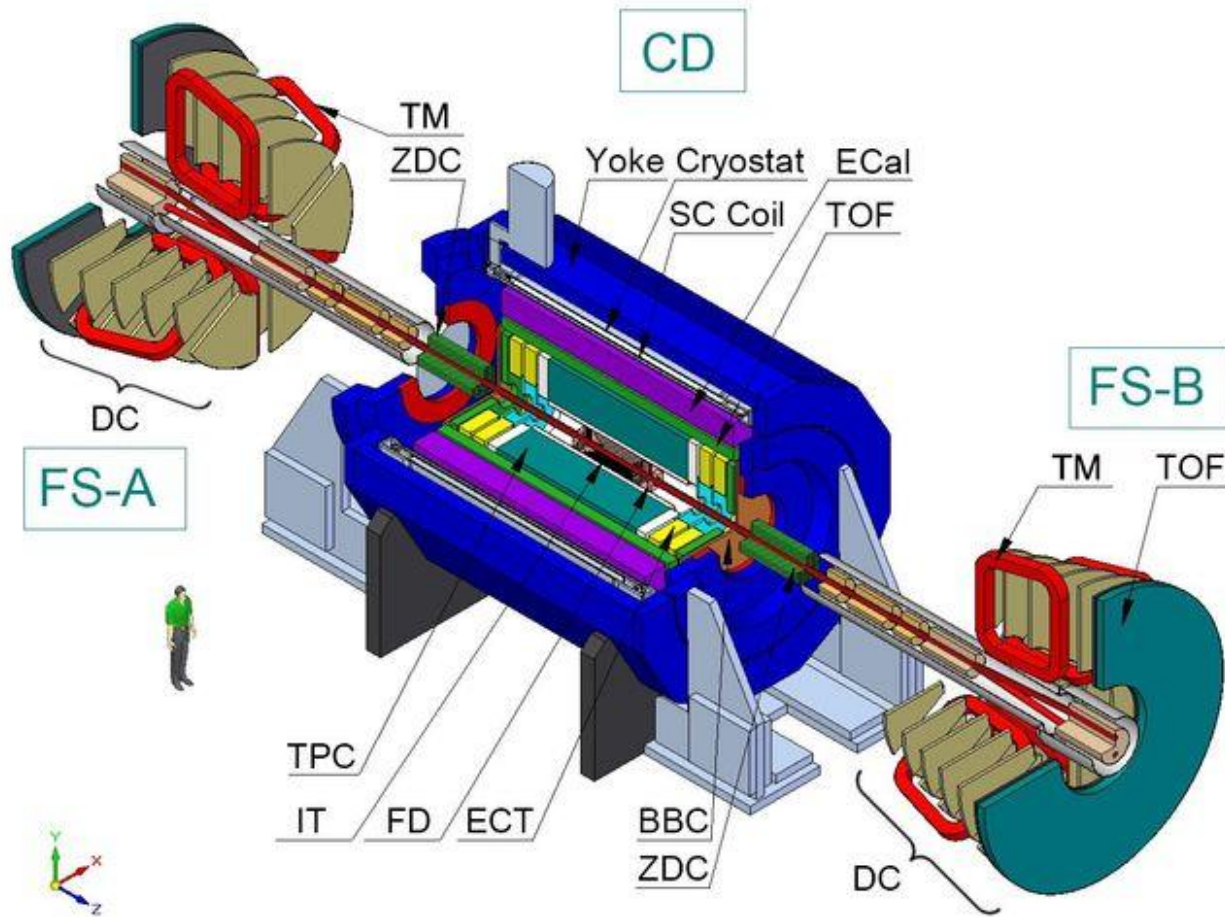
Outline

- Introduction
 - ✓ Some definitions
 - ✓ Spectators
- UrQMD generator
- LAQGSM generator
- Conclusions

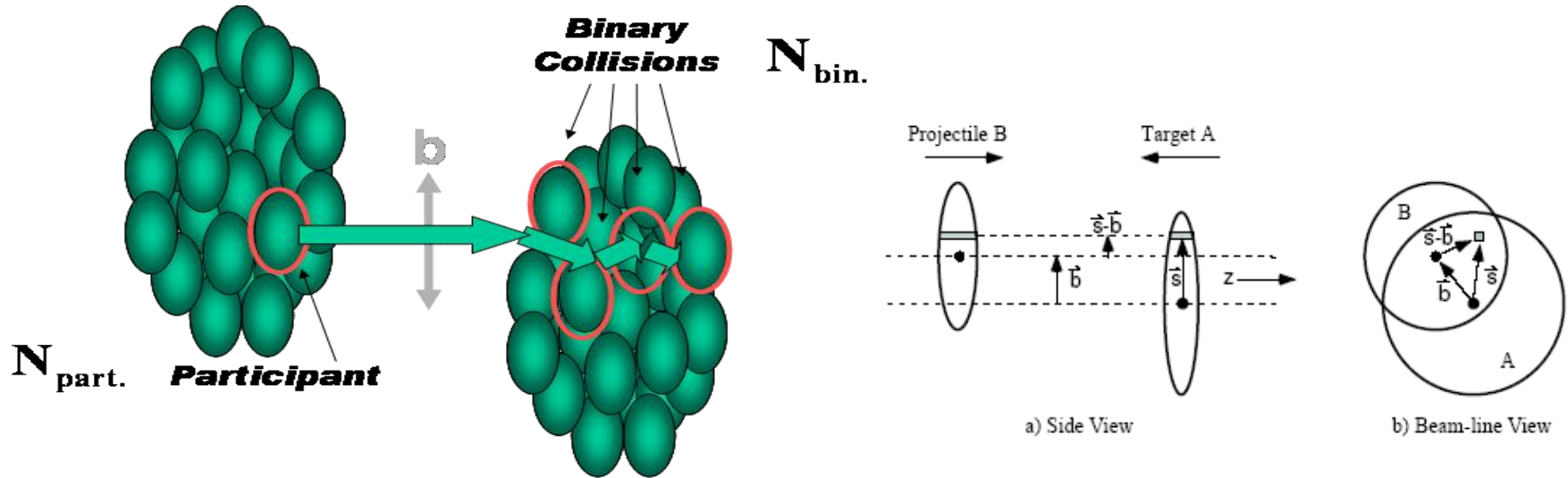
NICA



MPD



Nuclear-Nuclear collisions



- ❖ Quasi-Classical picture
- ❖ b - not observable
- ❖ observables $\longleftrightarrow b$

The centrality classification

Geometrical cross section

$$\sigma_{geo} = 2\pi \int_0^{2R} b db = \pi(2R)^2$$

Geometrical cross section
for the fixed impact parameter

$$\sigma_{geo}(b) = 2\pi \int_0^b b db = \pi b^2$$

- Interval of impact parameter values $b = 2 \div 4$ fm
- Interval given in percents from the geometrical cross section

Centrality 40 ÷ 50 % corresponds to the region of the impact parameter:

$$\sigma_{geo}(b_{\min}) / \sigma_{geo} = (b_{\min} / 2R)^2 = 0.4$$

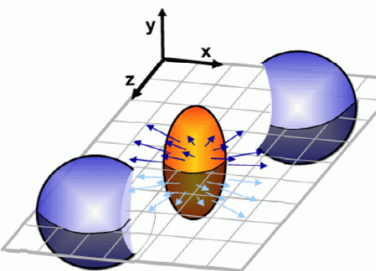
$$\sigma_{geo}(b_{\max}) / \sigma_{geo} = (b_{\max} / 2R)^2 = 0.5$$



$$b_{\min} = \sqrt{0.4} (2R) = 9.5 \text{ fm}$$

$$b_{\max} = \sqrt{0.5} (2R) = 10.6 \text{ fm}$$

The importance of the centrality classification



Space eccentricity

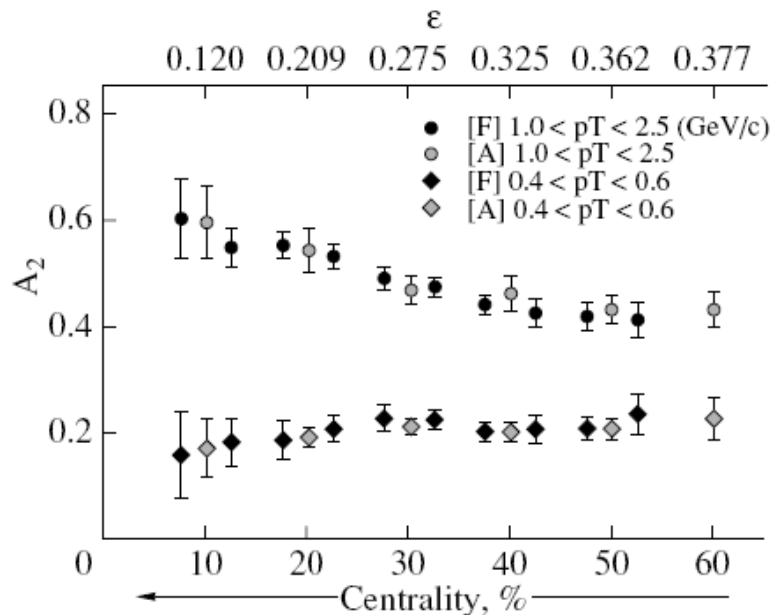
$$\epsilon = \frac{\langle y^2 \rangle - \langle x^2 \rangle}{\langle y^2 \rangle + \langle x^2 \rangle}$$

Elliptic flow

$$\frac{dN}{d} = \frac{1}{2\pi} (1 + 2v_1 \cos + 2v_2 \cos 2 + \dots)$$

$$A_2 = \frac{V_2}{\epsilon}$$

Nuclear Physics A
V757, No. 1-2, p.184,2005

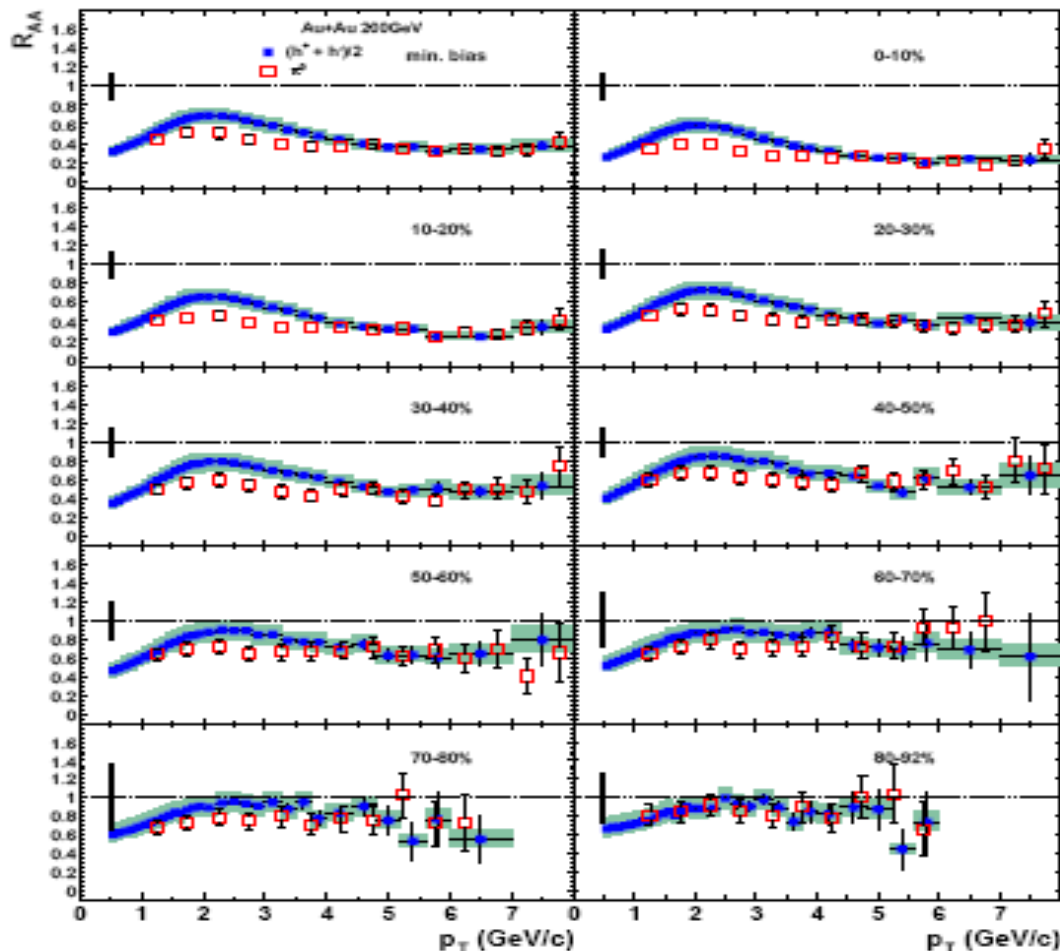


elliptic flow scaling
 with space eccentricity



short equilibration time

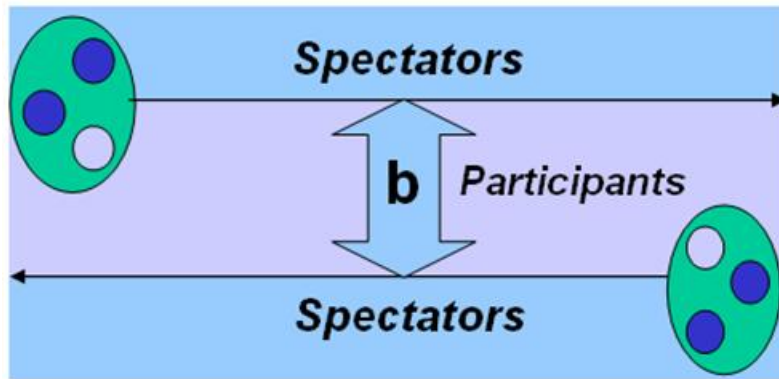
The importance of the centrality study



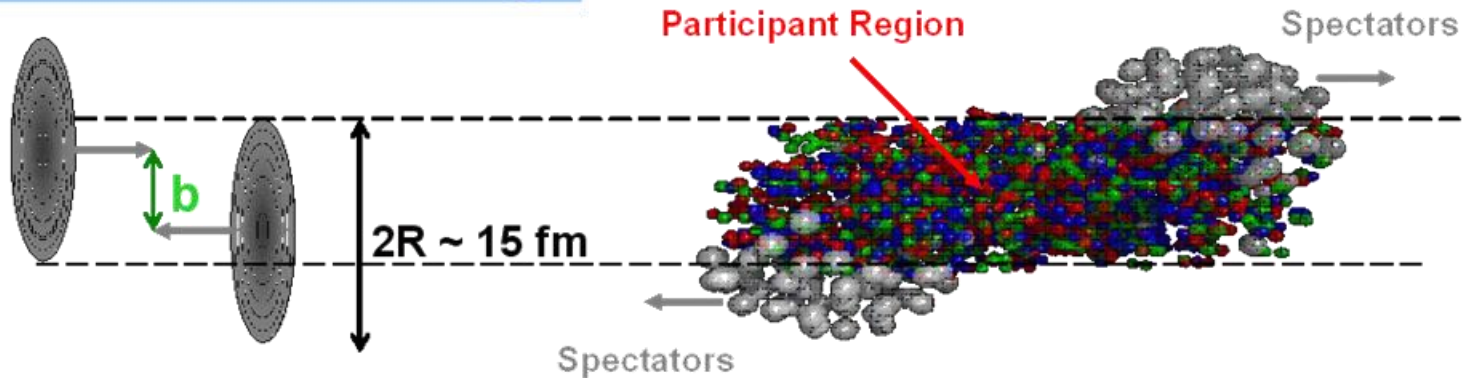
Nuclear Physics A
V757, No. 1-2, p.184, 2005

Jet Quenching - nuclear modification factor vs centrality

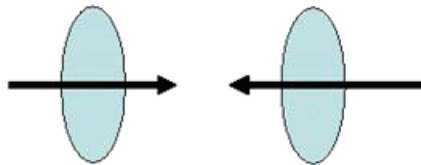
The centrality determination - the observables:



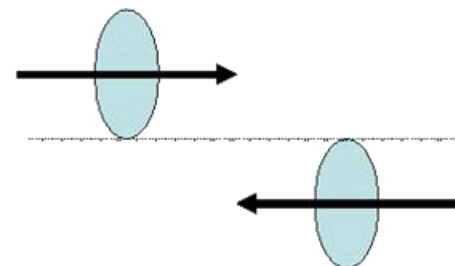
- The number of particles produced in the region of rapidity close to zero
- The total energy of spectators



Central collision, $b = 0$

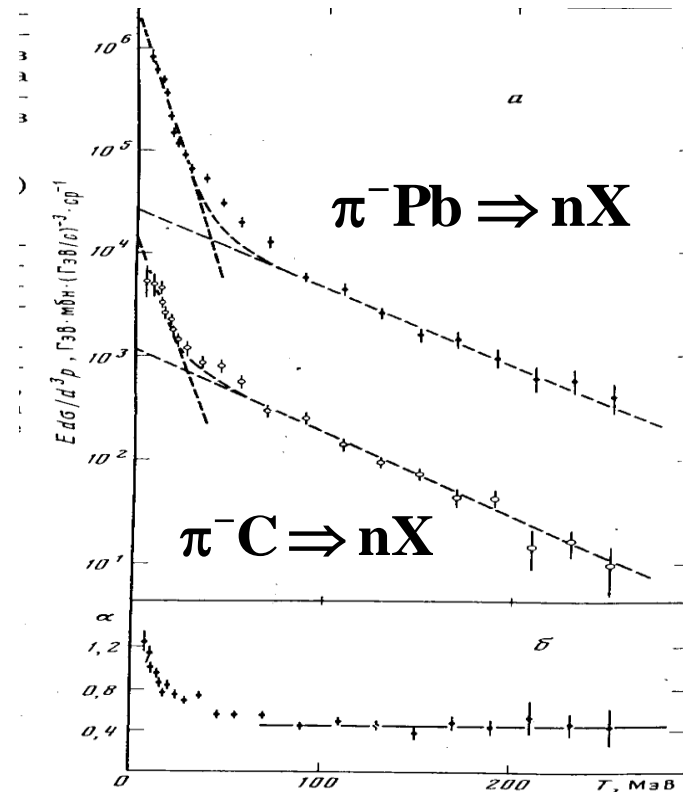
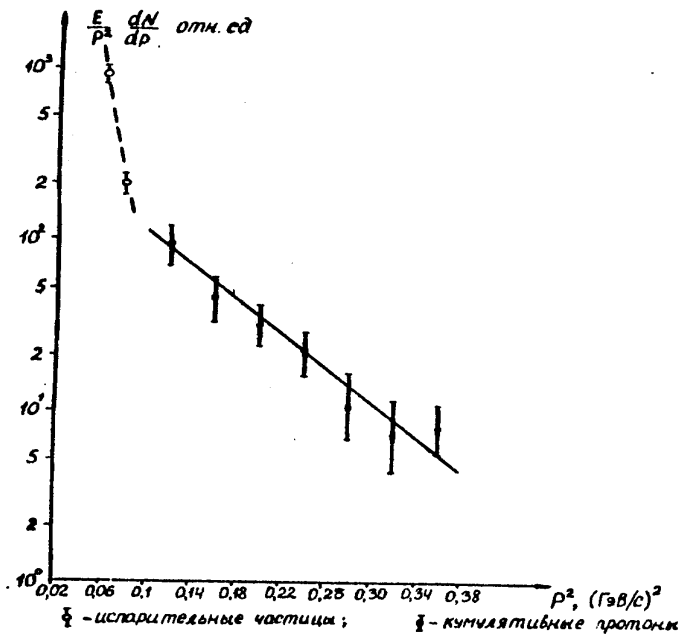


Peripheral collision, $b \approx 2R$



Nucleon spectators (spectrum)

$$\bar{\nu} + Em = p(\text{backward}) + X$$



R.Ammaru et al., Pisma v JETP,
V.94, No. 4, p.189, (1989)

Yu.Bayukov et al., YaF
V.35, No. 4, p.960, (1982)

Spectator spectrum

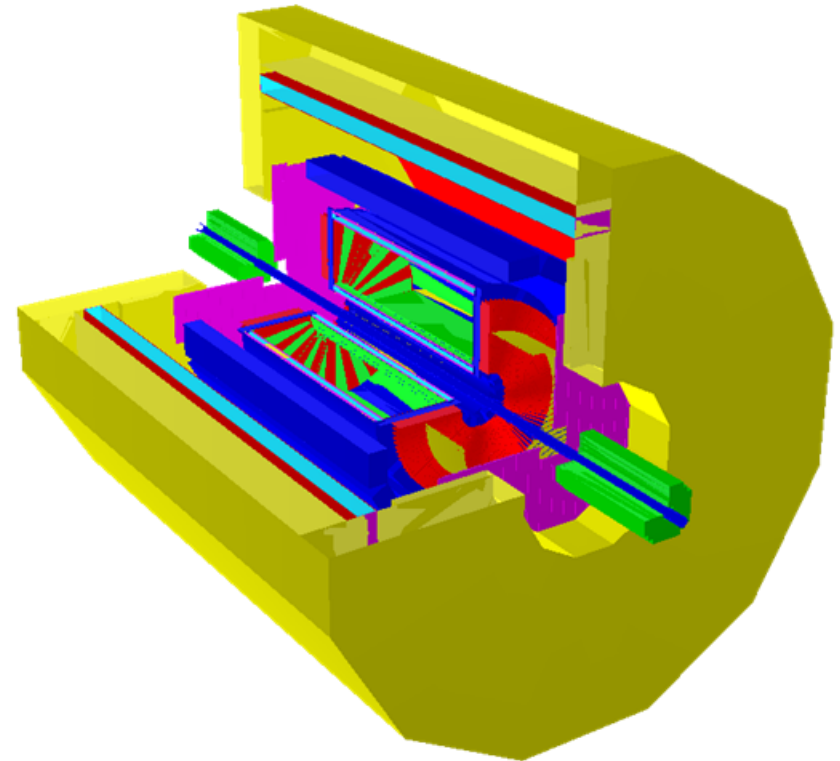
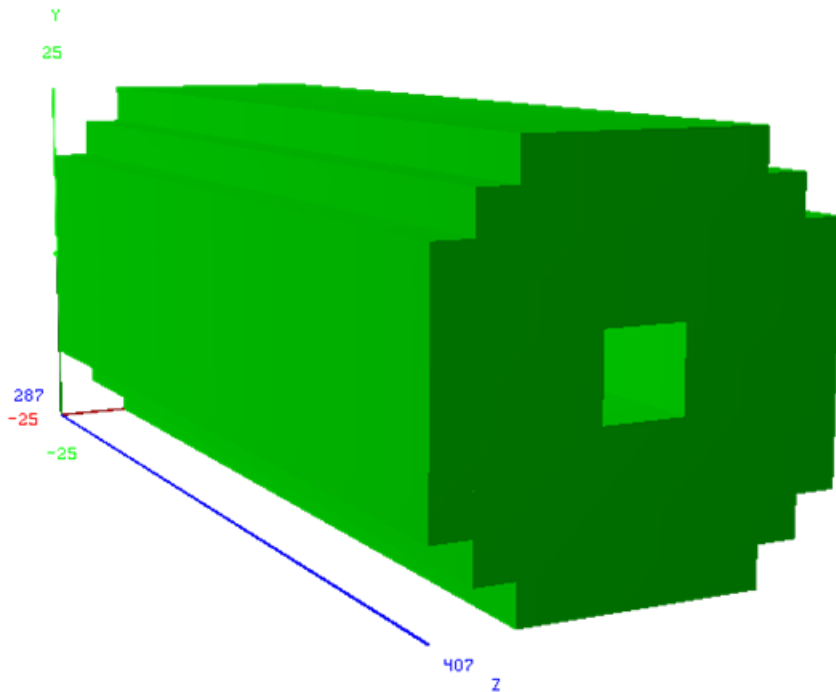
$$E \frac{d\sigma}{d^3p} = C \cdot \exp(-T/T_0) \quad T_0 = 5 - 10 \text{ MeV}$$

$$E \frac{d\sigma}{d^3p} = C \cdot \exp\left(-\frac{P_S P_F - m_N^2}{m_N T_0}\right)$$

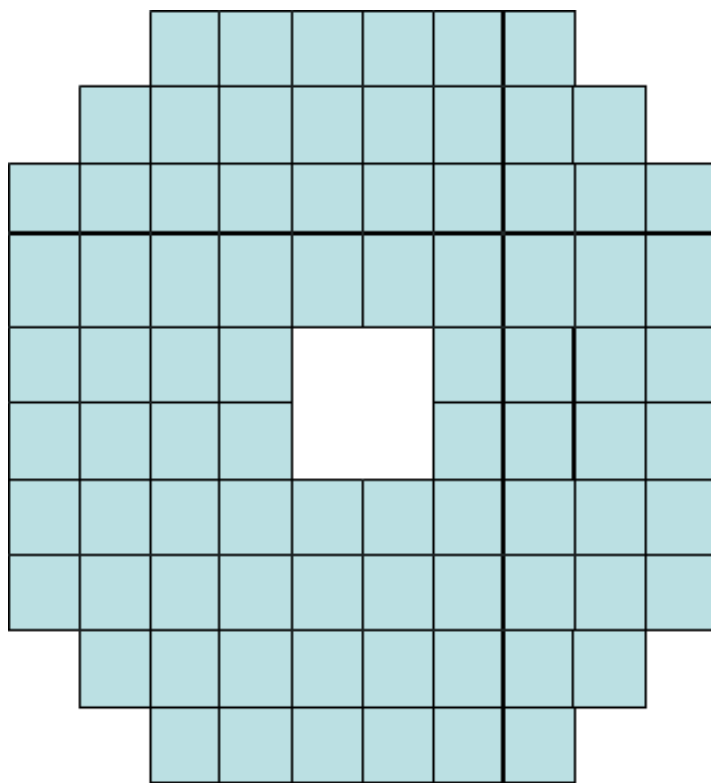
$$E \frac{d\sigma}{d^3p} = C \cdot \exp\left(-\frac{(p - p_b)^2}{2\sigma_p^2}\right) \cdot \exp\left(-\frac{\Theta^2}{2\sigma_\Theta^2}\right)$$

$$\sigma_p = \sqrt{\frac{E_b T_0}{m_N}} = 0.15 - 0.22 \text{ GeV}/c; \quad \sigma_\Theta = \sqrt{\frac{m_N T_0}{p_b^2}} = 0.016 - 0.022$$

ZDC for NICA/MPD (standard geometry)



ZDC consists from the modules $10 \times 10 \times 120 \text{ cm}^3$ (or $5 \times 5 \times 120 \text{ cm}^3$). Each module consists of 60 lead-scintillator sandwiches $10 \times 10 \text{ cm}^2$ with thicknesses 16 and 4mm. Main attention in the technical design was paid to the method of light readout from the scintillator tiles that should provide good efficiency and uniformity of light collection.



Front view of ZDC. The squares size is 5 x 5 cm x cm

ZDC@MPD geometrical efficiency

$$\varepsilon(\text{ZDC}) = N_s(\text{ZDC}) / N_s(\text{tot.})$$

central hole

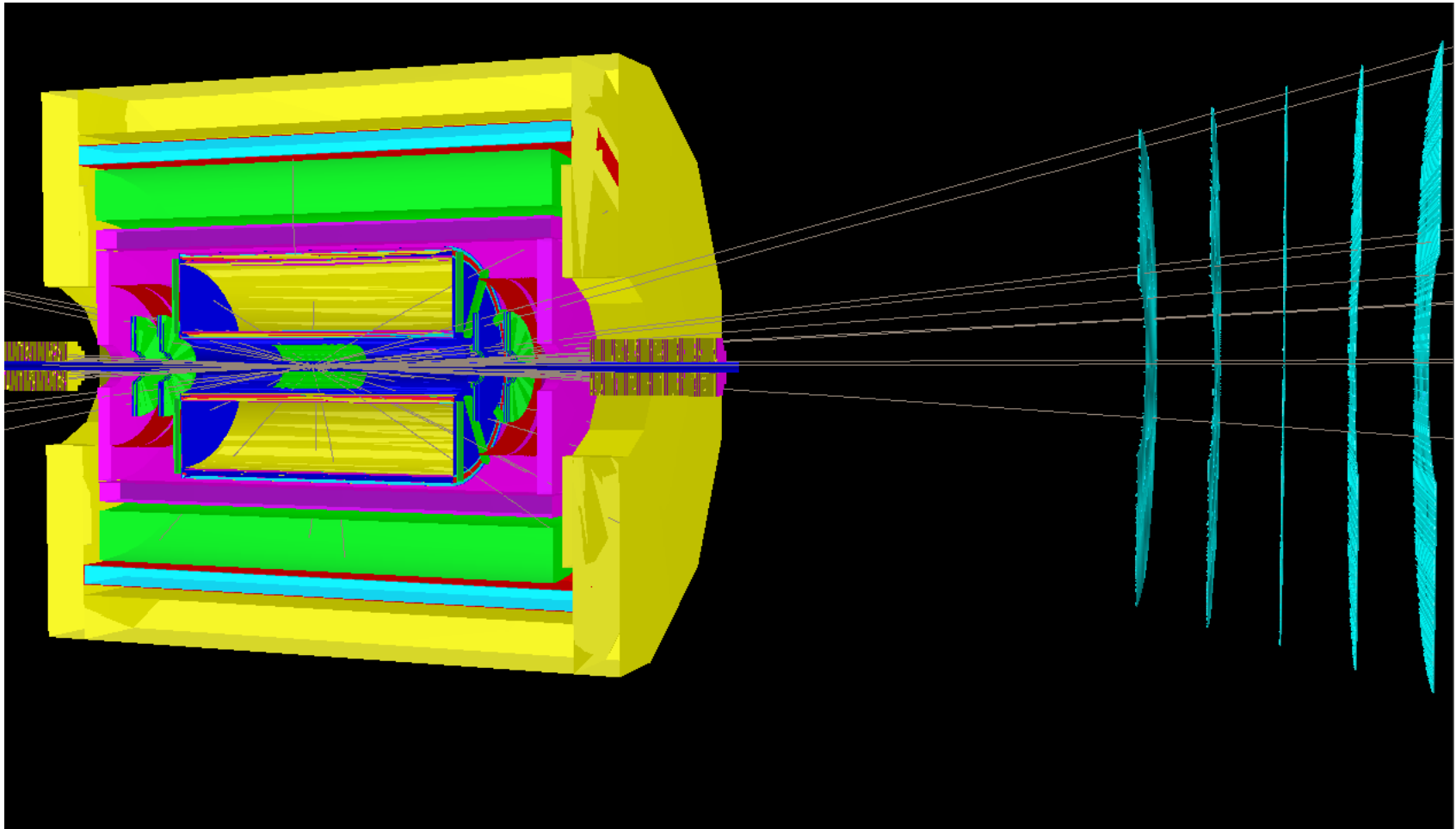
$$\varepsilon(\text{ZDC}) = \frac{\int_{r_{\text{int}}/L_{\text{ZDC}}}^{\infty} \exp\left(-\frac{\Theta^2}{2\sigma_{\Theta}^2}\right) \Theta d\Theta}{\int_0^{\infty} \exp\left(-\frac{\Theta^2}{2\sigma_{\Theta}^2}\right) \Theta d\Theta} = 50 \div 70 \%$$

out of ZDC

$$\varepsilon(\text{ZDC}) > 0.99$$

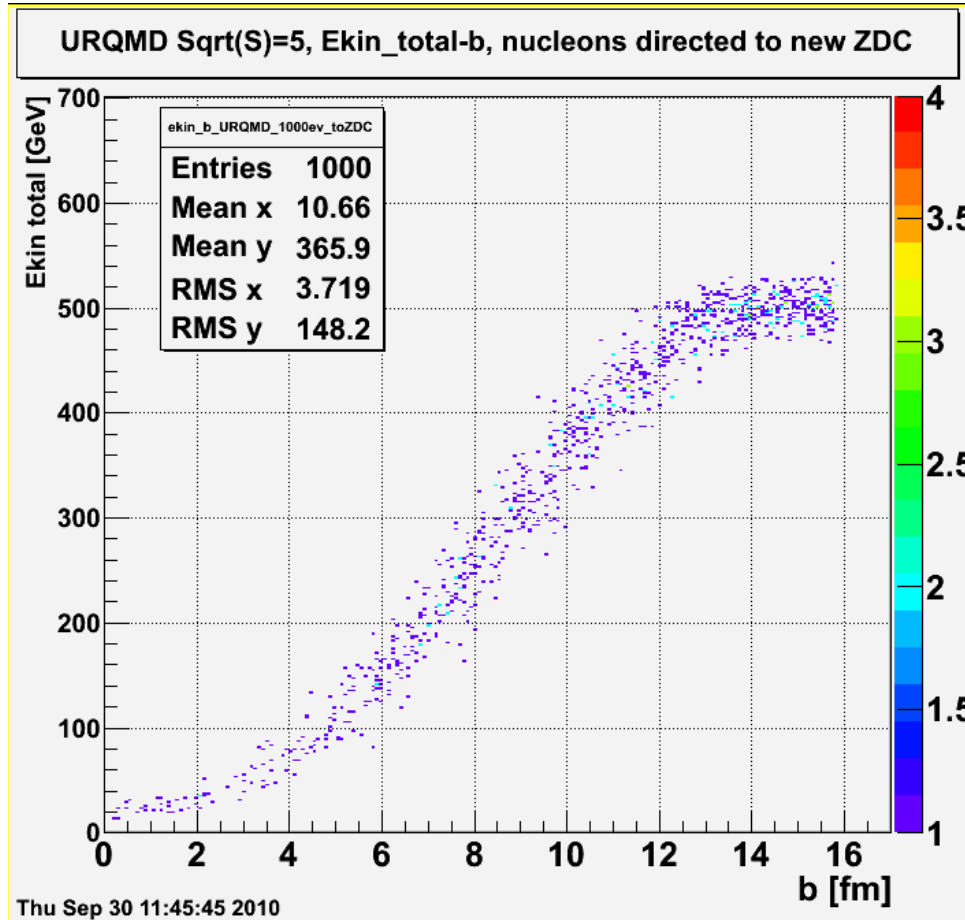
Simulation

Transport - Geant3 and Geant4, generates UrQMD and LAQGSM
framework MpdRoot



Optimistic results with UrQMD

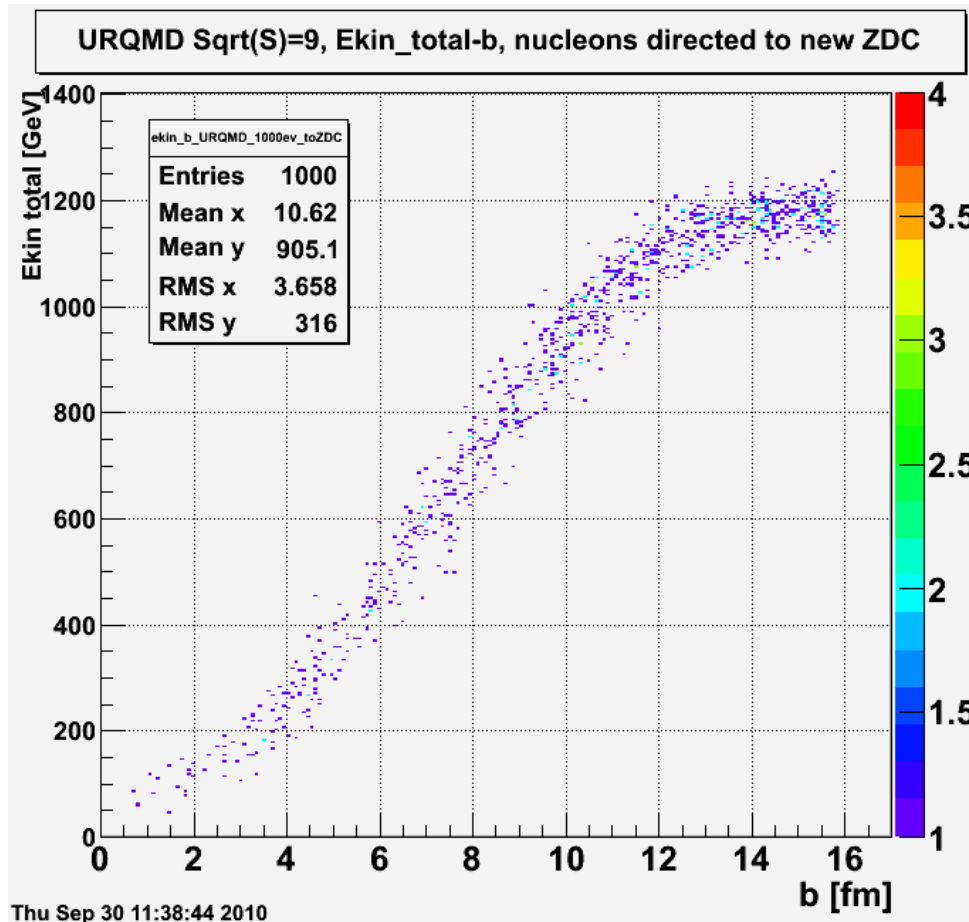
URQMD generator, $\sqrt{S}=5$ GeV



Total kinetic energy of all nucleons directed to ZDC

Optimistic results with UrQMD

URQMD generator, $\sqrt{S}=9$ GeV



Total kinetic energy of all nucleons directed to ZDC

$$\varepsilon = \frac{\Delta E_{ZDC}}{(\sqrt{S_{NN}} - 2m_N)A} = 0.78$$

The accuracy of impact parameter determination for MC with UrQMD

$$N(b) = A \cdot b + C; \Delta N = \sqrt{N}; \quad \delta N = 1/\sqrt{N(b)}$$

$$E(b) = T_b \cdot N(b); \Delta E = T_b \cdot \sqrt{N}; \quad \delta E = 1/\sqrt{N(b)}$$

$$b = \frac{N(b) - C}{A} \quad ; \Delta b = \frac{1}{A} \sqrt{N(b)}; \quad \delta b = \frac{\sqrt{N(b)}}{N(b) - C}$$

$$b = 0 \text{ fm} \quad ; \Delta b = 0.35 \text{ fm}; \quad \delta b =$$

$$E(b) = 114 \text{ GeV}; \Delta E = 20 \text{ GeV}; \quad \delta E = 18 \%$$

$$b = 5 \text{ fm} \quad ; \Delta b = 0.67 \text{ fm}; \quad \delta b = 13 \%$$

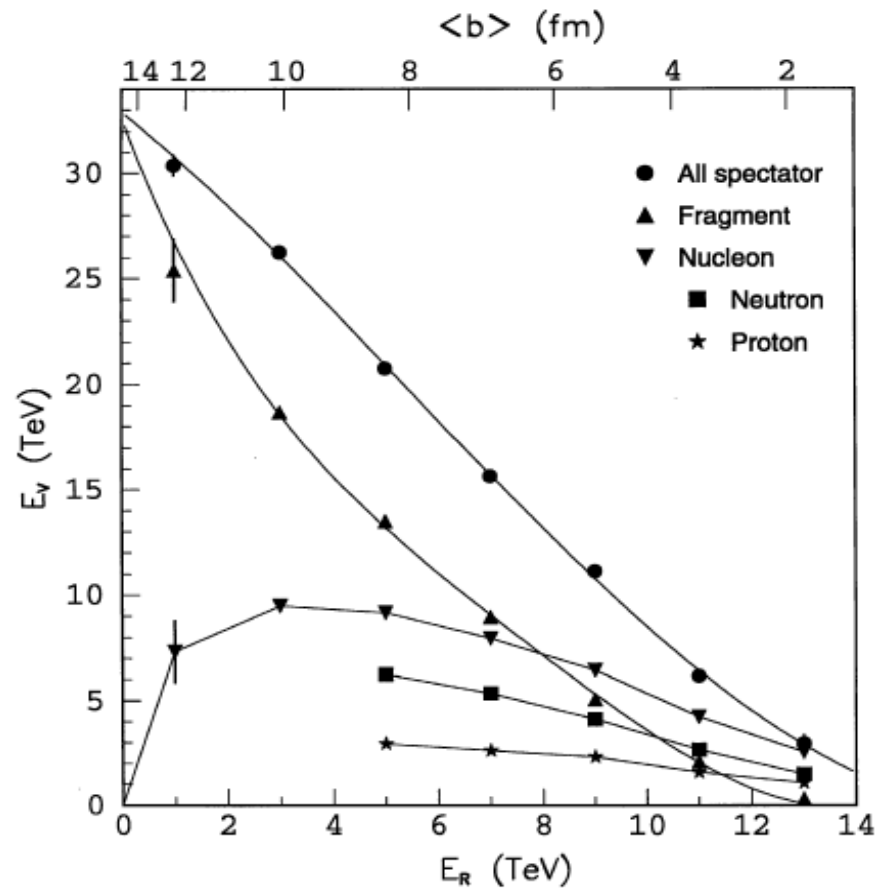
$$E(b) = 392 \text{ GeV}; \Delta E = 38 \text{ GeV}; \quad \delta E = 10 \%$$

$$b = 10 \text{ fm} \quad ; \Delta b = 0.87 \text{ fm}; \quad \delta b = 9 \%$$

$$E(b) = 673 \text{ GeV}; \Delta E = 49 \text{ GeV}; \quad \delta E = 7 \%$$

$$\frac{\Delta E}{E} = \frac{\beta}{\sqrt{E}}; \quad \beta \ll 150 \%$$

But



The NA49 collaboration. *Eur. Phys. J.*, **A2**, 383, (1998)

But

LAQGSM high-energy event generator

HSS06, FNAL, Batavia, IL, USA, September 6-8, 2006

**Overview and Validation of the
CEM03.01 and LAQGSM03.01
Event Generators for
MCNP6, MCNPX, and MARS15**

S. G. Mashnik¹, K. K. Gudima², R. E. Prael¹,
A. J. Sierk¹, M. I. Baznat², N. V. Mokhov³

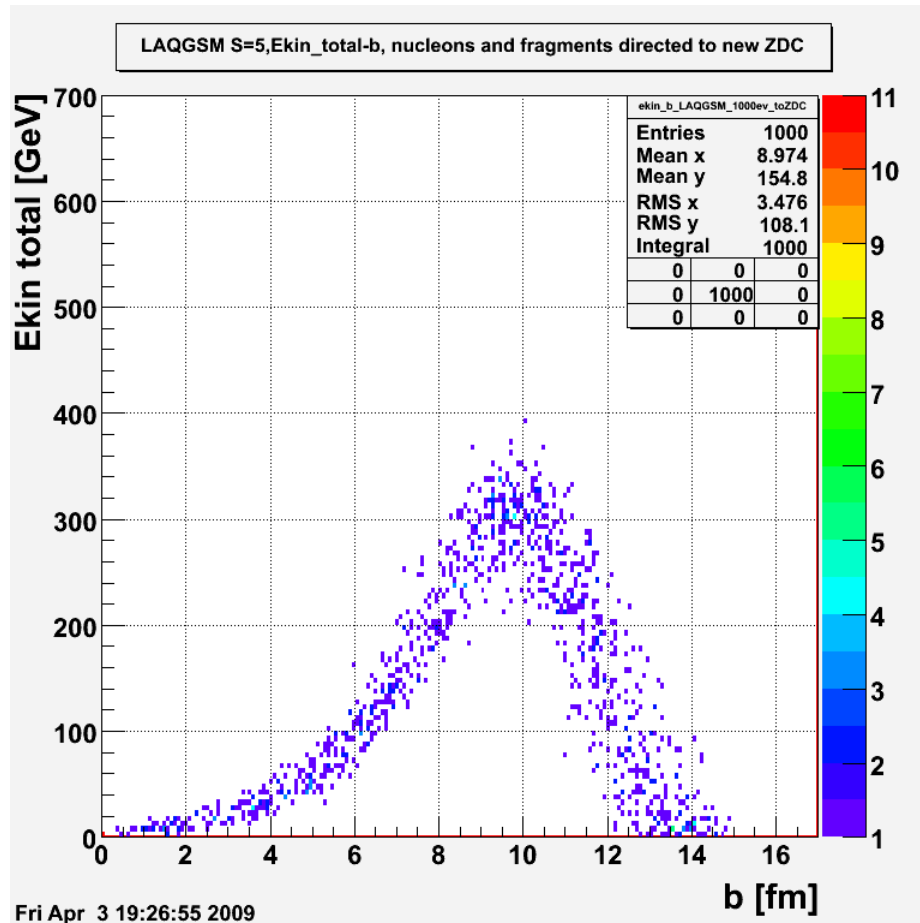
¹Los Alamos National Laboratory, Los Alamos, NM, USA

²Academy of Science of Moldova, Chisinau, Moldova

³Fermi National Accelerator Laboratory, Batavia, IL, USA

Taking into account spectator fragments

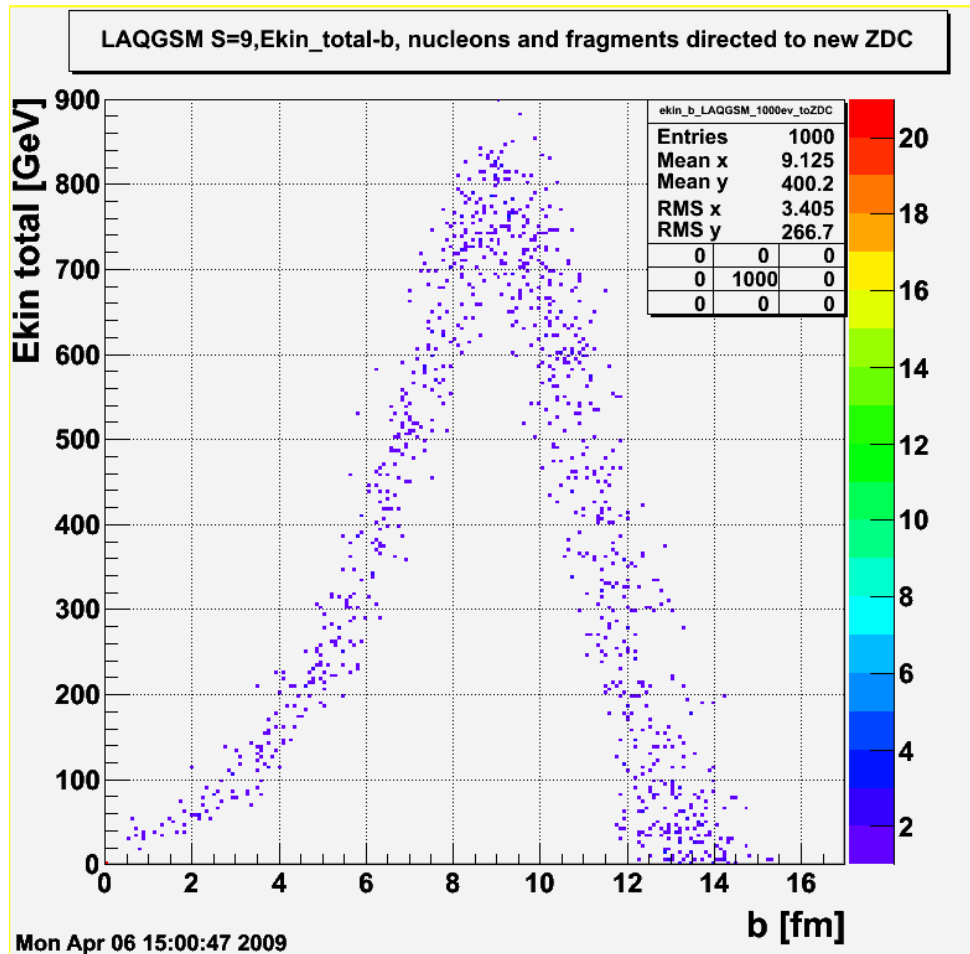
LAQGSM generator, $\sqrt{S}=5$ GeV



Total kinetic energy of all nucleons
and fragments directed to ZDC

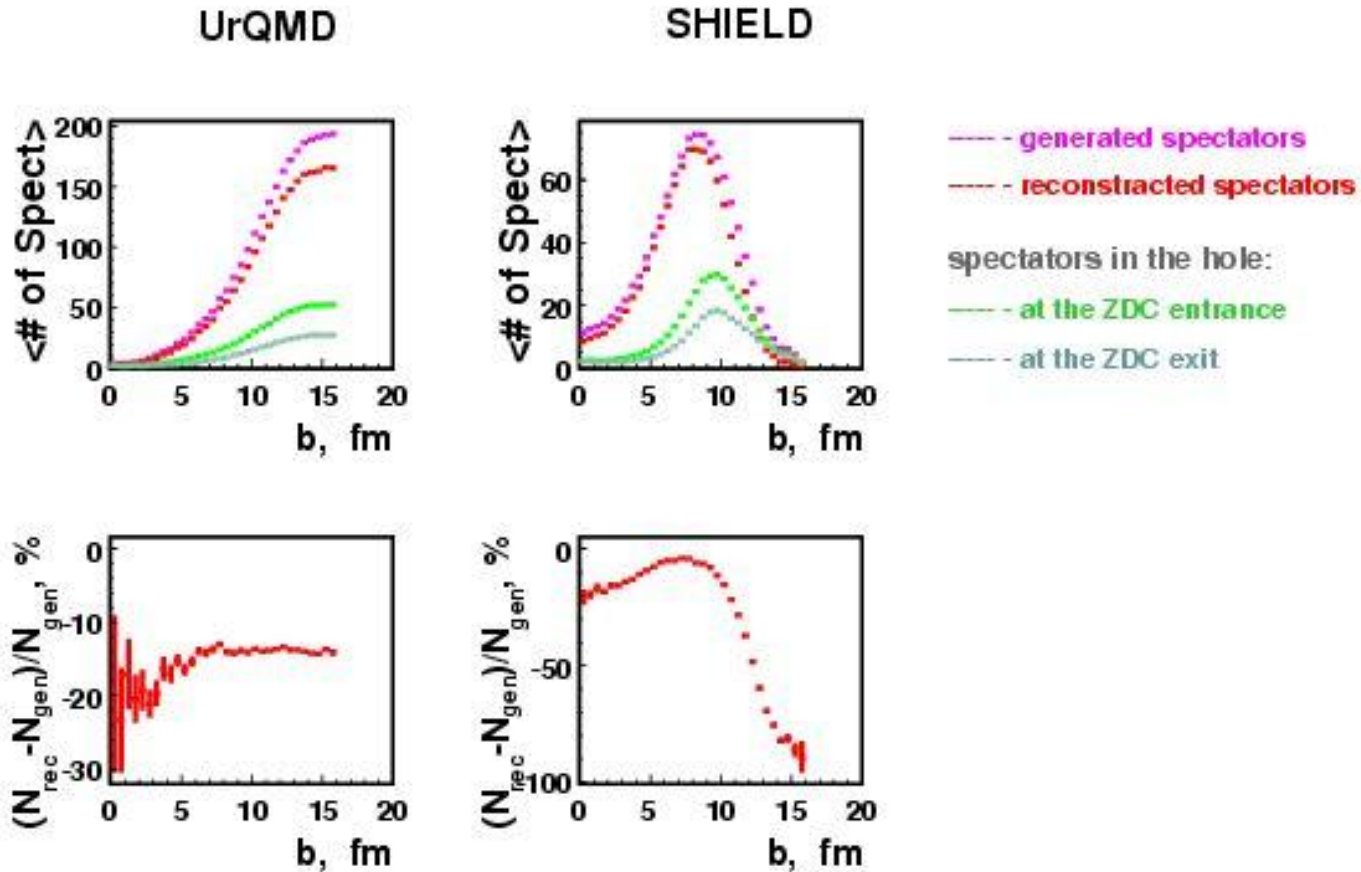
Taking into account spectator fragments

LAQGSM generator, $\sqrt{S}=9$ GeV

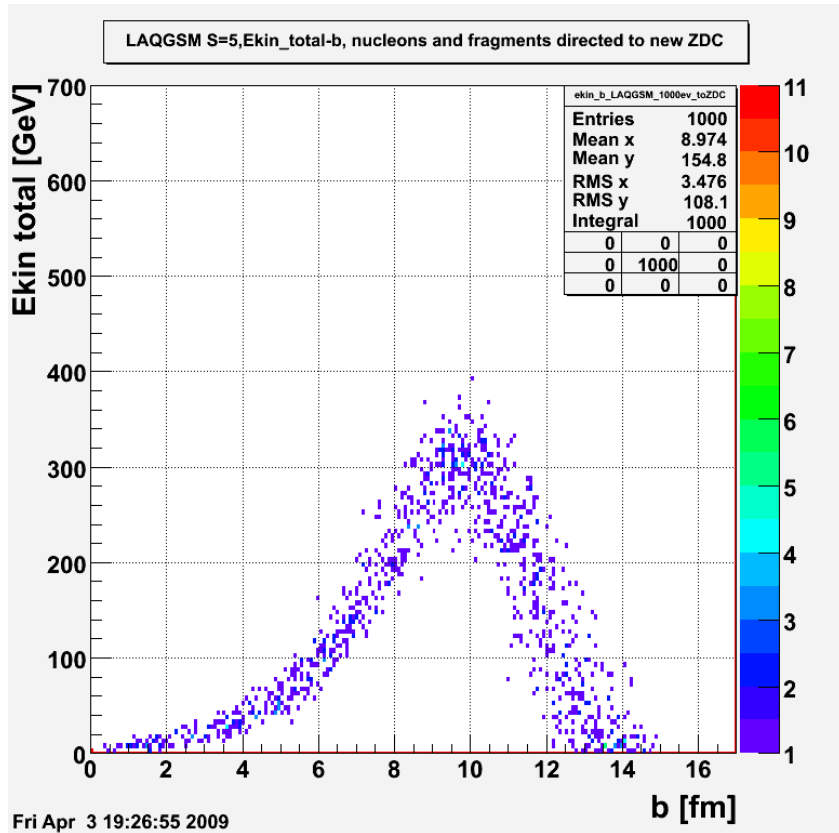


Total kinetic energy of all nucleons
and fragments directed to ZDC

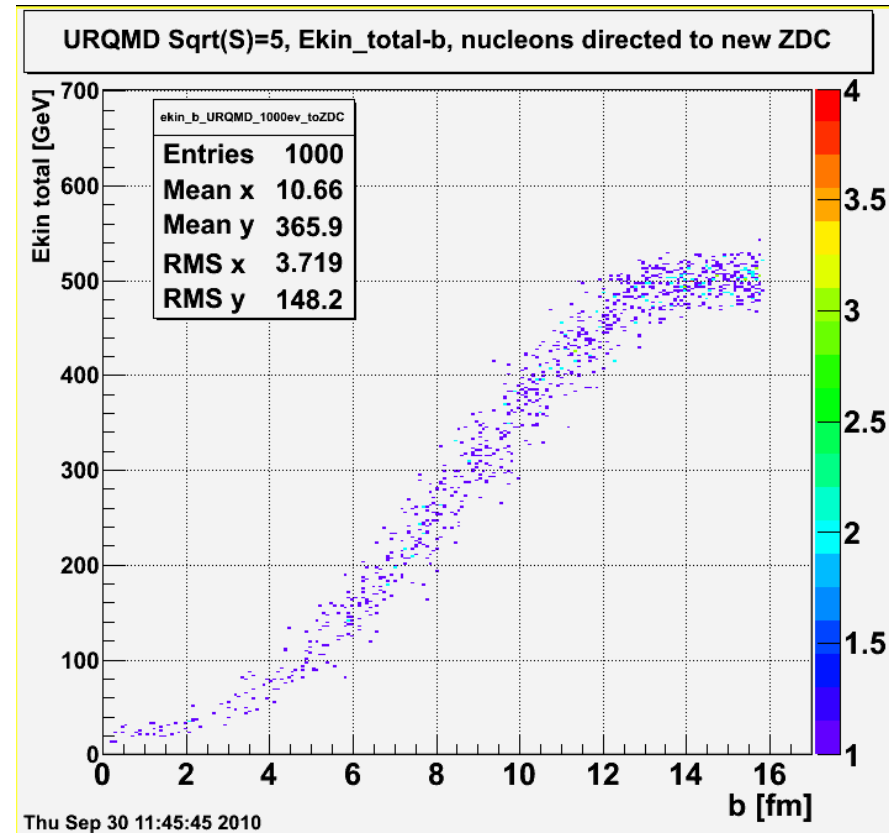
SHIELD event generator



LAQGSM, $\sqrt{S}=5$ GeV



URQMD, $\sqrt{S}=5$ GeV

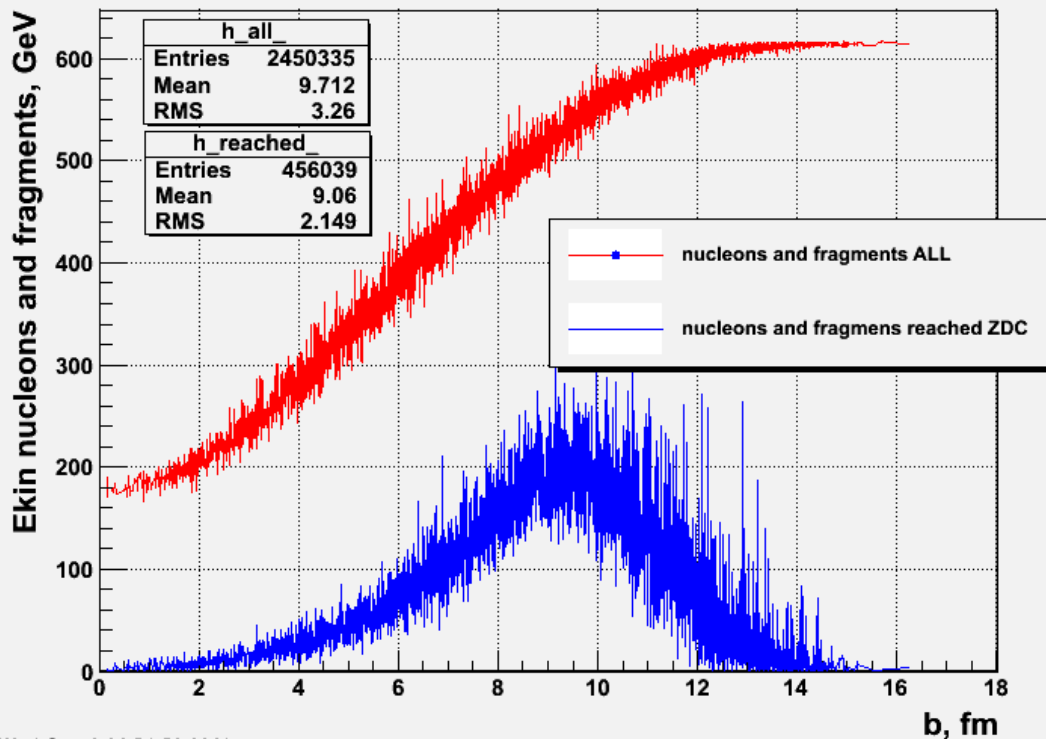


Total kinetic energy of all nucleons and fragments directed to ZDC

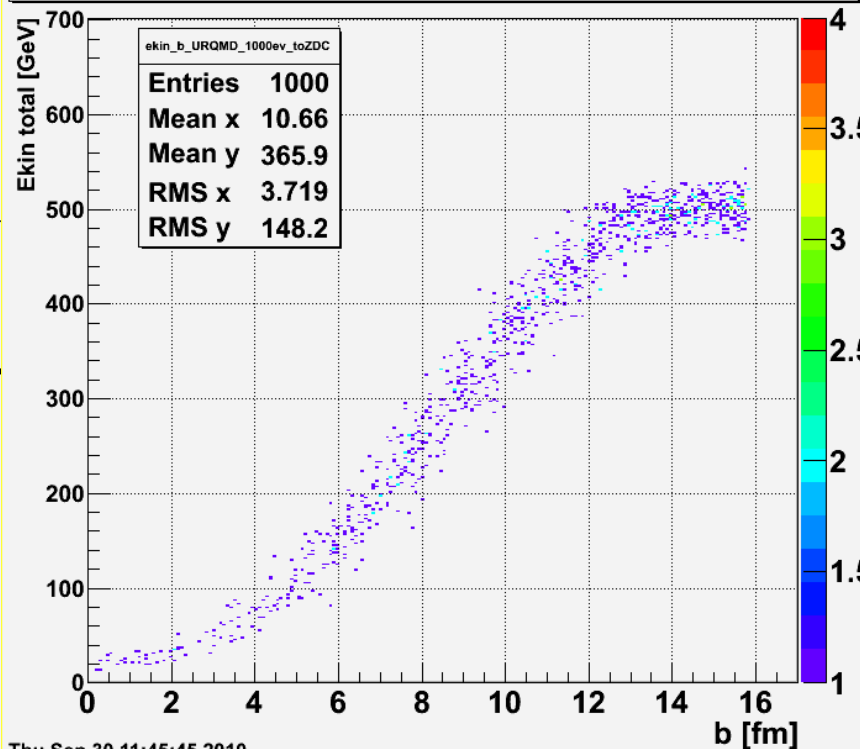
LAQGSM, $\sqrt{s}=5$ GeV

URQMD, $\sqrt{s}=5$ GeV

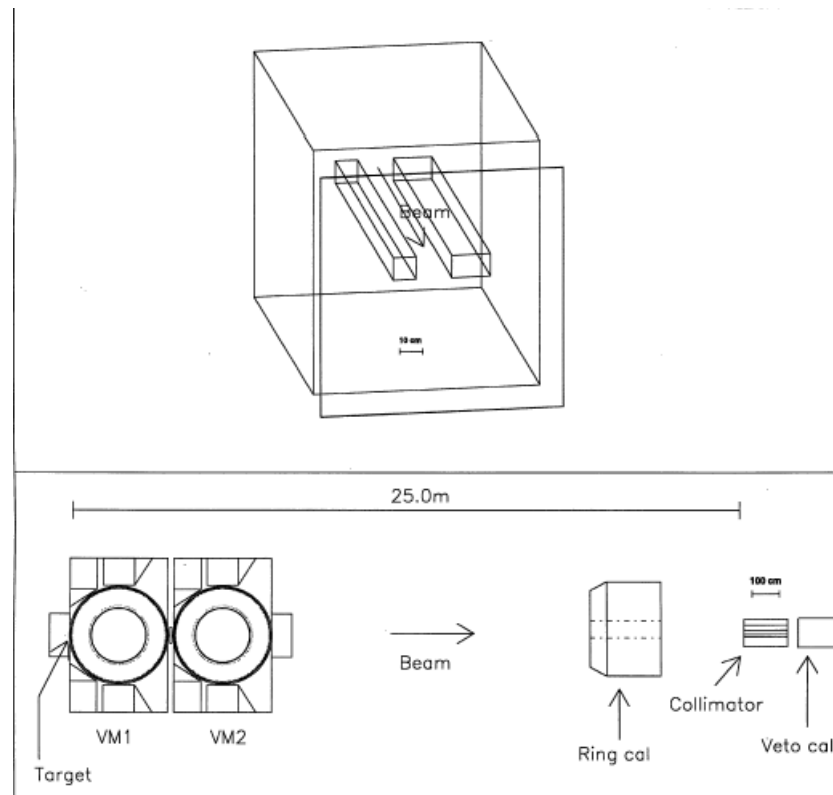
$\sqrt{s}=5$, 10000 LAQGSM events, nucleons and fragments



URQMD $\sqrt{s}=5$, Ekin_total-b, nucleons directed to new ZDC

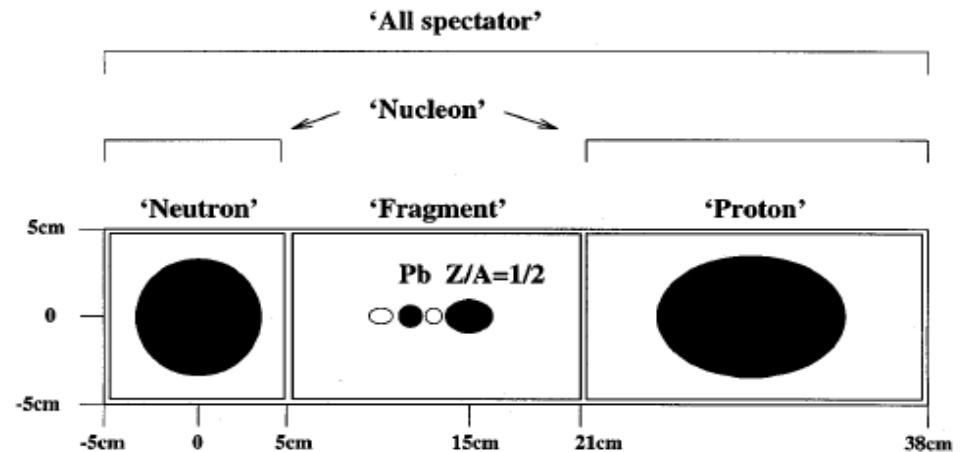
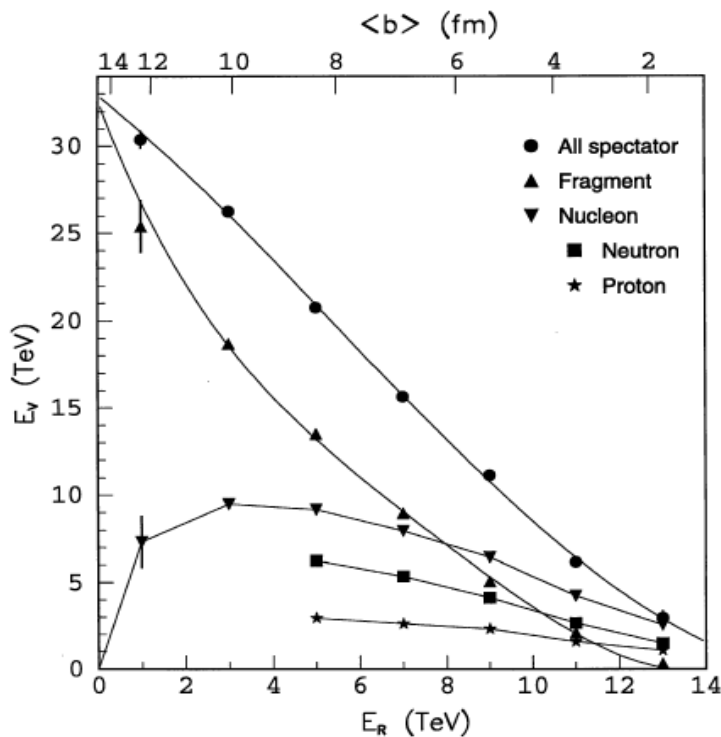


Spectator Nucleons in Pb+Pb Collisions at 158 A·GeV



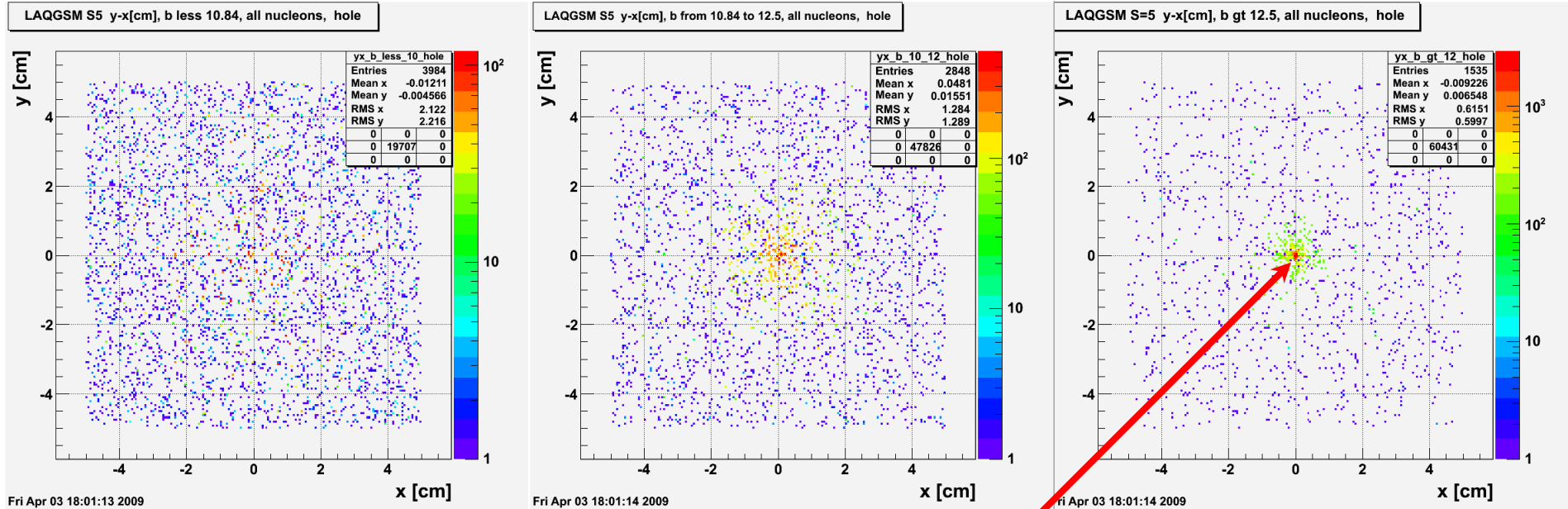
Experimental data : the deposited energy for different types of spectators in dependence of the centrality

The NA49 collaboration. Eur. Phys. J., A2, 383, (1998)



At large impact parameters the most of spectator nucleons are bound in fragments.

All nucleons directed to the hole of ZDC (rectangle 10x10cm²)



0 % - 60 %

60 % - 80 %

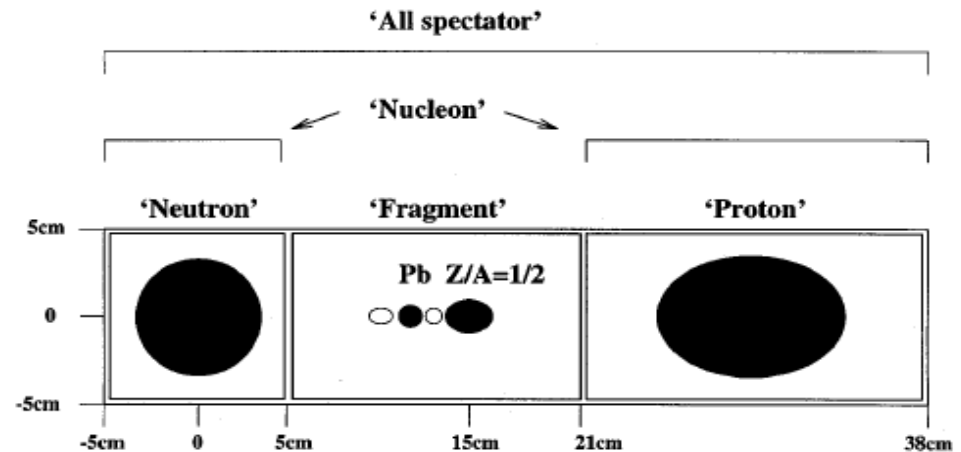
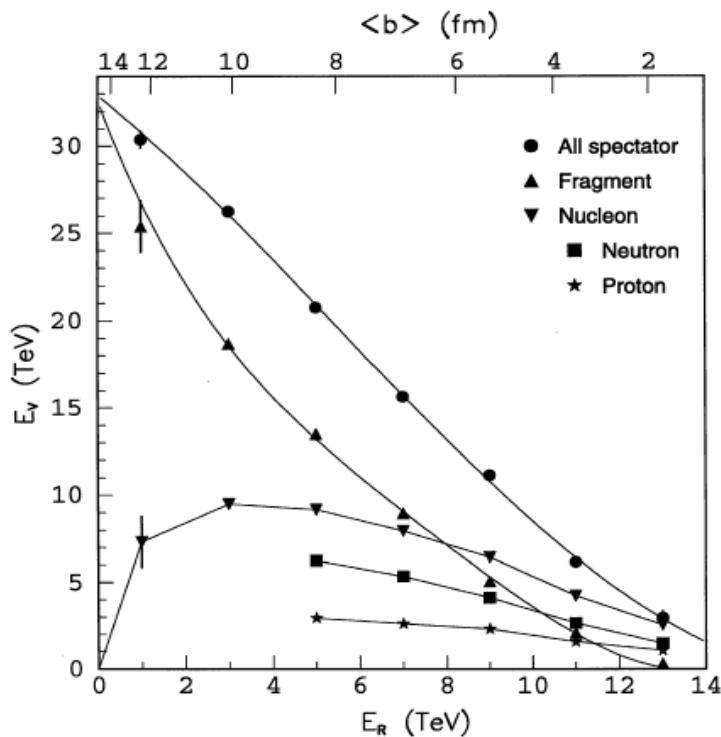
80 % - 100 %

$$\theta \sim 0.3 \cdot 10^{-3} \text{ rad} = 0.3 \text{ mrad}$$

value centrality	< 60 %	60 - 80 %	> 80 %
N_{ZDC}	71041	22848	4787
N_{hole}	19707	47826	60431
$N_{tot} = N_{ZDC} + N_{hole}$	90748	70674	65218
$\varepsilon = N_{hole}/N_{tot}$	22 %	68 %	93 %

Experimental data : the deposited energy for different types of spectators in dependence of the centrality

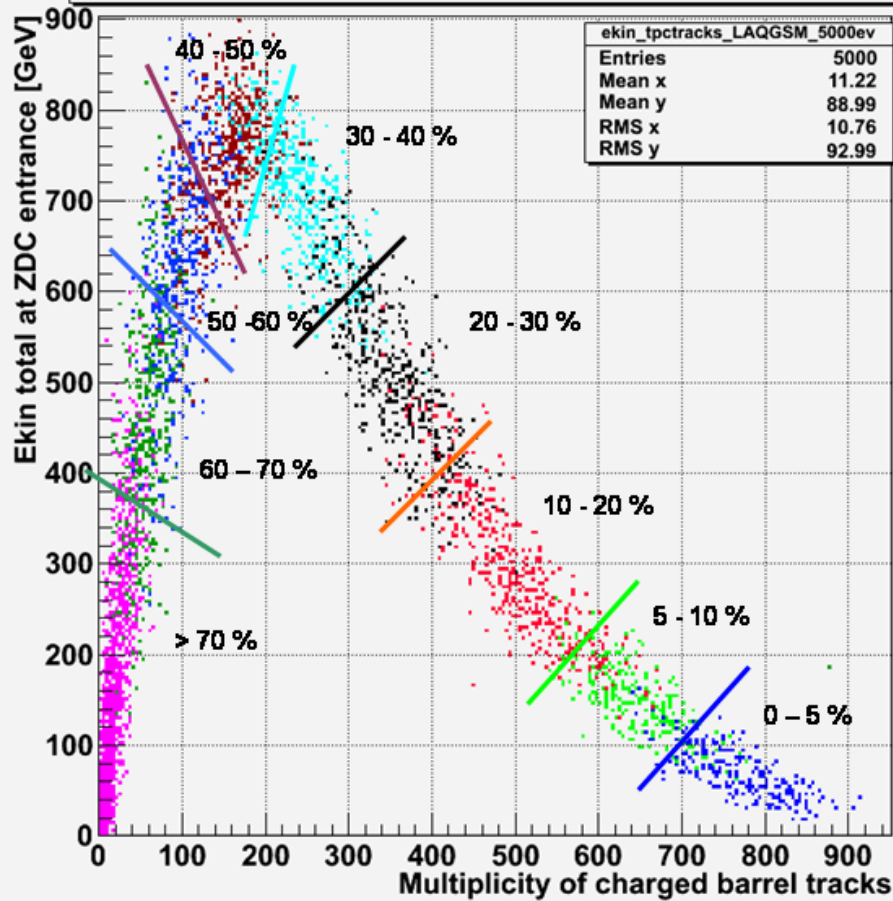
The NA49 collaboration. Eur. Phys. J., A2, 383, (1998)



At large impact parameters the most of spectator nucleons are bound in fragments.

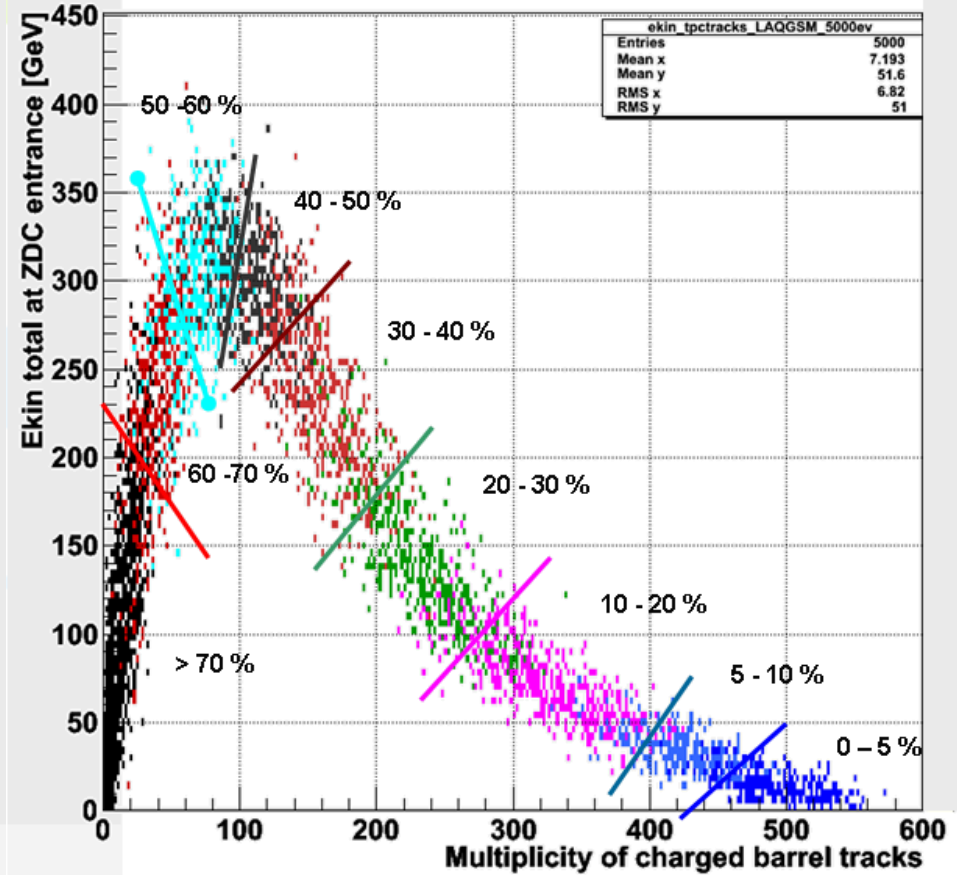
The centrality determination: ZDC (energy) + number of charged barrel tracks

LAQGSM S=9, Ekin_total-barreltracks, color=[b-interval]



Fri Apr 10 11:58:34 2009

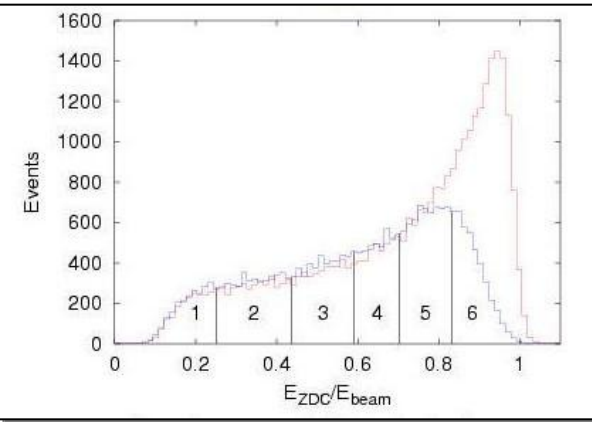
LAQGSM S=5, Ekin_total-barreltracks, color=[b-interval]



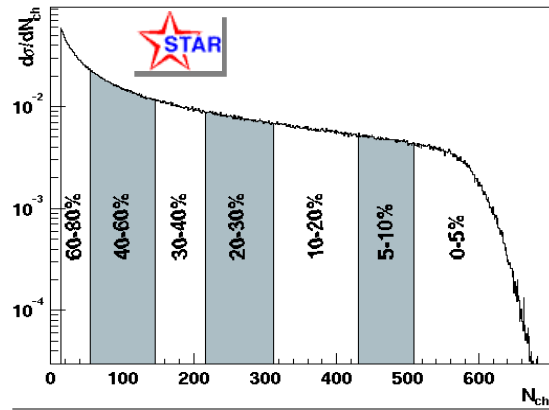
Fri Apr 10 14:12:39 2009

Centrality determination in some experiment

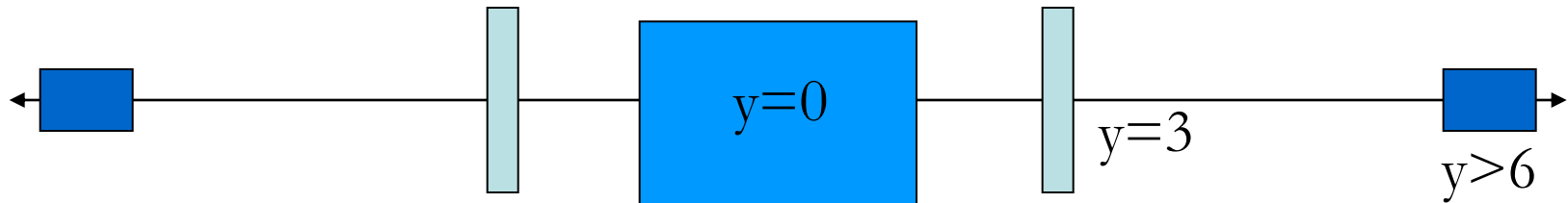
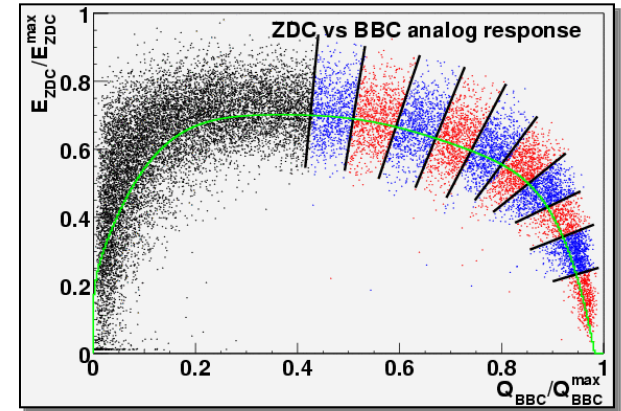
NA49



STAR



PHENIX

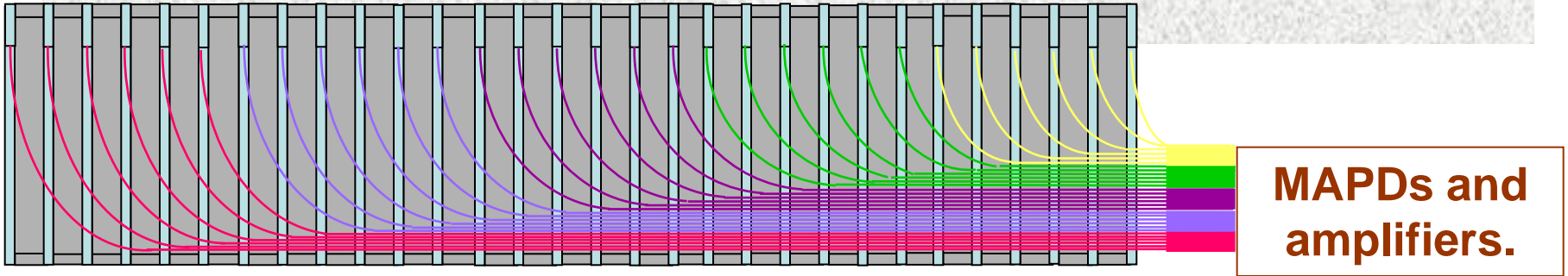


NA49	ZDC Only
STAR	TPC only
PHENIX	BBC & ZDC

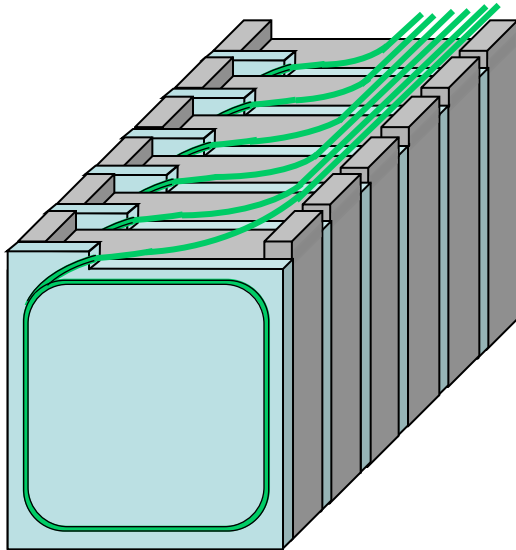
Conclusions

- The SHIELD and LAQGSM could be used for NICA/MPD simulations under mpdroot.
- The SHIELD and LAQGSM angular distributions of the spectators differ from URQMD picture.
- The experimental study of the spectator distributions and calorimeter resolution have to be performed on the extracted beam of NUCLOTRON-M at the fixed target.

Structure of ZDC module



MAPDs and amplifiers.



MAPD - micro pixel avalanche photodiodes

□ 60 lead/scintillator sandwiches

➤ lead – 16 mm

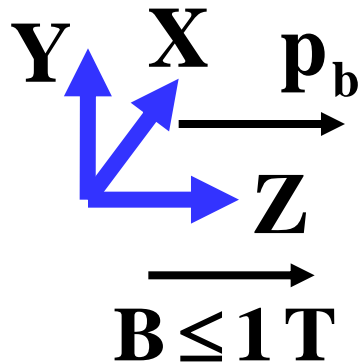
➤ scintillator – 4 mm

$$\frac{\Delta E}{E} = \frac{(67 \pm 12)\%}{\sqrt{E}}$$

This work is partially supported by
RFBR GRANT No. 10-02-01036-a

Backup slides

Fast evaluations: the movement of spectators at NICA/MPD



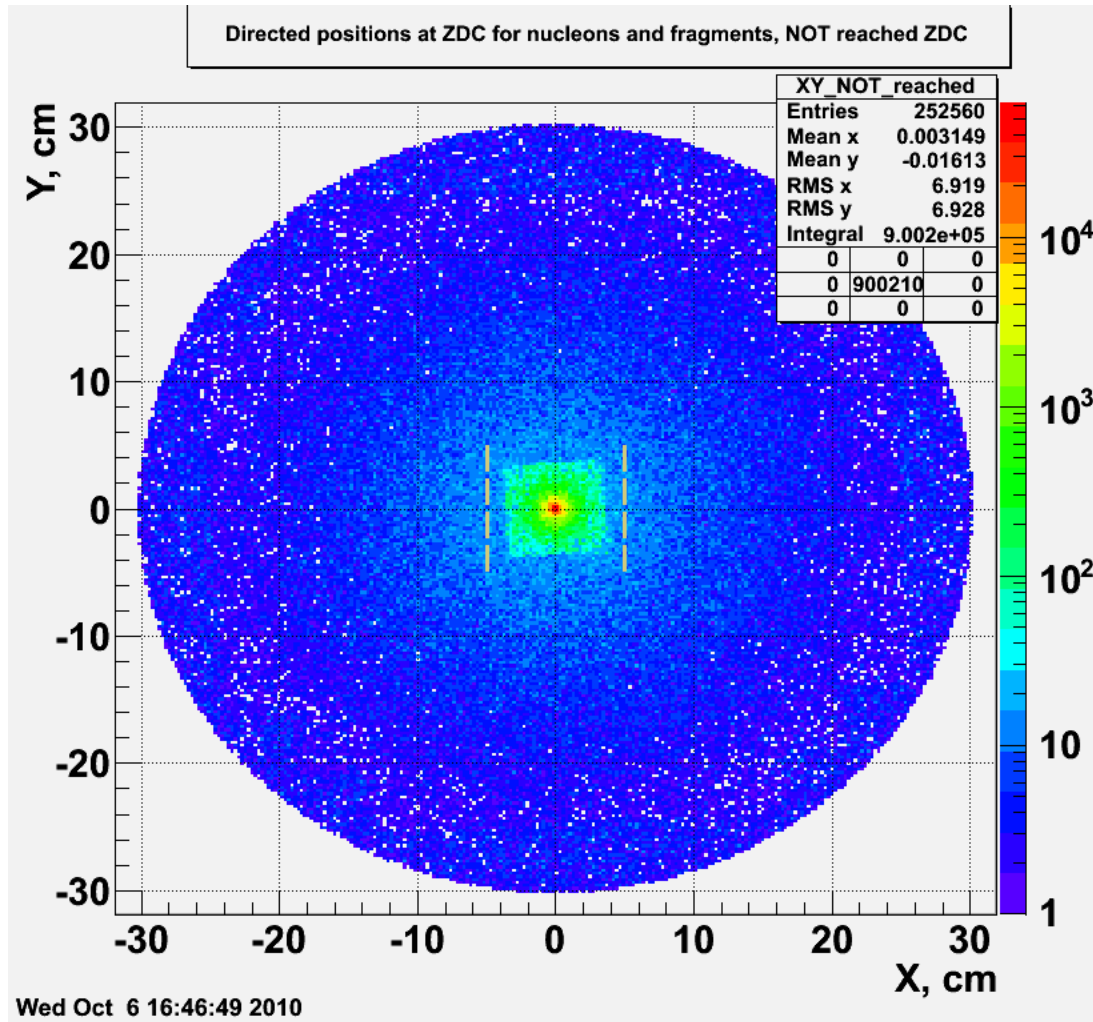
$$\begin{cases} x(z) = \frac{p_T A}{0.3QB} \sin\left(\frac{0.3QB \bullet z}{p_z A}\right) \\ y(z) = \frac{p_T A}{0.3QB} \cos\left(\frac{0.3QB \bullet z}{p_z A}\right) - \frac{p_T A}{0.3QB} \end{cases}$$

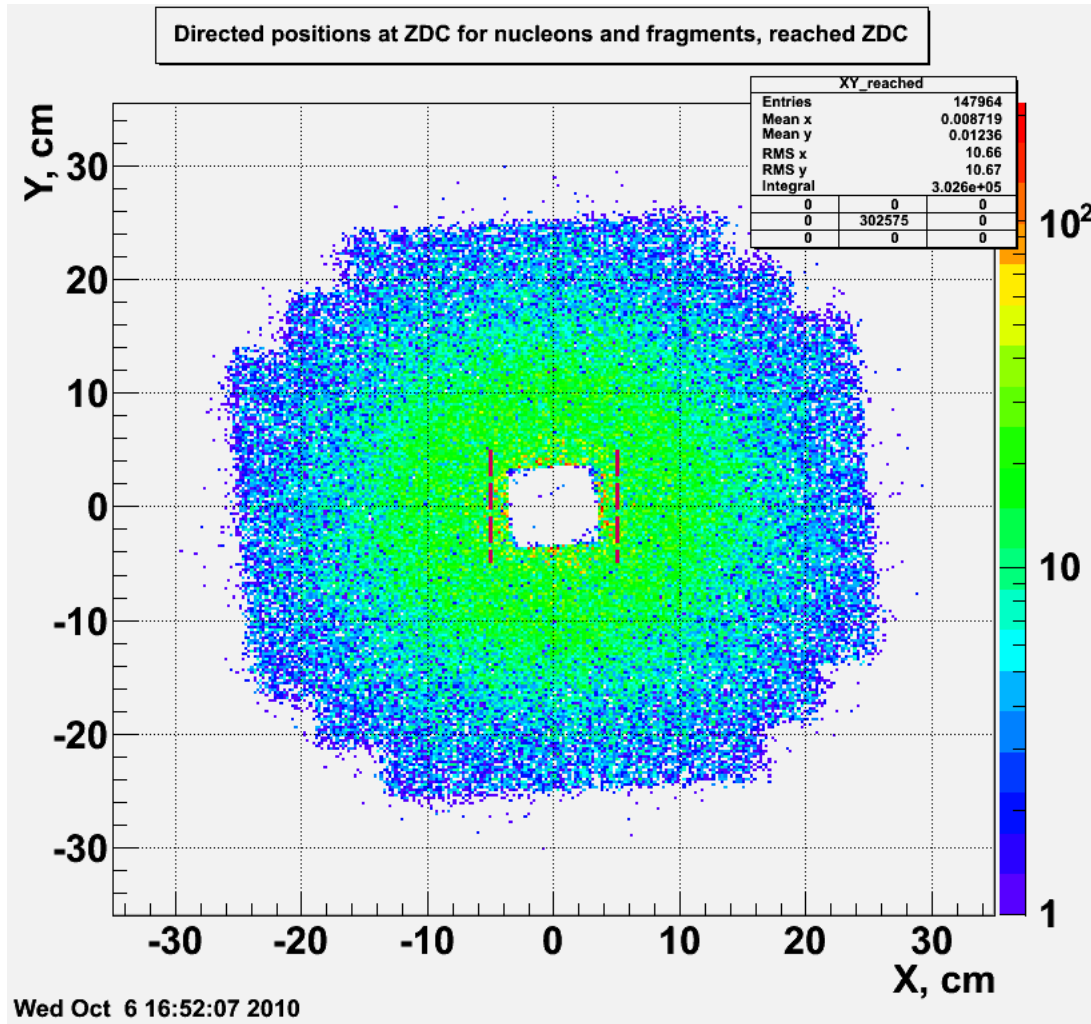
$$\rho(B, z) = \sqrt{x^2 + y^2} = \frac{p_T A}{0.3QB} \sqrt{2 \left(1 - \cos\left(\frac{0.3QB \bullet z}{p_z A}\right)\right)}$$

$$\left(\frac{0.3QB \bullet z}{p_z A}\right) \leq 0.2 \Rightarrow \rho(B, z) = \frac{p_T}{p_z} z; \Delta\phi = \frac{1}{2} \left(\frac{0.3QB \bullet z}{p_z A}\right)$$

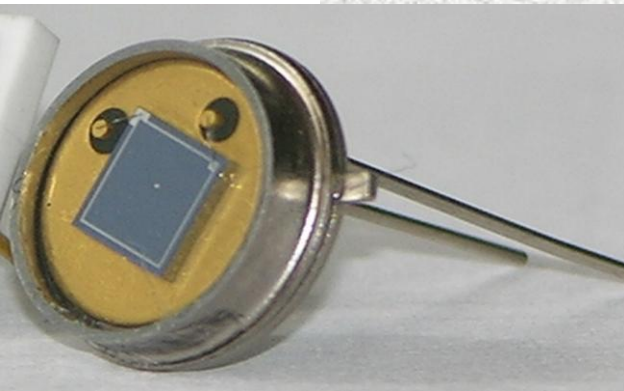
The conclusion:

- ✓ Magnetic field of MPD will not change the polar angles $\Theta = p_T / p_z$ for spectators at ZDC position
- ✓ it will only slightly changes the azimuthal angles $\Delta\phi \leq 6^0$



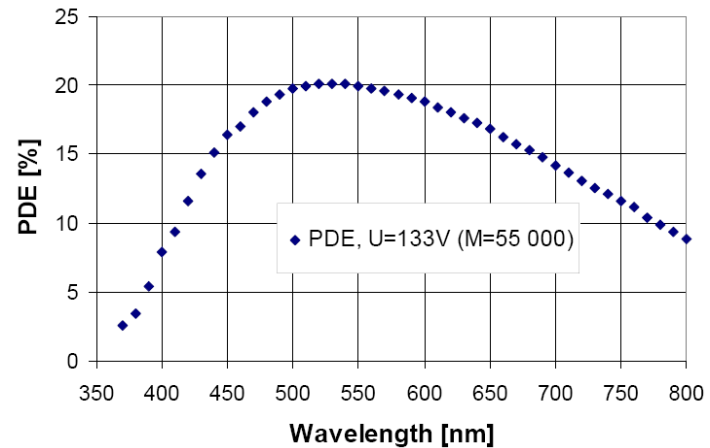
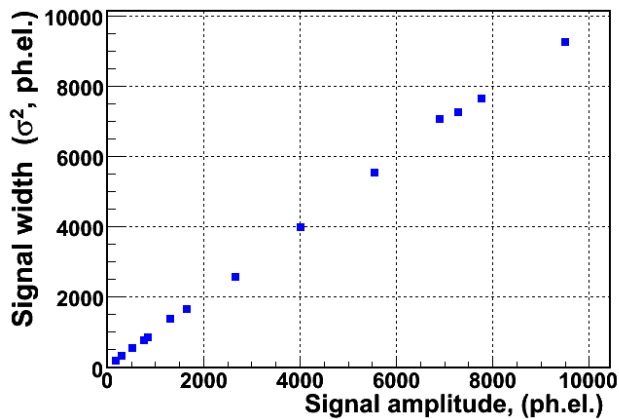


Properties of MAPDs



New generation of micropixel APD produced in Singapore by Zecotek

- Active area: 3x3 mm²
- Number of pixel: up to 40000/mm²
- Gain ~ few x 10⁴
- Voltage ~65 V
- Dark current ~50 nA
- High stability



$$N_{fired} = N_{total} \left(1 - e^{-\frac{N_{photons} PDE}{N_{total}}} \right)$$

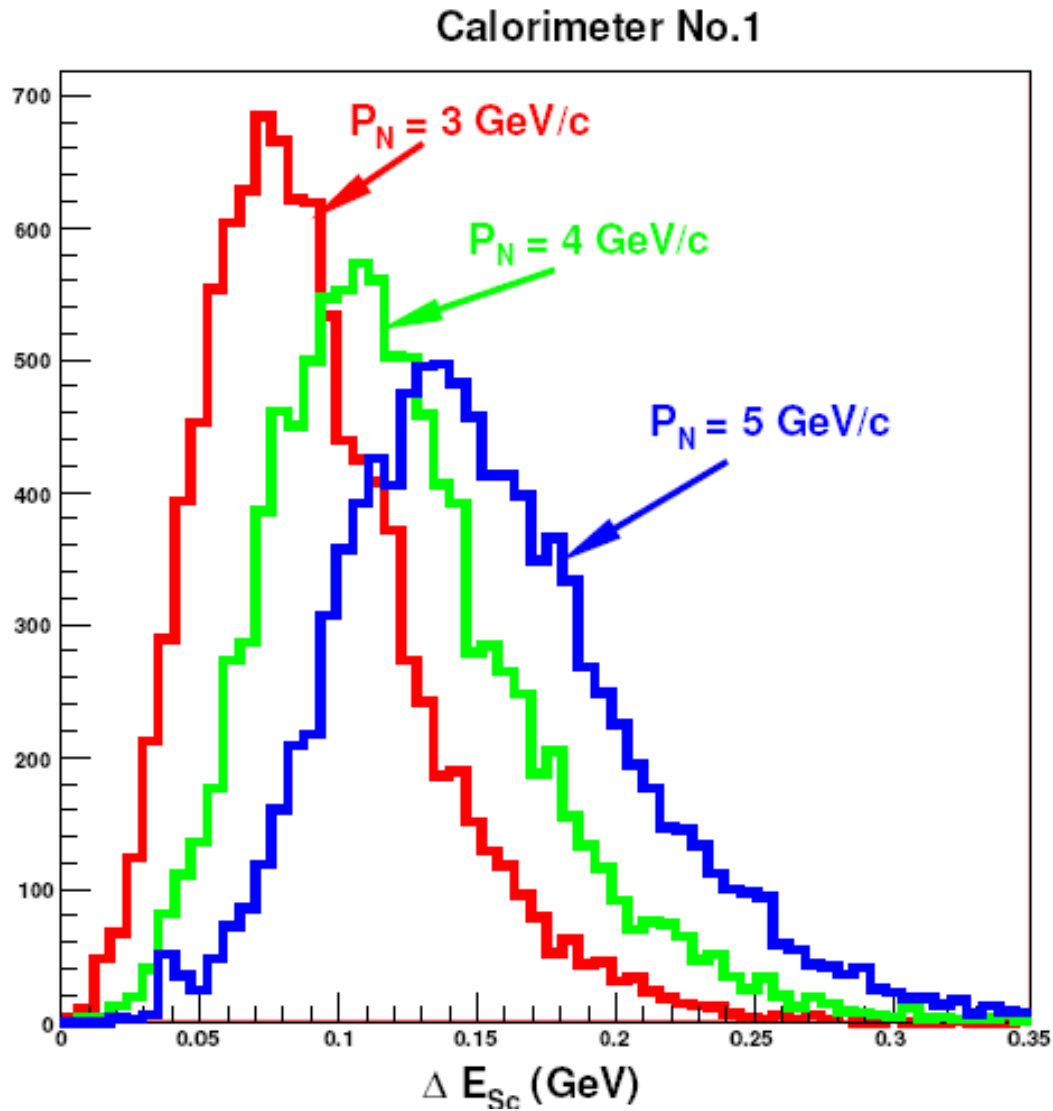
pixels

Centrality classification

NA49 classification			N_{part} classification		b classification	
window	centrality	$\langle N_{part} \rangle$	N_{part} range	$\langle N_{part} \rangle$	b range in fm	$\langle N_{part} \rangle$
1	0-5%	362 ± 12	320-416	358	0-3.1	364
2	5-14%	304 ± 16	230-320	268	3.1-5.2	289
3	14-23%	241 ± 16	175-230	200	5.2-6.7	220
4	23-31%	188 ± 16	145-175	158	6.7-7.8	171
5	31-48%	130 ± 14	90-145	116	7.8-9.7	117
6	48-100%	72 ± 8	0-90	35	9.7-14	35

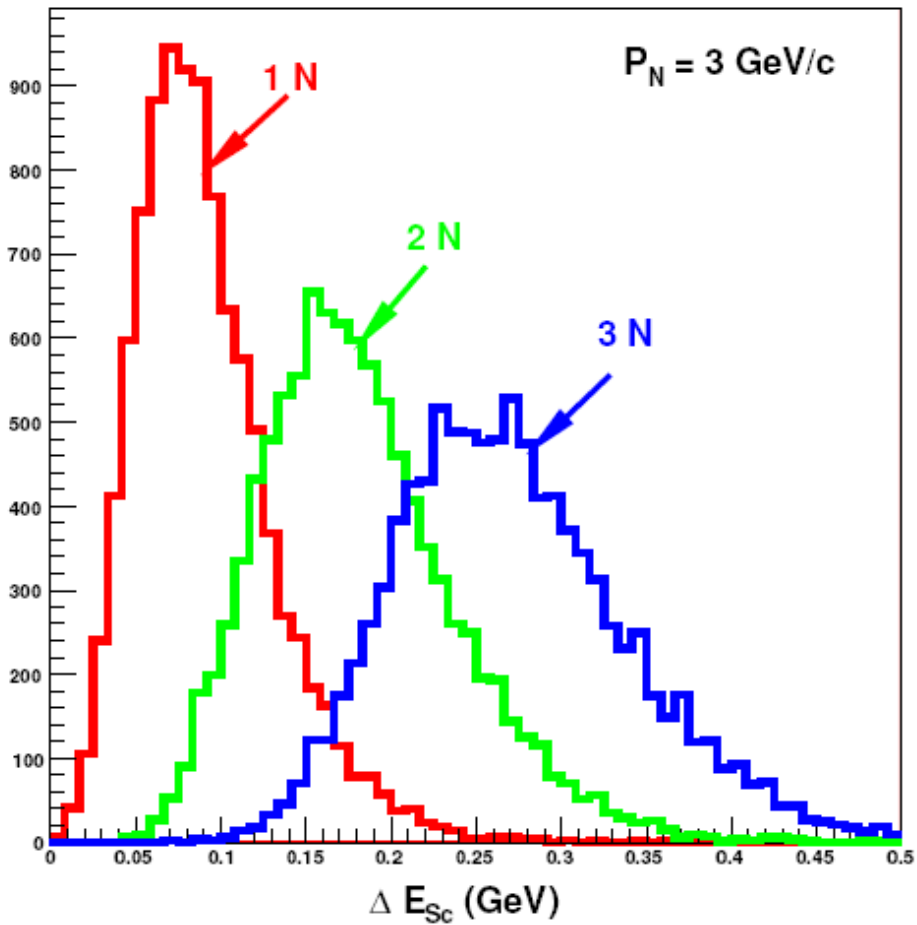
C.E.Aguilar et al., Brazilian Journal of Physics, V.34, No.1, p.319, (2004)

Calorimeter No.1

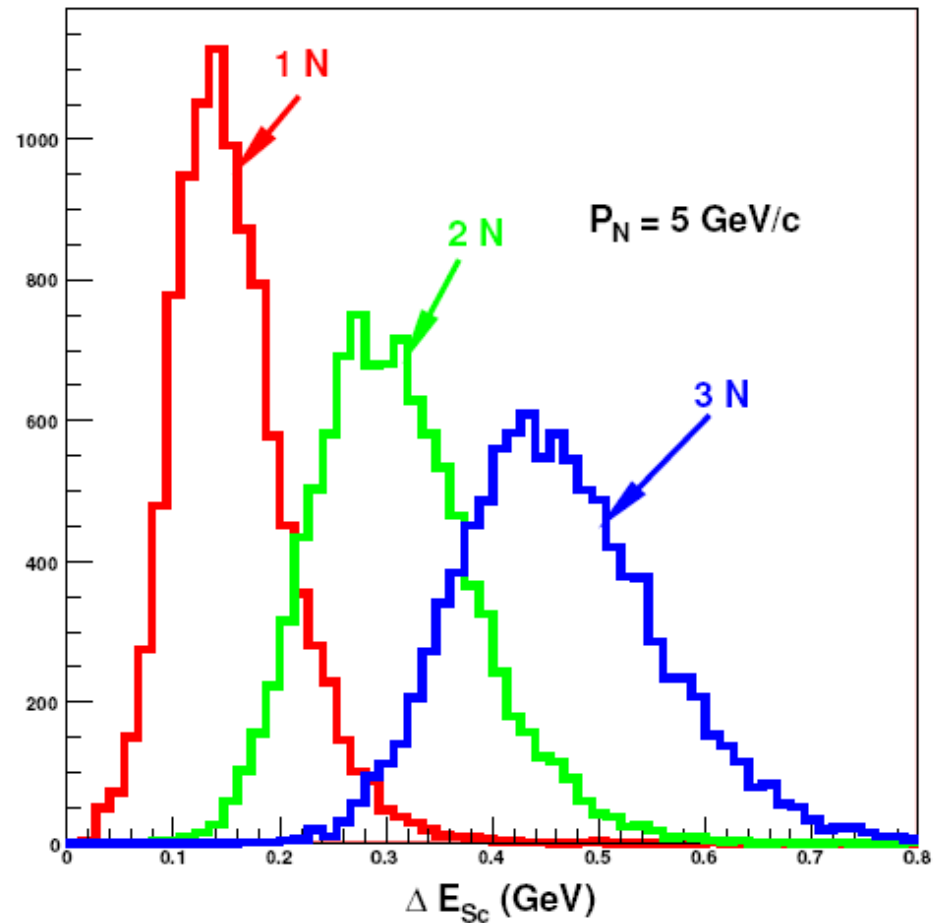


Calorimeter No.1

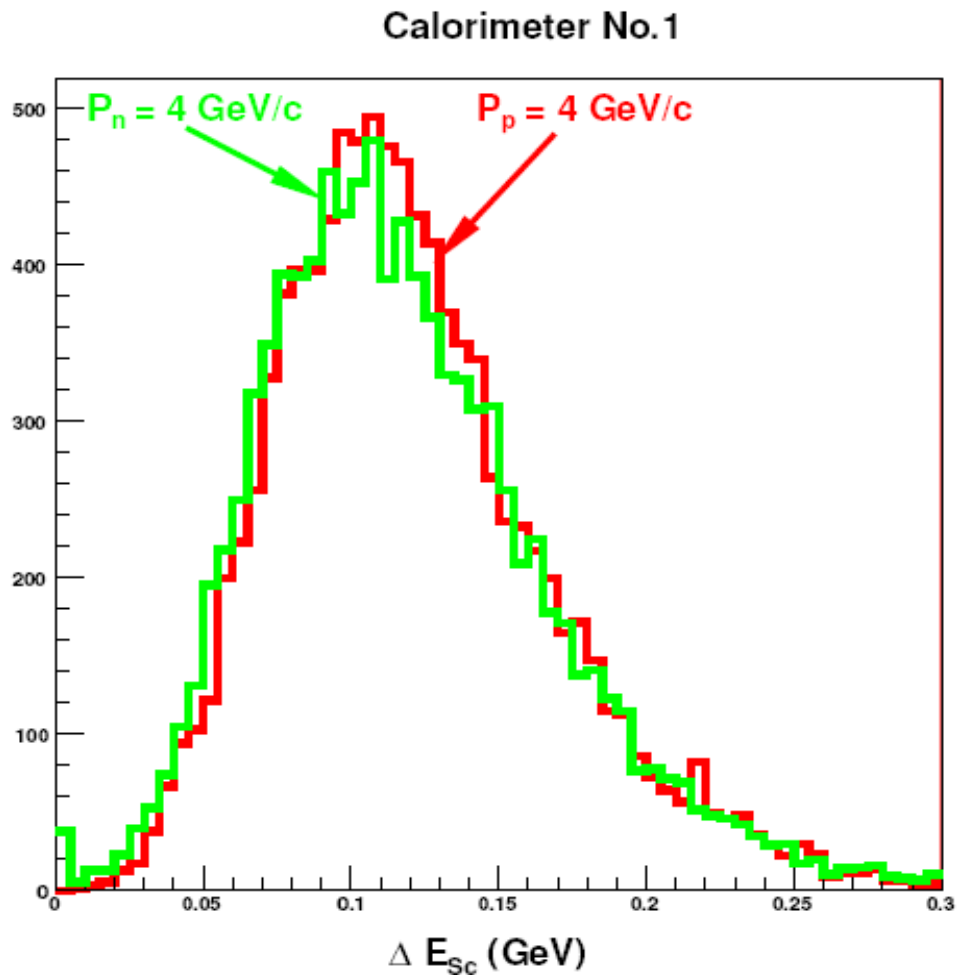
Calorimeter No.1



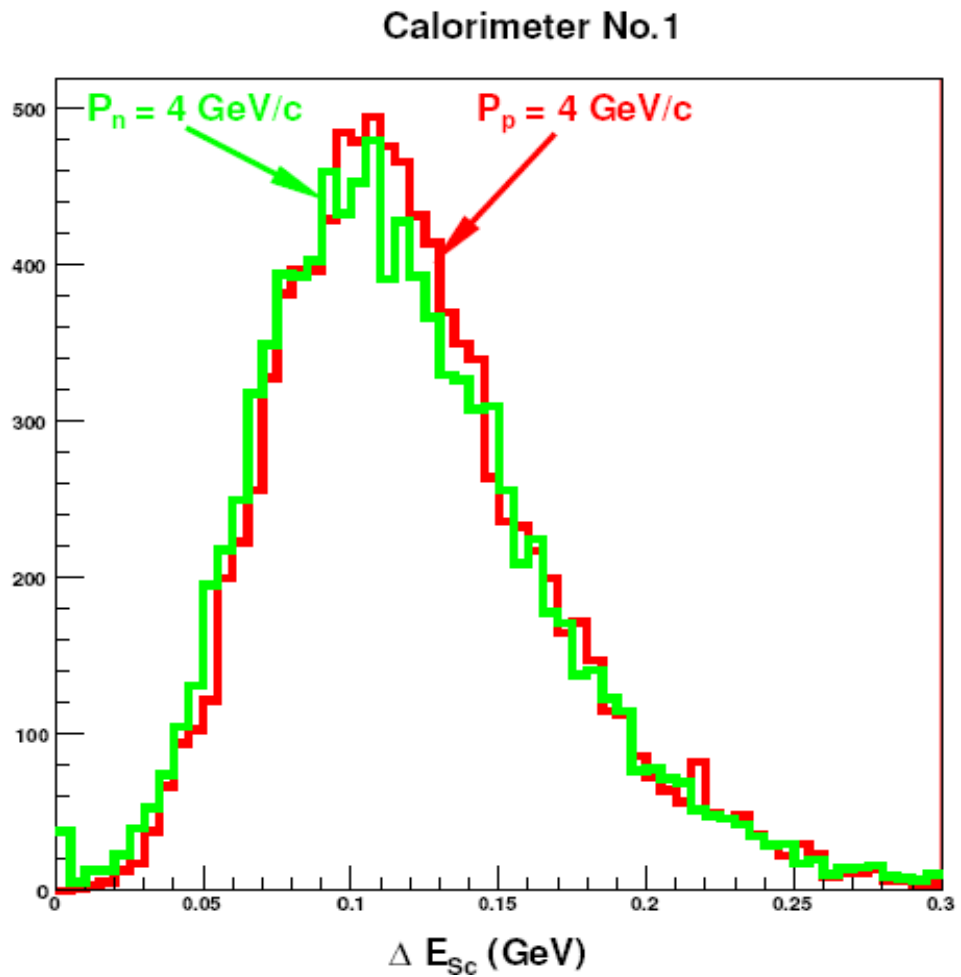
Calorimeter No.1



Calorimeter No.1



Calorimeter No.1



Linearity

$$\chi^2 = \frac{1}{N-1} \sum_{i=1, j=1, k=1}^{N_i, N_j, N_k} \left(\frac{T_{i,j,k} - \alpha \cdot \langle \Delta E_{Sc} \rangle_{i,j,k}}{\alpha \cdot \sigma(\Delta E_{Sc})_{i,j,k}} \right)^2$$

$$T_{i,j,k} = i \cdot T_i(p = 3 \text{ GeV}/c) + j \cdot T_j(p = 4 \text{ GeV}/c) + k \cdot T_k(p = 5 \text{ GeV}/c)$$

Resolution

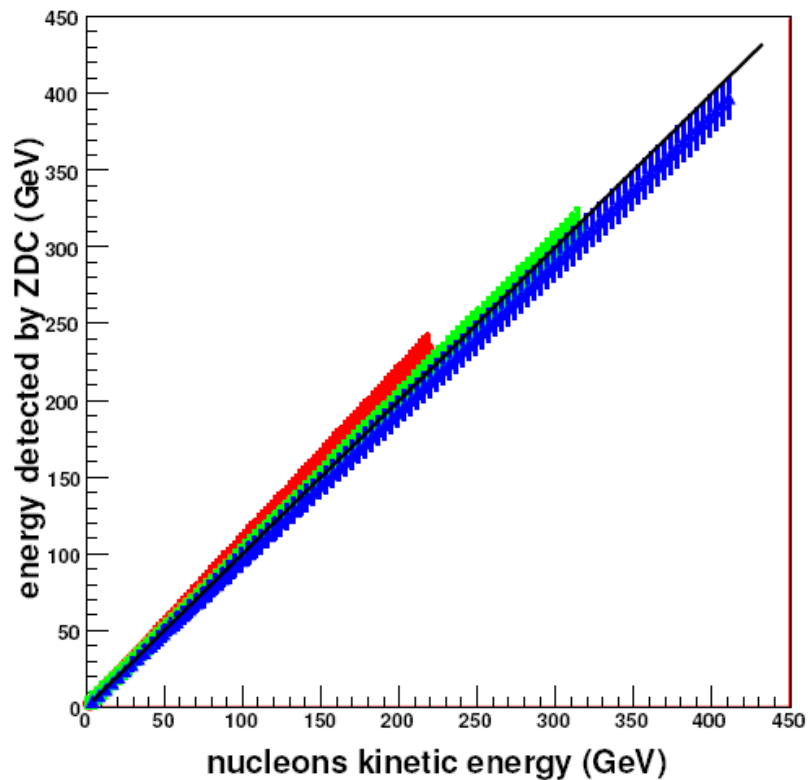
$$\frac{\sigma}{T} = \frac{\beta}{\sqrt{T}} + \gamma$$

Longitudinal distribution

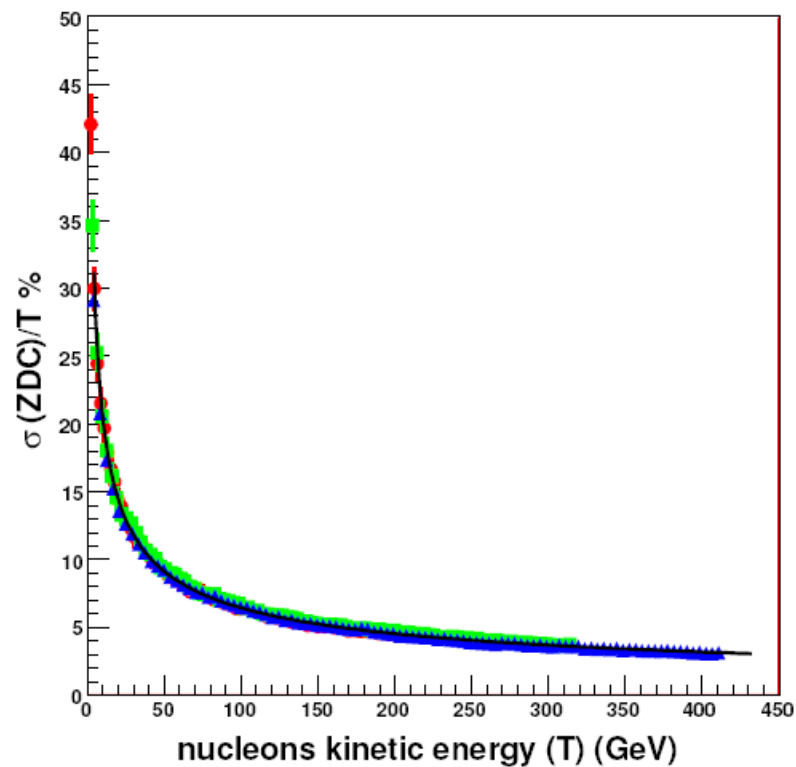
$$\Delta E_{Sc} = A\sqrt{L} \cdot \exp(-\delta L / \lambda_{int})$$

Calorimeter No.1

Calorimeter No.1



Calorimeter No.1

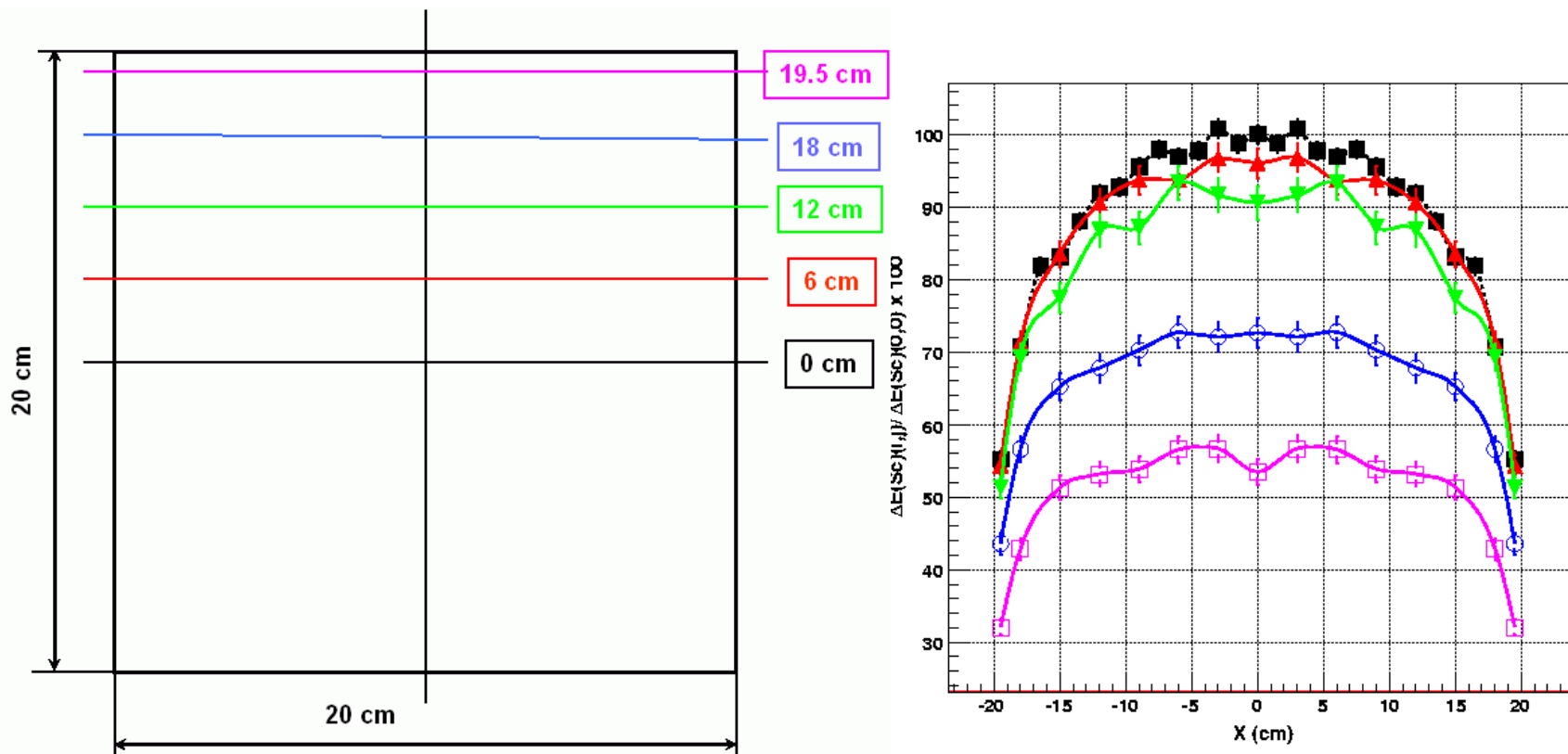


CONCLUSION

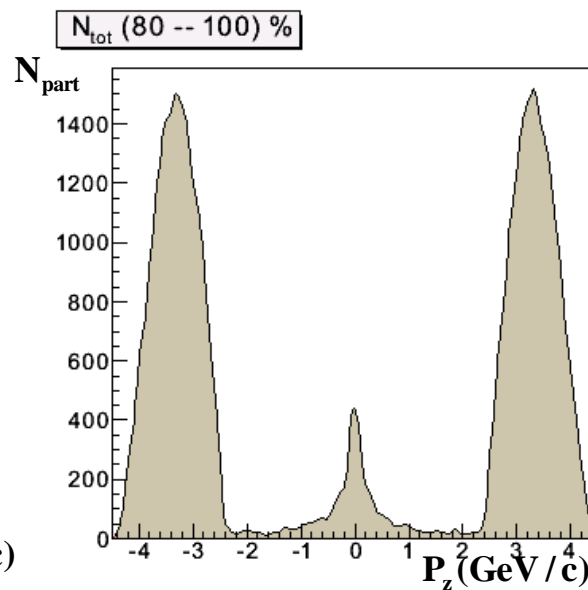
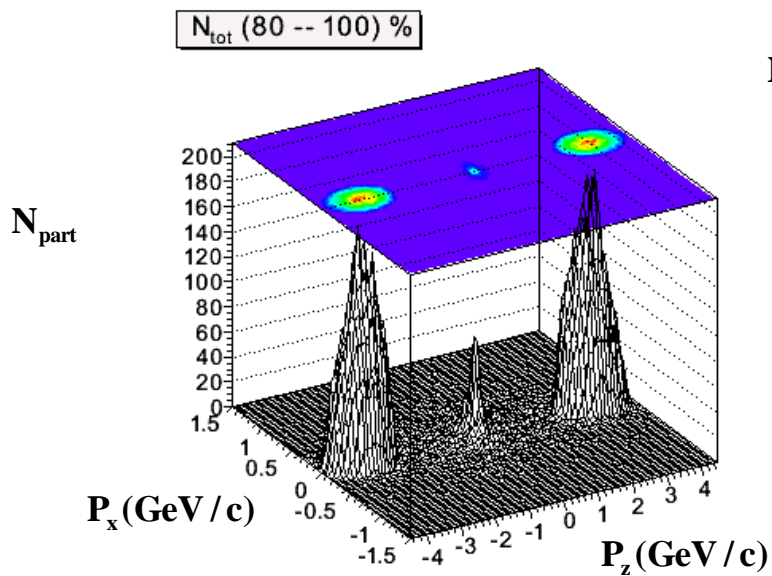
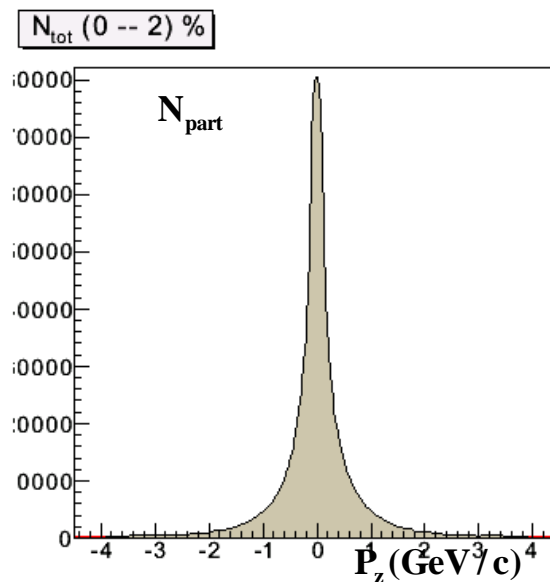
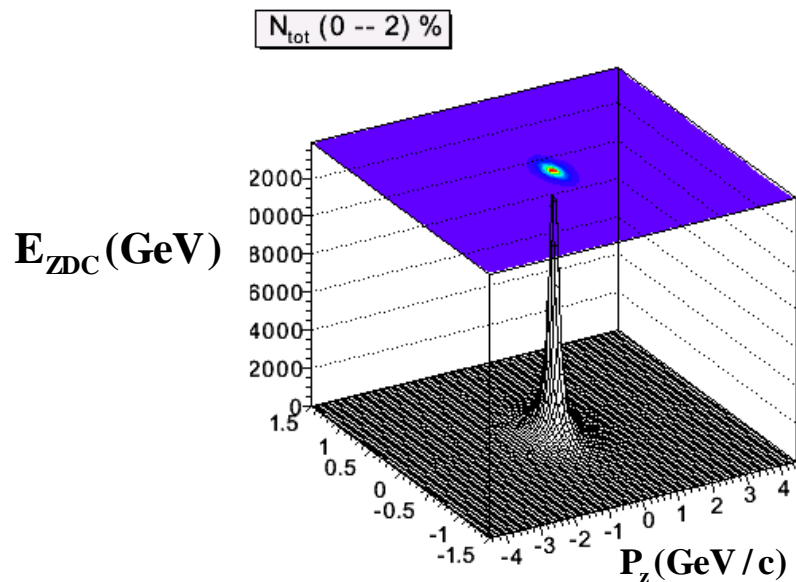
№	структура ячейки по пучку (мм)	число ячеек шт.	поперечный размер мм x мм	поверхностная плотность g/cm^2	полная длина L (мм)	длина в L/λ_{int}
1.	20 Fe + 5 Sc	40	400 x 400	649.6	1000	5
2.	20 Pb + 5 Sc	40	400 x 400	928	1000	4.9
3.	10 Pb + 2.5 Sc	80	400 x 400	928	1000	4.9
4.	16 Pb + 4 Sc	60	400 x 400	1113.6	1200	5.9
5.	5 W + 5 Sc	120	400 x 400	1218	1200	7

№	χ^2	α	β	γ	разрешение для протона $p = 4 \text{ GeV}/c$
1.	0.6	26.0 ± 0.1	$65 \pm 11 \%$	$0.0 \pm 0.9 \%$	36 %
2.	0.2	33.2 ± 0.11	$71.6 \pm 12.8 \%$	$.12 \pm 0.95 \%$	40.4 %
3.	0.3	32.4 ± 0.1	$61.8 \pm 11.0 \%$	$0.1 \pm 0.8 \%$	34.8 %
4.	0.2	32.6 ± 0.1	$67.4 \pm 12.0 \%$	$0.1 \pm 0.9 \%$	37.9 %
5.	0.6	13.82 ± 0.06	$51.8 \pm 9.3 \%$	$0.0 \pm 0.7 \%$	29.0 %

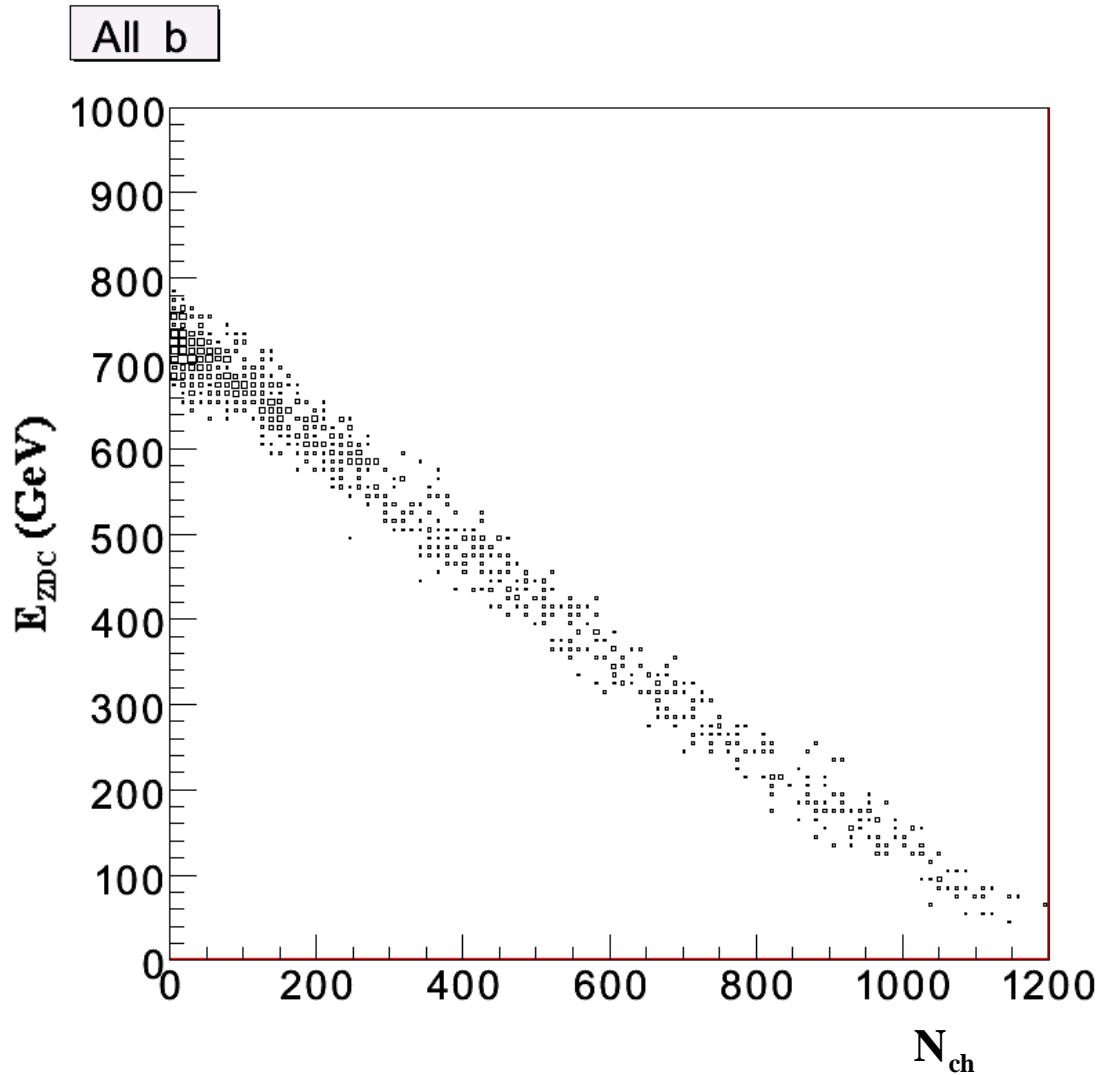
Пространственное разрешение



ZDC

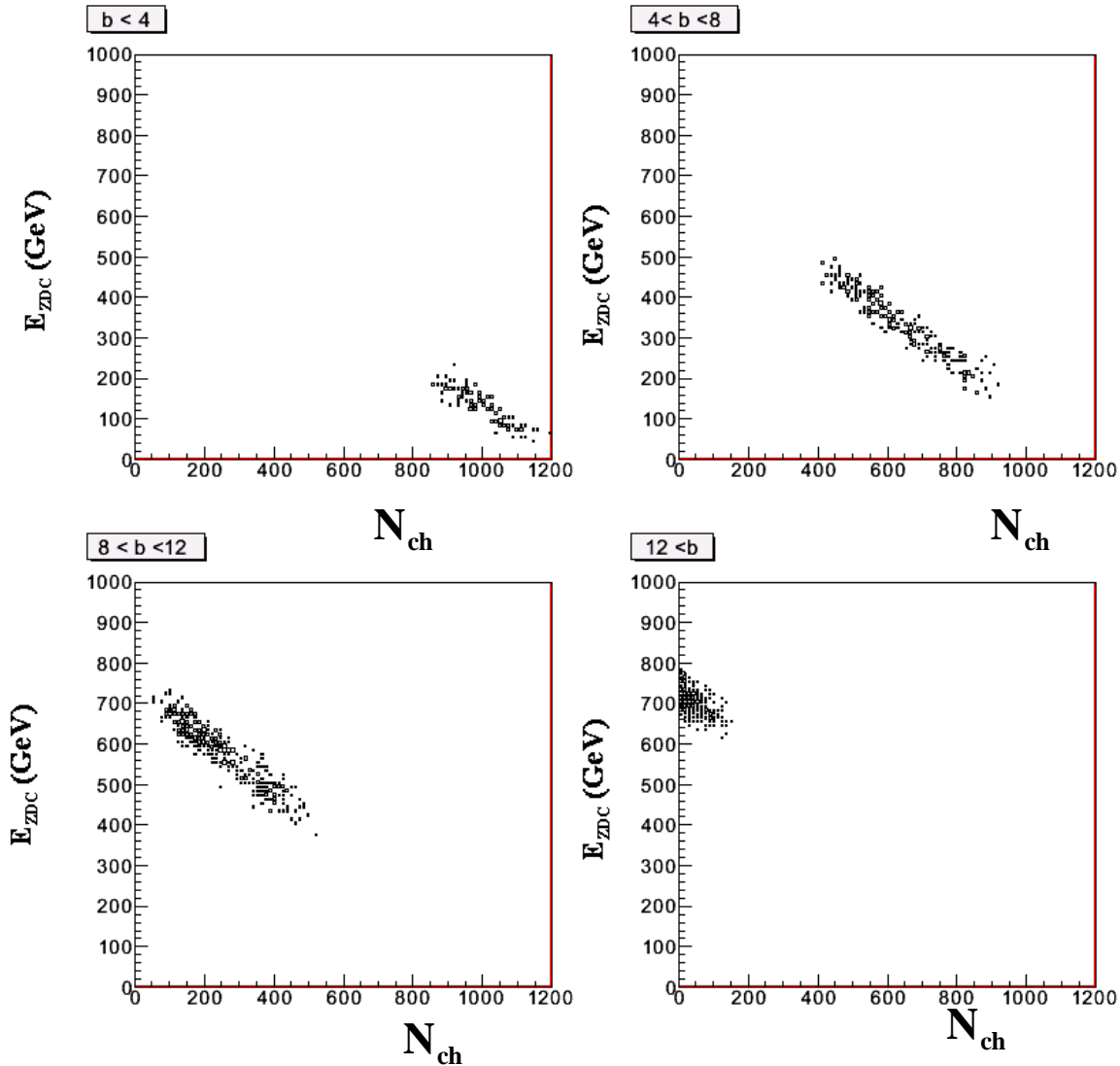


ZDC + Multiplicity

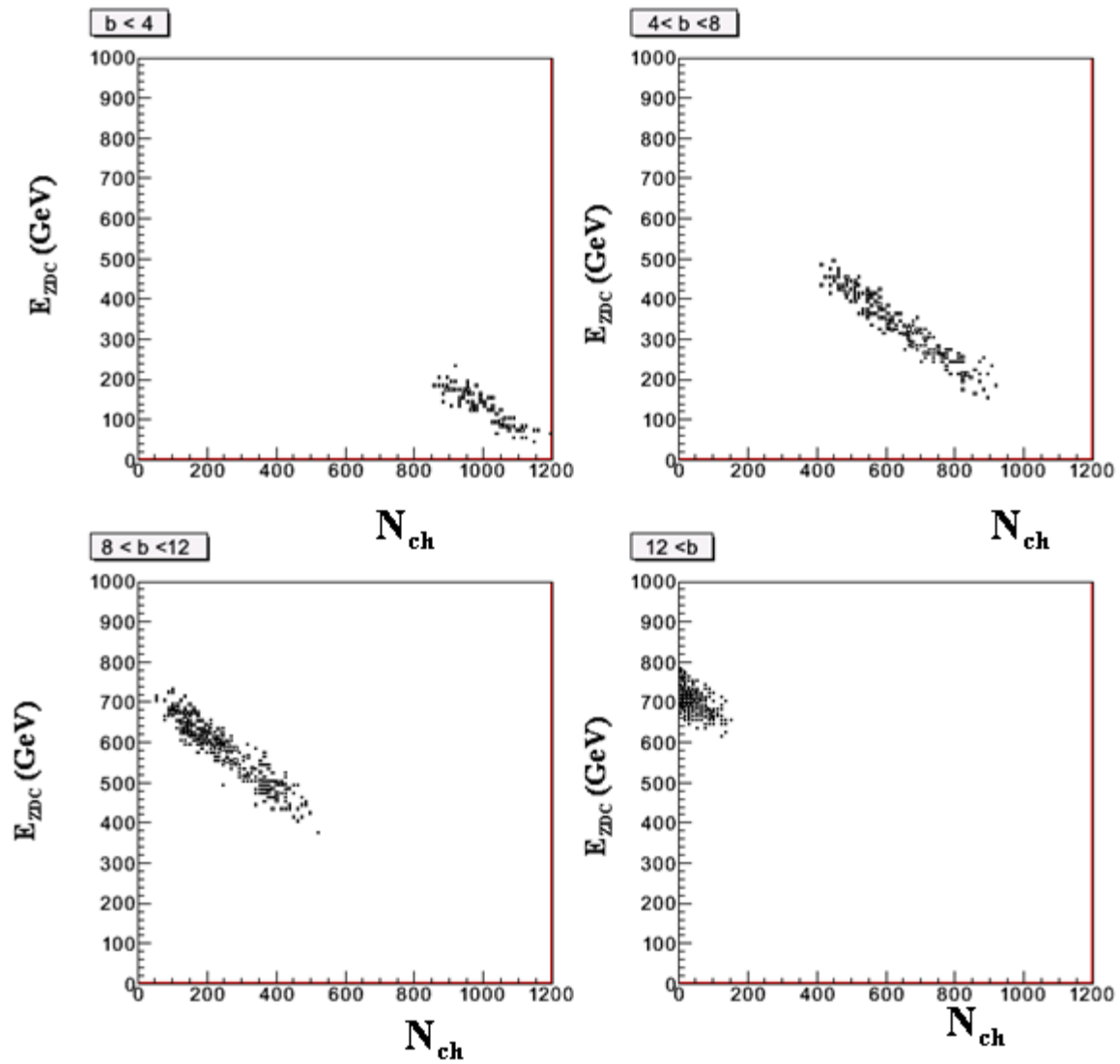


1000 Min Bias

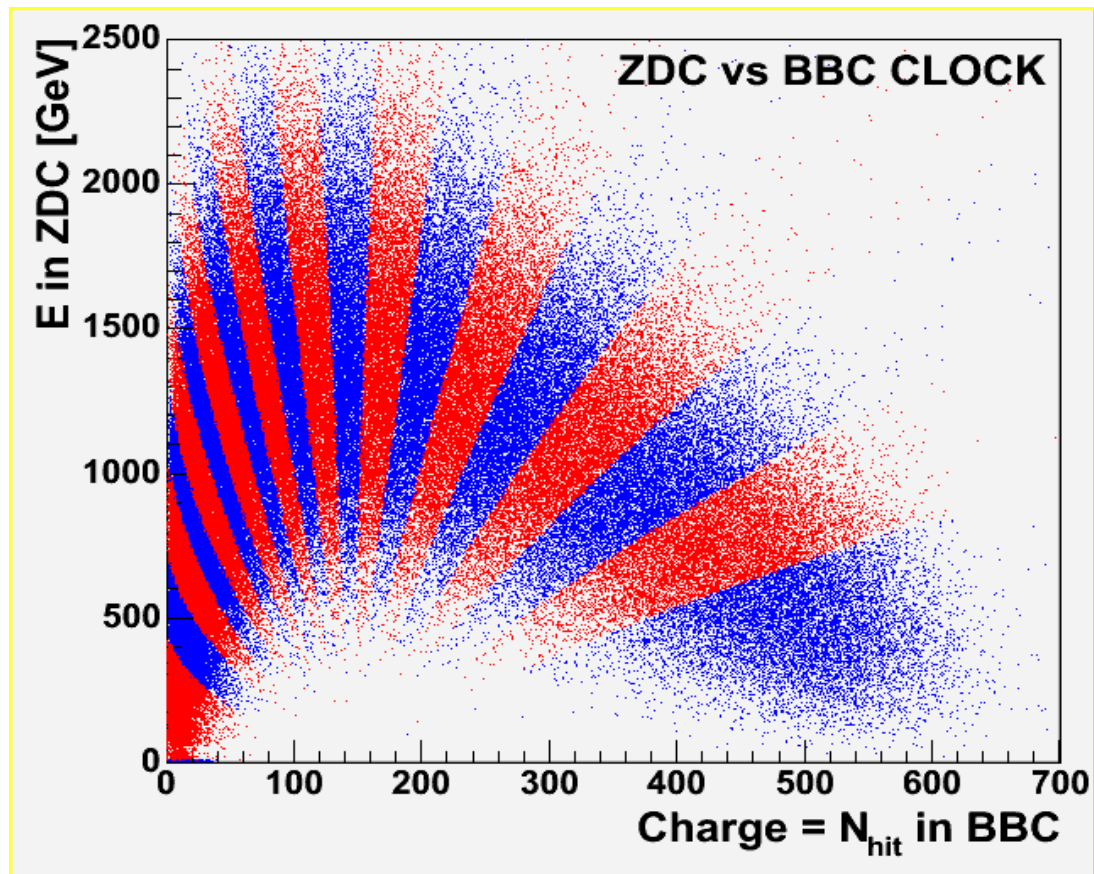
ZDC + Multiplicity



1000 Min Bias

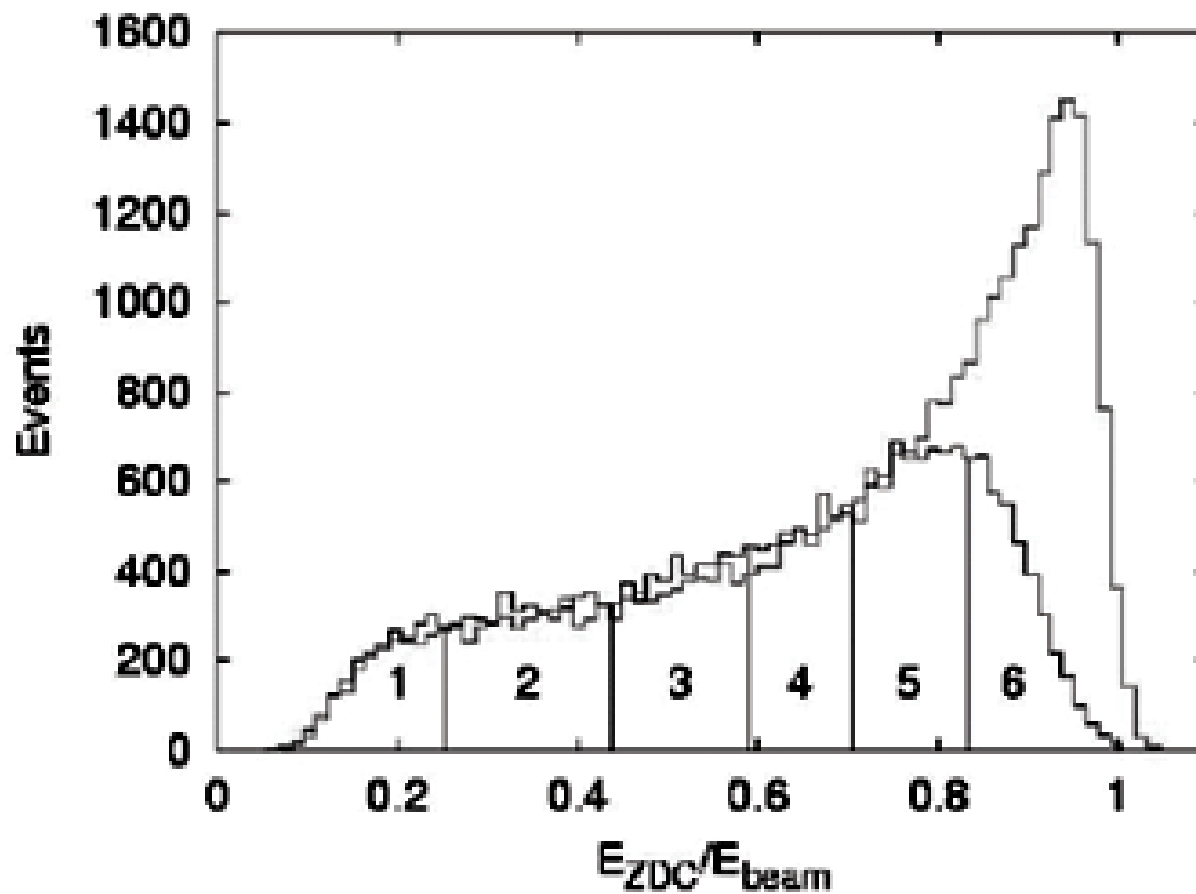


PHENIX



ZDC + BBC

NA49



VCAL (ZDC)